

1. Accardi, L. and Boukas, A.: The Quantum Black-Scholes Equation, Global Journal of Pure and Applied Mathematics, 6 (2006) vol 2, 155{170.
2. Baaquie, B. E.: A path integral approach to option pricing with stochastic volatility. Some exact results. Journal de Physique I, 12 (1997) Vol 7, 1733{1753
<https://doi.org/10.1051/jp1:1997167>
3. Baaquie, B. E: The Path Integral Approach to Financial Modelling and Option Pricing: Reducing the Complexity of Finance, Nonlinear Physics, (2003), 333{339
https://doi.org/10.1142/9789812704467_0046
4. Baaquie, B. E.: Quantum Finance: Path Integrals and Hamiltonians for Options and Interest Rates, Cambridge University Press, Cambridge, 2007
5. Folland, G.: Quantum Field Theory, A Tourist Guide for Mathematicians, American Mathematical Society, Mathematical Surveys and Monographs, Volume 149, 2008.
<https://doi.org/10.1090/surv/149>
6. Gomez, H., Colominas, I., Navarrina, F., Paris, J., and Casteleiro, M.: A Hyperbolic Theory for Advection-Diffusion Problems: Mathematical Foundations and Numerical Modelling, Arch Comput Methods Eng, 17 (2010), 191-{211
<https://doi.org/10.1007/s11831-010-9042-5>
7. Haven, E.: A Discussion on Embedding the Black-Scholes Option Pricing Model in a Quantum Physics Setting. Physica A, 304 (2002), 5070{524.
[https://doi.org/10.1016/S0378-4371\(01\)00568-4](https://doi.org/10.1016/S0378-4371(01)00568-4)
8. Haven, E.: A Black-Scholes Schrodinger Option Price: Bit versus Qubit. Physica A, 324 (2003), 201{206.
[https://doi.org/10.1016/S0378-4371\(02\)01846-0](https://doi.org/10.1016/S0378-4371(02)01846-0)
9. Hicks, W.: Closed Quantum Black-Scholes: Quantum Drift and the Heisenberg Equation of Motion, Journal of Stochastic Analysis, 1 (2020), No 1, Article 6.
<https://doi.org/10.31390/josa.1.1.06>
10. Hudson, R. L. and Parthasarathy, K. R.: Quantum Ito's Formula and Stochastic Evolutions, Communications on Mathematical Physics, 93 (1984), 301{323.
<https://doi.org/10.1007/BF01258530>
11. Jana, T. K. and Roy, P.: Pseudo Hermitian formulation of the quantum Black-Scholes Hamiltonian, Physica A, 391 (2012), 2636{2640.
<https://doi.org/10.1016/j.physa.2011.12.012>
12. Kuo, H.-H.: Introduction to Stochastic Integration, Springer, 2006
13. Linetsky, V.: The Path Integral Approach to Financial Modelling and Option Pricing, Computational Economics, 11 (1998), 129{163.
<https://doi.org/10.1023/A:1008658226761>

14. Mandelbrot, B.: Fractals and Scaling in Finance, Discontinuity, Concentration, and Risk, Springer, 1997.
<https://doi.org/10.1007/978-1-4757-2763-0>
15. Mostafazadeh, A.: Probability Interpretation for Klein-Gordon Fields and the Hilbert Space Problem in Quantum Cosmology, available at: <https://arxiv.org/pdf/gr-qc/0205049.pdf>
16. Mostafazadeh, A.: A Physical Realization of the Generalized PT-, C-, and CPT-symmetries and the position operator for Klein-Gordon elds. Int. J. Mod. Phys, A, 21 (2006), 2553{3572.
<https://doi.org/10.1142/S0217751X06028813>
17. Oksendal, B.: Stochastic Differential Equations, An Introduction with Applications, 6th Edition, Springer, 2003
https://doi.org/10.1007/978-3-642-14394-6_5
18. Romero, J. M., Zubieta Martinez, I. B.: Relativistic Quantum Finance, available at: <https://arxiv.org/abs/1604.01447v1>