

1. Accardi, L.; Boukas, A: The Quantum Black-Scholes Equation, Global Journal of Pure and Applied Mathematics, (2006) vol.2, no.2, 155-170.
2. Baaquie, B.E: Quantum mechanics, path integrals and option pricing: reducing the complexity of finance, Nonlinear physics: theory and experiment, II (Gallipoli, 2002), 33-339, World Sci. Publ., River Edge, NJ, 2003. MR2028802
3. Baaquie, B.E: Statistical microeconomics and commodity prices: Theory and empirical results. Phil. Trans. R. Soc. A 2016, 374, 20150104, doi:10.1098/rsta.2015.0104. <https://doi.org/10.1098/rsta.2015.0104>
4. Bjork, T: Arbitrage Theory in Continuous Times. Oxford University Press, Third Edition, 2009
5. Connes, A: Noncommutative Geometry. Boston, MA: Academic Press, ISBN 978-0-12-185860-5
6. Folland, G: Quantum Field Theory, A Tourist Guide for Mathematicians. American Mathematical Society, Mathematical Survey and Monographs, Volume 149
7. Hall, B: Quantum Theory for Mathematicians. Springer Graduate Texts in Mathematics 267
8. Haven, E: A Discussion on Embedding the Black-Scholes Option Pricing Model in a Quantum Physics Setting. Physica A 2002, 304, 507{524. [https://doi.org/10.1016/S0378-4371\(01\)00568-4](https://doi.org/10.1016/S0378-4371(01)00568-4)
9. Haven, E: A Black-Scholes Schrödinger Option Price: Bit versus qubit. Physica A 2003, [https://doi.org/10.1016/S0378-4371\(02\)01846-0](https://doi.org/10.1016/S0378-4371(02)01846-0) 324, 201{206.
10. Henry-Labordere, P: Analysis, Geometry and Modelling in Finance, Advanced Methods in Option Pricing. Chapman & Hall/CRC Financial Mathematics Series
11. Hicks, W: Nonlocal Diffusions and the Quantum Black-Scholes Equation: Modelling the Market Fear Factor. Commun. Stoch. Anal. 2018, 12, 109{127.
12. Hicks, W: PT Symmetry, Non-Gaussian Path Integrals, and the Quantum Black-Scholes

Equation. Entropy, 2019, 21(2), 105.
<https://doi.org/10.3390/e21020105>

13. Hudson, R. L.; Parthasarathy, K. R: Quantum Ito's Formula and Stochastic Evolutions.

Commun Math. Phys. 1984, 93, 301{323.
<https://doi.org/10.1007/BF01258530>

14. Linetsky, V: The Path Integral Approach to Financial Modelling and Options Pricing, Computational Economics, 11: 129{163, 1998.
[https://doi.org/10.1016/S1051-9815\(98\)00028-X](https://doi.org/10.1016/S1051-9815(98)00028-X)

15. McCloud, P: In Search of Schrödinger's Cap, available at <https://ssrn.com=abstract=2341301>

16. McCloud, P: Quantum Bounds for Option Prices, available at <https://ssrn.com=abstract=30822561>

17. Mnatsakanov, R.; Hakobyan, A: Recovery of Distributions via Moments, IMS Lecture Notes-Monograph Series,. Optimality: The Third Erich L. Lehmann Symposium, Vol. 57 (2009)
252{265.

18. Oksendal, B: Stochastic Differential Equations, An Introduction with Applications. Fifth Edition, Springer-Verlag Jan 1998

19. Segal, W.; Segal, I. E: The Black-Scholes pricing formula in the quantum context. Proc. Natl. Acad. Sci. USA 1998, 95, 4072{4075.
<https://doi.org/10.1073/pnas.95.7.4072>

20. Sinha, K.; Goswami, D: Quantum Stochastic Processes and Noncommutative Geometry. Cambridge University Press, Cambridge Tracts in Mathematics, 2007.

21. Tekel, J.; Cohen, L: Constructing and estimating probability distributions from moments, Proc. SPIE 8391, 83910E, 2012.

22. van Suijlekom, W: Noncommutative Geometry and Particle Physics. Springer Mathematical Physics Studies, 2015