1. Ahmed,T.A., Elsanousi, S.A. and Mohammed, S.E.A.: Existence theorems for stochastic functional differential equations with discontinuous initial data, preprint, University of Antwerp (UIA), 1998.

2. Arendt, W., Batty, C. J. K., Hieber, M., and Neubrander, F.: Vector-valued Laplace transforms and Cauchy problems. vol.96 of Monographs in Mathematics, Birkhuser Verlag,Basel. 2001. https://doi.org/10.1007/978-3-0348-5075-9

3. Boufoussi, B. and Hajji, S.: Neutral stochastic functional differential equations driven by a fractional Brownian motion in a Hilbert space.Statist. Probab. Lett; 82,(2012), 1549-1558. https://doi.org/10.1016/j.spl.2012.04.013

4. Boufoussi, B., Hajji, S., and Lakhel, E.: Functional differential equations in Hilbert spaces driven by a fractional Brownian motion. Afr. Mat. DOI 10.1007/s13370-011-0028-8. (2011). https://doi.org/10.1007/s13370-011-0028-8

5. Brzezniak, Z.: On stochastic convolution in Banach spaces and applications. Stochastics Stochastics Rep. 61,(1997), 245-295. https://doi.org/10.1080/17442509708834122

6. Budhiraja, A, Dupuis, E, and Fischer, M : Large deviation properties of weakly interacting processes via weak convergence methods. Annals of Probability, Vol. 40,(2012), 74-102. https://doi.org/10.1214/10-AOP616

7. Caraballo, T., Garrido-Atienza, M. J., and Taniguchi, T.: The existence and exponential behavior of solutions to stochastic delay evolution equations with a fractional Brownian motion. Nonlinear Analysis 74,(2011), 3671-3684. https://doi.org/10.1016/j.na.2011.02.047

8. Carmona, R. and Delarue, F.: Probabilistic theory of mean field games with applications. I. Mean field FBSDEs, control, and games. Probability Theory and Stochastic Modelling, 83. Springer. 2018. https://doi.org/10.1007/978-3-319-58920-6

9. Da Prato, G. and J. Zabczyk, J.: Stochastic equations in infinite dimensions, vol. 44 of Encyclopedia of Mathematics and its Applications, Cambridge University Press, Cambridge. 1992. https://doi.org/10.1017/CBO9780511666223

10. Govindan, T. E. and Ahmed, N. U.: On Yosida Approximations of McKean-Vlasov type stochastic evolution equations. Stochastic Analysis and Applications, 33(3):(2015), 383-398. https://doi.org/10.1080/07362994.2014.993766

11. Haase, M. H. A.: The functional calculus for sectorial operators, vol. 169 of Operator Theory: Advances and Applications, Birkhuser Verlag, Basel. 2006. https://doi.org/10.1007/3-7643-7698-8_2

12. Kunze, M. C. and van Neerven, J. M. A. M.: Approximating the coefficients in semilinear stochastic partial differential equations. J. Evol. Equ., 11(3):(2011), 577-604. https://doi.org/10.1007/s00028-011-0102-6

13. Kunze, M. C., and van Neerven, J. M. A. M.: Continuous dependence on the coefficients and global existence for stochastic reaction diffusion equations. J. Differential Equations 253, (2012), 1036-1068.
https://doi.org/10.1016/j.jde.2012.04.013

14. Lasry, J. M. and Lions, P. L.: Mean field games. Japan J. Math., 2, (2007), 229-260. 15. Marinelli, C., Pr'evˆot, C., and M. R¨ockner, M.: Regular dependence on initial data for stochastic evolution equations with multiplicative Poisson noise. J. Funct. Anal. 258 (2010), 616-649.
https://doi.org/10.1016/j.jfa.2009.04.015

16. Marinelli, C., Di Persioc, L., and Ziglio, G.: Approximation and convergence of solutions to semilinear stochastic evolution equations with jumps.Journal of Functional Analysis 264,(2013), 2784-2816.
https://doi.org/10.1016/j.jfa.2013.02.020

17. Nualart, D.: The Malliavin Calculus and Related Topics, second edition, Springer-Verlag, Berlin. 2006.

18. Peszat, S. and Zabczyk, J.: Strong Feller property and irreducibility for diffusions on Hilbert spaces. Ann. Probab., 23, (1995), 157-172.
https://doi.org/10.1214/aop/1176988381

19. Seidler, J.: Weak convergence of infinite-dimensional diffusions. Stochastic Anal.Appl.,15, (1997), 399-417.
https://doi.org/10.1080/07362999708809484

20. Touboul, J.: Mean-fields eqautions for stochastic firing-rate neural fields with delays: Derivation and noise-induced transitions. Physica D: Nonlinear Phenomena. 2012.
https://doi.org/10.1016/j.physd.2012.03.010