

1. Accardi, L., Bozejko, M.: Interacting Fock Spaces and Gaussianization of Probability Measures, *Infin. Dimens. Anal. Quantum Probab. Relat. Top.* 1 (1998), 4, 663-670.
<https://doi.org/10.1142/S0219025798000363>
2. Accardi, L., Frigerio, A.: Markovian cocycles, *Proc. Royal Irish Acad.* 83A (1983), 2, 251-263.
3. Accardi, L., Kuo, H. H., Stan, A.: A Combinatorial Identity and Its Application to Gaussian Measures, in: *Quantum Probability and Infinite Dimensional Analysis: From Foundations to Applications* (Singapore: World Scientific), (2005) 1-11.
4. Bratteli, O., Robinson, D. W.: *Operator Algebras and Quantum Statistical Mechanics I*, Springer, New York, 1987.
<https://doi.org/10.1007/978-3-662-02520-8>
5. Karamata, J.: Sur une in'egalit'e relative aux fonctions convexes, *Publ. Math. Univ. Belgrade* 1 (1932), 145148.
6. Kovacev'c, M., Stanojevi'c, I., Senk, V.: Some Properties of R'enyi Entropy over Countably Infinite Alphabets, *Probl. Inf. Transm.* 49 (2013), 2, 99110.
<https://doi.org/10.1134/S0032946013020014>
7. Mukhamedov, F., Ohmura, K., Watanabe, N.: A formulation of R'enyi entropy on C*-algebras, *Quantum Information Processing* 18 (2019), 10, 318.
<https://doi.org/10.1007/s11128-019-2430-3>
8. Mukhamedov, F., Watanabe, N.: On S-mixing entropy of quantum channels, *Quantum Inf. Process.* 17 (2018), 148-168.
<https://doi.org/10.1007/s11128-018-1916-8>
9. von Neumann, J.: *Die Mathematischen Grundlagen der Quantenmechanik*, Springer, Berlin, 1932.
10. Ohmura, K., Watanabe, N.: Quantum Dynamical Mutual Entropy Based on AOW Entropy, *Open Systems & Information Dynamics* 26 (2019), 2, 1950009-1-1950009-16.
<https://doi.org/10.1142/S1230161219500094>
11. Ohmura, K., Watanabe, N.: On transmission efficiency of quantum modulations, *Quantum Studies: Mathematics and Foundations* (to appear).
12. Ohya, M.: Entropy transmission in C!-dynamical systems, *J. Math. Anal. Appl.* 100 (1984), 222-235.
[https://doi.org/10.1016/0022-247X\(84\)90076-3](https://doi.org/10.1016/0022-247X(84)90076-3)
13. Ohya, M., Petz, D.: *Quantum Entropy and its Use*, Springer, Berlin, 1993.
<https://doi.org/10.1007/978-3-642-57997-4>
14. Ohya, M., Umegaki, H.: *Quantum Theoretical Entropy*, Kyoritsu Pub., Tokyo, 1984.

15. Ohya, M., Watanabe, N.: Foundation of Quantum Communication Theory, Makino Pub. Co., Tokyo, 1998.
16. Petz, D.: Quasi-entropies for states of a von Neumann algebra, Publ. RIMS Kyoto Univ. 23 (1985), 787-800.
<https://doi.org/10.2977/prims/1195178929>
17. Petz, D.: Quantum Information Theory and Quantum Statistics, Springer, Berlin, 2008.
18. Phelps, R. R.: Lecture on Choquet's Theorem, Van Nostrand, 1966.
19. R'enyi, A.: On the foundations of information theory, Rev. Int. Stat. Inst. 33 (1965), 1-14.
<https://doi.org/10.2307/1401301>
20. Schatten, R.: Norm Ideals of Completely Continuous Operators. Springer, Berlin (1970).
<https://doi.org/10.1007/978-3-662-35155-0>
21. Shannon, C. E.: Mathematical theory of communication, Bell Systems Tech. J. 27 (1948), 379-423 and 623-656.
<https://doi.org/10.1002/j.1538-7305.1948.tb00917.x>
22. Watanabe, N.: On quantum dynamical entropy for open systems, Int. J. Quantum Inf. 14 (2016), 4, 1640005-1-1640005-11.
<https://doi.org/10.1142/S0219749916400050>