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Maximize muscle mechanical output during the stretch-shortening cycle--the contribution of preactivation and stretch load

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MAXIMIZE MUSCLE MECHANICAL OUTPUT DURING THE STRETCH-SHORTENING CYCLE
-- THE CONTRIBUTION OF PREACTIVATION AND STRETCH LOAD

A Dissertation

Submitted to the Graduate Faculty of the Louisiana State University and Agricultural and Mechanical College in partial fulfillment of the requirements for the degree of Doctor of Philosophy

in

The Department of Kinesiology

by

Mianfang Ruan
M.ED., Shanghai Institute of Physical Education, 1998
August 2007
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Abstract

It is well documented that the stretch-shortening cycle (SSC), the most common muscle behavior, enhances muscle mechanical output. Stretch load and muscle preactivation level have been suggested as the two important factors regulating mechanical output. The purpose of this series studies is to systematically examine influences of the preactivation and the stretch load on muscle mechanical output during SSC.

In the First study, a two dimensional lower extremity dynamic model was used to evaluate the influence of the approach on mechanical output. The peak summed power during the push-off phase demonstrated a quadratic trend across heights and appeared to be driven primarily by the ankle joint response. When an approach was used summed peak power was approximately 10% greater, regardless of the number of steps.

In the Second study, we investigated muscle activity of seven major low extremity muscles during drop jumps. The surface EMG activities were full-wave rectified and averaged (aEMG) during the pre-activation (50ms before touchdown), downward and pushoff phases. The results showed that the aEMG of most tested muscles during the preactivation phase and the downward phase increased with more steps of the approach. This increase did not change the antagonist-agonist coactivation ratio, therefore would not attribute to knee joint injury. On the other hand, no aEMG changes were found with different drop heights.

In the Third study, stretch load and preactivation were used as inputs for a muscle model to calculate muscle force, muscle velocity and muscle power. This model quantified how the different preactivation level and stretch load (velocity) affect the muscle mechanical output. Results showed that for low preactivation levels, increasing preactivation level can significantly increase gain in height for all stretch velocities we tested, but increasing stretch velocity may
decrease the gain in height; for high preactivation levels, further increasing preactivation level may not increase gain in height.

Over all, increasing preactivation enhances mechanical output due to increased active state level during SSCs; when preactivation is high, increasing stretch load enhances mechanical output due to increased positive work. Stretch load needs a high preactivation level to maximize the mechanical output.
Chapter 1: Introduction

In our daily locomotion and explosive movements such as throwing, sprinting and jumping, muscles often involve the stretch-shortening cycle (SSC), in which the shortening phase is immediately preceded by an lengthening phase (Komi, 2000; van Ingen Schenau, Bobbert, & deHaan, 1997a). External force (e.g. ground reaction force) or the antagonist muscle force can lengthen the muscle. The combination of eccentric and concentric contractions has a great advantage in muscle performance compared to the isolated concentric action. Isolated muscle experiments (Cavagna, Dusman, & Margaria, 1968; Ettema, Huijing, & Dehaan, 1992) and in vivo human dynamic movements (Bosco & Komi, 1979; Bosco, Komi, & Ito, 1981; Cavagna et al., 1968; Komi & Bosco, 1978) have demonstrated that SSC induce greater contractile force and produce greater mechanical work and power output (Komi, 2000).

Several mechanisms have been proposed to enhance performance during SSCs (van Ingen Schenau et al., 1997a; van Ingen Schenau, Bobbert, & deHaan, 1997b). These mechanisms include 1) time available for force development (van Ingen Schenau et al., 1997a); 2) contribution of stretch reflex (Komi & Bosco, 1978); 3) reutilization of elastic energy (Bosco et al., 1981; Komi & Bosco, 1978); and 4) potentiation of the contractile machinery (K.A. Edman, Elzinga, & Noble, 1978; Ettema et al., 1992). No convincing evidence has been presented that any one of these mechanisms can explain the entire mechanical output enhancement (Cronin, McNair, & Marshall, 2001). Also no evidence can completely deny any of these suggested mechanisms. The following is background information about these mechanisms and the influence of stretch load and preactivation.

Background Information

The first mechanism, giving muscles more time to develop force, was explicitly supported by most commentators (D.L. Morgan & Proske, 1997; van Ingen Schenau et al.,
However, this factor can’t explain the larger force produced in fast SSCs such as drop jumps (Zatsiorsky, 1997). Van Ingen Schenau and colleagues (van Ingen Schenau et al., 1997a; 1997b) suggested that the time available for force development is the only reliable explanation for enhancement mechanisms. In other words, the force level before muscle shortening is the only key factor for muscle performance enhancement. However other studies showed that this factor cannot be the only key factor. For example, Finni and colleagues (2001) showed that the maximal knee extension torque was significantly higher in the pre-stretch condition than in the pro-isometric condition, although the torque prior to the concentric phase was smaller in the pre-stretch than in the pre-isometric condition.

For stretch reflex contribution, the first key issue is to question whether the reflex occurs because some muscle spindles are found not stretched in some SSCs (van Ingen Schenau et al., 1997a). For these fast movements such as drop jumping, running, and hopping, Komi and Gollhofer (1997) showed substantial evidence that the stretch reflexes contributed to the enhanced performance in the fast SSCs. However, van Ingen Schenau and colleagues (1997b) argued that the mechanical effects of stretch reflex would be too late to provide substantial enhancement.

In the literature, studies on in situ contractions as well as on the isolated muscle have suggested the reutilization of elastic energy stored in the series elastic components element (SEC). During the stretching of an active muscle, potential elastic energy is stored and can be reutilized during the concentric contraction (Cavagna et al., 1968). However, van Ingen Schenau and colleagues (1997b) argued storage of more energy implied that a further elongation of SEC occurred at the expense of the length of the contractile elements. Consequently, the contractile components would do less work during the subsequent concentric contraction.
The force enhancement of skeletal muscle by active stretching has been well documented (K.A. Edman et al., 1978; Hill, 1938). An active stretch can induce the potentiation of the contractile machinery, in which the force-velocity curve is shifted towards higher force values for a given velocity. Also, the interaction between the series elastic component and the contractile machinery plays a role in the enhanced performance (Ettema et al., 1992).

It is quite likely that a higher active state, reflex activity, the potentiation of contractile machinery, and storage and release of elastic energy interact in some manner to produce SSC enhancement. The amplitude of enhancement may depend on activation level, stretch load (velocity), muscle-length and time-dependent characteristics of the motion (Cronin et al., 2001). Therefore, a high level of force prior to shortening, stretch reflex, potentiation of the contractile machinery, and the storage and release of elastic energy may interact in some manner to enhance performance during SSCs (Cronin et al., 2001).

The stretch load (velocity) is one of important factors that influence the stretch amplitude, stretch duration time, elastic energy storage and fascicle length change. There are several critical conditions for an effective SSC to take advantage of these performance enhancement mechanisms: a fast stretch speed increases force development before shortening (van Ingen Schenau et al., 1997b) and facilitates the stretch reflex (Komi, 2000; Komi & Gollhofer, 1997), a short lengthening amplitude takes advantage of the short range of stiffness and enhances the storage of elastic energy (Komi, 2000), a minimized fascicle length change optimizes the release of elastic energy (Finni, Ikegawa, Lepola, & Komi, 2003; Fukunaga, Ichinose, Ito, Kawakami, & Fukashiro, 1997). A heavy stretch load or a great stretch speed may overstretch the fascicle, tendon and whole muscle, consequently the power and work output will be dramatically reduced. On the contrary, the eccentric contraction can be finished in a very short time with a light load or a small stretching velocity, but the force development, stretch reflex, and elastic energy storage and release
may also dramatically reduced. Studies (Bobbert, Huijing, & Ingen Schenau, 1987b; Komi & Bosco, 1978) have showed the presence of an optimal stretch load (drop height) to maximize the power output, implying that the stretch load plays an important role in mechanical output during the SSC. In one study (Takarada, Iwamoto, Sugi, Hirano, & Ishii, 1997) tested the effects of eccentric force on the power output during concentric actions in countermovement jump. It was reported that both peak and mean power outputs increased initially with eccentric force, but they began to decline when the eccentric force exceeded 1.4 times the sum of load and body weight. The same trend was found in drop jumps (Bosco et al., 1981). It is still not very clear how the different stretch load (velocity) affect each enhancement mechanism to maximize the power output. Another remaining question is why the muscle work and power output were reduced when stretch force exceeded a certain level.

Another important factor which influence muscle performance during SSC is preactivation (Komi, 2000). To prepare the muscles to receive high impact forces, muscles were strongly pre-activated in running and jumping, especially in long jump (Kyrolainen, Finni, Avela, & Komi, 2003). Preactivation and prelanding activity appears to be able to affect those enhancement mechanisms and muscle mechanical output (Kyrolainen, Komi, & Belli, 1999). First of all, it may create a beneficial situation for muscles to develop maximum force in a short time (van Ingen Schenau et al., 1997b). It may take as much as 300 ms to develop the highest force. The force development depends on stimulation dynamics (the development of muscle stimulation), excitation dynamics (the development of muscle active state in response to stimulation), and contraction dynamics (the development of force in response to active state). In these fast SSCs, such as drop jumps, the muscles reach the maximum force value in less than 100 ms. When muscles are strongly pre-activated before landing, the process of stimulation dynamics and excitation dynamics may happen before landing. Therefore, the force could develop much faster after landing.
Secondly, another function of pre-activation is to increase sensitivity of muscle spindles to enhance stretch reflexes (Gottlieb, Agarwal, & Jaeger, 1981), which subsequently increases tendomuscular stiffness (Komi, 2000) and enhances force production (Kyrolainen, Avela, & Komi, 2005). One study (Linnamo, Strojnik, & Komi, 2006) showed that the force potentiation was greater at higher stretching velocities but only when maximal preactivation preceded the stretch, while the velocity dependence was not observed at lower preactivation levels. Therefore, the significance of the preactivation’s effect on SSC performance is convincing (Kyrolainen et al., 1999). However, no study has quantitatively analyzed the influence of pre-activation level on the mechanical output during SSC.

**Experiments**

Because the stretch amplitude and fascicle length change are the results of the stretch load, muscle pre-activation level and muscle activation level, and we assume the development of muscle activation level is constant during every SSC exercise, the stretch load and muscle preactivation level might be the two important acute factors we can adjust. Although a number of studies described the directly proportional relationship between stretch load and enhancement of the concentric contraction, no studies in the literature have exploited how to maximum muscle mechanical output during SSC and the contribution of muscle preactivation and stretch load on muscle performance. Therefore, the purpose of this dissertation is to systematically examine influences of the preactivation and the stretch load on muscle mechanical output during SSC. For this purpose, in the first study (Chapter 2), the drop jump was used to illustrate how to maximize muscle mechanical output during human dynamic exercises. We examined the hypothesis that an approach preceding drop jumps enhances low extremity mechanical output and predicted the enhancement is associated with increased preactivation level. In the second study (Chapter 3), we investigated muscle activity of seven major low extremity muscles during drop jumps and examined the
hypothesis that the greater preactivation will resulted in greater muscle activation level during SSC. In the third study (Chapter 4), stretch load and pre-activation were used as inputs for a muscle model to calculate muscle force, muscle velocity and muscle power. This model quantified how the different pre-activation level and stretch load (velocity) affect these enhancement mechanisms and finally determine the muscle mechanical output. More specifically, the role of elastic energy reutilization during concentric phase and the influence of muscle force level before shortening on muscle mechanical output were examined during SSC under combination of different stretch loads and pre-activation levels. A comprehensive discussion of three studies was presented Chapter 5. The results and conclusions from these three studies will not only increase our knowledge on muscle function and dynamical human movement, but also provide a possible solution to maximize muscle performance and improve human performance.
Chapter 2: Influence of a Horizontal Approach and Drop Height on the Mechanical Output during Drop Jump

Introduction

Plyometric exercise, a form of the stretch-shortening cycle exercise, is a movement performed by starting with a movement to the opposite direction (1990). As one of the most popular plyometric exercises, drop jump is performed by stepping off a raised platform and immediately jumping vertically after landing on the ground (Bobbert, 1990). Several studies (Brown, Mayhew, & Boleach, 1986; Matavulj, Kukolj, Ugarkovic, Tihanyi, & Jaric, 2001; Steben & Steben, 1981) have reported that drop jump training effectively improved vertical jumping height. It is assumed that this increase in vertical jumping height is the result of an enhanced muscle mechanical output during the concentric phase as illustrated by the greater power output observed in drop jumps as compared to vertical jumps starting from the ground level (M.F. Bobbert, P.A. Huijing et al., 1987b). Increasing the peak power output is the most important concern in the training of explosive exercises as there is a high correlation (R = 0.82, P<0.01) between the take off velocity and the peak joint power of the lower extremity (T. Horita, P. V. Komi, C. Nicol, & H. Kyrolainen, 2002a).

The mechanisms thought to contribute to greater power output during a drop jump are the stretch reflex (Bosco & Komi, 1979; Komi & Bosco, 1978; Komi & Gollhofer, 1997), the storage and utilization of elastic energy (Bosco & Komi, 1979; Komi & Bosco, 1978), and potentiation of the contractile machinery (M.F. Bobbert, P.A. Huijing et al., 1987b). First, the stretching of muscles during landing of a drop jump may trigger a stretch reflex (Nicol, Komi, Horita, Kyrolainen, & Takala, 1996). The stretch reflex may increase muscular stiffness leading to an improved ability to utilize storage of potential elastic energy (Walshe, Wilson, & Ettema, 1998). The effect of stretch reflex is increased with stretching velocity (Bosco et al., 1981; Kallio, Linnamo, & Komi, 2004). Second, elastic energy stored in the series elastic elements during stretching can be released during shortening (Bosco et al., 1981). The storage
and utilization of elastic energy is enhanced with high stretch speed, high eccentric force and short time delay after the stretch (Bosco et al., 1981). Third, the stretch may induce potentiation of the contractile machinery (Cavagna & Citterio, 1974; K.A. Edman et al., 1978). This potentiation has been shown to increase with speed of stretch and to decrease with the amount of time delay after the stretch (K.A. Edman et al., 1978). To be an effective training method, drop jumping should fully exploit these mechanisms to enhance athletic performance.

Increased drop height appears to exploit these enhancement mechanisms facilitating the power output. However, there seems to be a ceiling effect of increasing the power output associated with drop height. Bobbert, Huijing, and van Ingen Schenau (1987) reported that although increased ground reaction forces during the push-off phase have been found when drop height was increased from 40 cm to 60 cm, there were no increases in the maximum net moment and maximum net power output about the knee and ankle joints (physically active male students). Komi and Bosco (1978) reported that the participants had their highest jumps in drop jumps from the heights of 62 cm (male physical education students and male volleyball players) and 50 cm (female physical education students). Because there is a high correlation between the takeoff velocity and the peak joint power during the push-off phase (Horita et al., 2002a), it can be assumed that the highest peak joint power would be produced at the optimal drop height. Therefore, an optimal drop height related to the highest joint power output in the drop jumps seems to exist at approximately 40 - 60 cm for physically active male college students. To optimize the performance gains, it is necessary to use the training strategies that could maximize the mechanical power output of the exercise (Walshe et al., 1998). However, it remains unclear whether there are other training strategies that could further increase the power output produced during drop jump from the optimal drop height.
In the aforementioned studies, all drop jumps were standing jumps without an approach. Studies have shown that a horizontal approach preceding vertical jumps (vertical jump and approach were at the same ground level) could also increase jump heights. Saunders (1980) reported that vertical jump heights of two-foot jumps increased with approach speeds up to 50-60% of maximum sprint speed. It has been assumed that an approach forces the muscles to stretch in the first half of the take-off phase, which may enhance the stretch reflex and the storage of elastic energy (Dapena & Chung, 1988). Similar enhancement mechanisms may therefore be associated with increased drop height and increased approach speed. However, the greater approach speed (horizontal velocity) may also be associated with greater muscles preactivation (Kyrolainen et al., 1999), which may have additional effects on the drop jump performance. Although increasing the drop height beyond the optimal height could not increase the power output further, would this limitation be exceeded by an approach preceding drop jumps? This question remains unclear because no reports have so far been available regarding the effect of an additional approach on drop jump performance.

Therefore, the purpose of this study was to investigate influence of a horizontal approach on mechanical output during drop jumps. More specifically, power output of lower extremity joints, joint angles, and angular velocities were studied. The hypothesis was that the approach preceding drop jumps would increase power output during the push-off phase and even exceed the limit of optimal drop height due to the performance changes induced by the approach.

Methods

Participants

Twelve physically active male university students (Mean age=24 year, SD = 3; Mean height = 1.8 m, SD = 0.1; Mean body mass = 76 kg, SD = 5) were recruited for this study from a physical activity class. Prior to participation, procedures were described to the
participant and all questions were addressed. Each participant signed a written consent form approved by the Institutional Review Board.

**Protocol**

Participants completed one-week drop jump training for familiarization. Training involved three sessions during which combinations of drop jumps with and without an approach at different drop heights were performed. In the first session, participants performed the vertical jump (countermovement jump) 16 times. In the second session, participants performed four drop jumps from drop height of 15 cm for each of four approach conditions (zero, one, two, and three steps), totally 16 trials. In the third session, participants also performed four drop jumps from drop height 45 cm for each of four different approach conditions (zero, one, two, and three steps), totally 16 trials. Participants were instructed to follow four performance requirements: 1) use consistent and moderate approach speeds and step lengths for each condition; 2) step off the raised platform without jumping up to avoid adding drop height (monitored visually); 3) step off the platform with the right foot and use both feet simultaneously for the landing; and 4) perform each jump with maximal effort. These performance requirements were also applied during data collection.

Prior to data collection, participants had approximately 12 minutes warm up, including 8 minutes running on a treadmill and 4 minutes jump exercises (one standing drop jump and one drop jump with two approach steps from drop height of 15 and 30 cm.). After warm up, five reflective markers were placed on the left leg of the participant at the anterior superior iliac spine, hip, knee, ankle, and fifth metatarsal-phalangeal joint. Figure 2.1 shows a schematic of the instrumentation and the jump platform used in the study. To minimize the difference of approach speed and step lengths among participants and different drop heights, the initial positions for zero, one, two and three steps were set on the surface of the jump platform. A camera of Motion Analysis system (Motion Analysis Corporation, Santa Rosa, CA) was used to collect the movement trajectories of each marker at 60 Hz. A force platform
(Advanced Mechanical Technology Inc, Watertown, MA) was used to record the vertical and anterior-posterior (AP) ground reaction forces at 1200 Hz. Kinematic and force data were collected simultaneously with internal synchronization and combined to calculate joint moments about the mediolateral axis at the ankle, knee, and hip joints. The center of the force platform was set as the origin of the laboratory reference frame during the calibration process. Center of pressure calculated from force platform data then coincided with the coordinates in the laboratory reference frame.

Figure 2.1. Schematic presentation of the jump platform for drop jumps and the instrumentation used in the study. 0, 1, 2, and 3 on the surface of the jump platform represent the initial positions for zero, one, two and three steps.

Participants performed drop jumps from four different heights: 15, 30, 45, and 60 cm in randomized order. The order of drop heights was randomized across the participants. From each drop height, the participants performed one trial for each of four different approach conditions (zero, one, two, and three steps) in a random order. In all, participants performed 16 trials. Every trial was monitored visually and self-evaluated by the participants. Participants repeated a trial if they or the investigators felt the performance requirements were not fulfilled. The instant of lowest knee vertical position during the drop jump was used to divide the jump into downward (from the instant of touch down to the instant of lowest knee vertical position) and push-off phases (from the instant of lowest knee vertical position to the instant of toe-off).
Data Analysis

Position data were smoothed with a fourth order Butterworth, zero-lag digital filter (cut-off frequency 6 Hz). Joint angles, angular velocities, and accelerations were calculated by using finite difference differentiation of the smoothed position data. Joint angles were defined as zero when participants were standing at anatomical position. A 2-D lower extremity link segment model and body segment parameters (D.A. Winter, 1979) were used to obtain instantaneous net moment and power about hip, knee, and ankle joints. The force data were resampled at 60 Hz for calculating moments and power outputs. A 4 (drop heights) $\times$ 4 (the number of approach steps) factorial ANOVA with repeated measures was applied to all measured variables to determine any significant effects and interactions of drop height and the number of approach steps. Post hoc means comparisons were performed using Tukey’s test. Significance level was set at alpha = 0.05.

Results

Figure 2.2 and 2.3 present exemplar time histories from a single subject for the vertical component of ground reaction force (Fz) and the individual and summed powers. The curves are similar to those of the other participants.

![Figure 2.2](image)

Figure 2.2. Exemplar vertical component of ground reaction force from one subject at the drop height of 60cm with 2 approach steps (solid line) and without approach step (dashed line). The down arrow indicates the start of the push-off phase during the drop jump at the drop height of 60cm with 2 approach steps. The up arrow indicates the start of the push-off phase during the drop jump at the drop height of 60cm without an approach.
Figure 2.3. Summed Power, hip joint power, knee joint power, and ankle joint power from one subject at the drop height of 60cm with 2 approach steps (solid line) and without approach step (dashed line). The down arrow indicates the start of the push-off phase during the drop jump at the drop height of 60cm with 2 approach steps. The up arrow indicates the start of the push-off phase during the drop jump at the drop height of 60cm without an approach.

The horizontal approach velocity was estimated by using the horizontal velocity of the hip after stepping off the jump platform. The velocity is different from, but highly correlative with the velocity of the center of gravity. With an approach, the estimated horizontal velocity increased significantly [F (3, 33) = 108, P <0.001] from 0.99 ± 0.17 (0 step), to 1.76 ± 0.36 (1 step), 2.17 ± 0.4 (2 steps), and 2.37 ± 0.41 m/s (3 steps). No significant differences were identified for drop height [F (3, 33) = 0.88, P = 0.463] nor the height-approach interaction [F (9, 99) = 1.23, P = 0.282].

Before presenting the effects of the drop height and the number of approach steps on all measured variables, we examined the interactions between the drop height and the number of approach steps. No significant interaction for any variable was observed. Table 2.1 shows the results of interactions for major variables.

Since our main focus was the mechanical performance during the push-off phase, the main factors in the push-off phase will be presented first. Joint angles at the start of the push-off phase would help to explain observations during push-off and will be presented next.
Lastly, the main factors in the downward phase will be presented to explain the first two data sets.

Table 2.1. Interaction tests (Drop Height x Approach Steps).

<table>
<thead>
<tr>
<th>Variables</th>
<th>F-ratio value</th>
<th>P-value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Summed peak Power (W)</td>
<td>1.86</td>
<td>0.07</td>
</tr>
<tr>
<td>Peak hip Power (W)</td>
<td>0.77</td>
<td>0.64</td>
</tr>
<tr>
<td>Peak knee Power (W)</td>
<td>0.49</td>
<td>0.88</td>
</tr>
<tr>
<td>Peak ankle Power (W)</td>
<td>1.38</td>
<td>0.21</td>
</tr>
<tr>
<td>Peak hip moment (Nm)</td>
<td>0.39</td>
<td>0.94</td>
</tr>
<tr>
<td>Peak knee moment (Nm)</td>
<td>1.36</td>
<td>0.21</td>
</tr>
<tr>
<td>Peak ankle moment (Nm)</td>
<td>1.42</td>
<td>0.19</td>
</tr>
<tr>
<td>Peak ground reaction force (N)</td>
<td>1.35</td>
<td>0.22</td>
</tr>
</tbody>
</table>

Note: Source and error degrees of freedom for all tests were 9 and 99, respectively.

**Main Factors in the Push-off Phase (Table 2 and Table 3)**

The peak summed power during the push-off phase demonstrated a quadratic trend (inverted “u”) across drop heights and peaked at the drop height of 30 cm. But the drop height of 30 cm and 45 cm were in the same homogenous group, at which the summed power was approximated 10% greater than that at the drop height of 60 cm. When an approach was used summed peak power increased linearly and was more than 10% greater than standing drop jumps (0-step). But there were no significant differences between 1-step, 2-step, and 3-step conditions. The differences in the summed power were accompanied with differences in the knee joint power and knee joint moment (with changes in approach steps) or ankle joint power and ankle joint moment (with changes in drop heights).

**Joint Angles at the Start of the Push-off Phase (Table 4 and Table 5)**

The joint angles of the lower extremity at the start of the push-off phase serve as the initial condition for power production during the push-off phase. There was no significant influence of drop height on the hip joint angle and knee joint angle. Although the ankle joint angle increased linearly with drop height, no significant differences were found between any adjacent drop height and only significant difference was found between the drop height of 15 cm and 60 cm. When an approach was used, all three joint angles tended to exhibit decreases
Table 2.2. Variables during the push-off phase for each drop height

<table>
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<tr>
<th></th>
<th>H1</th>
<th></th>
<th>H2</th>
<th></th>
<th>H3</th>
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<th>P value</th>
<th>Homogenous Group</th>
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<td>SE</td>
<td>M</td>
<td>SE</td>
<td>M</td>
<td>SE</td>
<td>M</td>
<td>SE</td>
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<tr>
<td>Summed peak Power (W)</td>
<td>6170</td>
<td>310</td>
<td>6720</td>
<td>376</td>
<td>6430</td>
<td>362</td>
<td>5950</td>
<td>387</td>
<td>9.63</td>
<td>&lt;0.001</td>
<td>(H1)(H2, H3)(H3, H4)</td>
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<td>Peak hip Power (W)</td>
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<td>0.002</td>
<td>(H1,H2,H3) (H1,H3,H4)</td>
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Note. H1 = drop height of 15 cm, H2 = drop height of 30 cm, H3 = drop height of 45 cm, H4 = drop height of 60 cm; M = mean; SE = the standard error of the mean.

Table 2.3. Variables during the push-off phase for each approach level

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<th>P value</th>
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<td>M</td>
<td>SE</td>
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<td>SE</td>
<td>M</td>
<td>SE</td>
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<td>6579</td>
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<td>3292</td>
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<td>2358</td>
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<td>414</td>
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<td>Peak knee moment (Nm)</td>
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Note. 0s = drop jump without an approach, 1s = drop jump with one approach step, 2s = drop jump with two approach steps, 3s = drop jump with three approach steps; M = mean; SE = the standard error of the mean.
Table 2.4. Joint angle at the start of the push-off phase for each drop height

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<th>H1 SE</th>
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<th>H2 SE</th>
<th>H3 M</th>
<th>H3 SE</th>
<th>H4 M</th>
<th>H4 SE</th>
<th>F (3,33)</th>
<th>P value</th>
<th>Homogenous Group</th>
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<tbody>
<tr>
<td>Hip angle (deg)</td>
<td>42</td>
<td>2.7</td>
<td>41</td>
<td>2.8</td>
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<td>2.9</td>
<td>47</td>
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<td>Knee angle (deg)</td>
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<td>Ankle angle (deg)</td>
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<td>0.016</td>
<td>(H1, H2, H3) (H2, H3, H4)</td>
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Note. Joint angles were defined as zero when subjects were standing.

Table 2.5. Joint angle at the start of the push-off phase for each approach level

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<th></th>
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<th>0s SE</th>
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<th>1s SE</th>
<th>2s M</th>
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<th>3s SE</th>
<th>F (3,33)</th>
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<tr>
<td>Hip angle (deg)</td>
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<td>46</td>
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<td>38</td>
<td>2.8</td>
<td>6.77</td>
<td>0.001</td>
<td>(0s, 1s) (1s, 2s) (2s, 3s)</td>
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<td>Knee angle (deg)</td>
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<td>2</td>
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<td>(0s, 1s) (1s, 2s) (2s, 3s)</td>
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<td>Ankle angle (deg)</td>
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Table 2.6 Variables during the downward phase for each drop height

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<td>M</td>
<td>SE</td>
<td>M</td>
<td>SE</td>
<td></td>
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Note. PFz = Peak value of the vertical ground reaction force

Table 2.7 Variables during the downward phase for each approach level

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<th>1s</th>
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<td>SE</td>
<td>M</td>
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</tbody>
</table>
Linearly, but no significant differences were found between any adjacent approach conditions. Compared with standing drop jumps, a 3-step approach decreased significantly all three joints angles (hip: 21%, knee: 11%, and ankle: 17%).

**Main Factors in the Downward Phase (Table 6 and Table 7)**

The downward movement phase was attributable to the hip, knee, and ankle flexion (dorsiflexion) motions during landing. During the landing phase peak knee flexion velocity presented a quadratic pattern across drop height while peak ankle flexion velocity (63%), dorsiflexion (31%), knee flexion (35%) and peak vertical force (32%) all tended to increase linearly.

With an approach ankle flexion velocity (9%) and vertical force (22%) showed increases while knee flexion (11%) and downward duration (17%) decreased. Increasing drop height resulted in a greater knee flexion and dorsiflexion. However, increasing approach steps resulted in smaller knee flexion and reduced downward duration time.

**Discussion**

The most important observation of this study was that the peak summed power during the push-off phase increased with approach across all tested drop heights and exceeded the ceiling effect of power output with increasing drop height. The most significant influence of the approach was observed between zero and the one step approach, although power output increased further with more approach steps. The effect of approach on the peak summed power output was accompanied by the increase of the peak knee power. Although there was no observed interaction between the effects of the number of approach steps and the drop height, it should be noted that the highest summed power produced in the drop jump from the drop height of 30 cm with a three-step approach was approximately 20% greater than the
The highest summed power produced in the standing drop jump from the drop height of 45 cm. The results supported our hypothesis that the drop jump with an approach increased the power output of lower extremity.

The present results agree with the data reported in the literature. For standing drop jumps, Bobbert et al. (1987) reported the peak ankle power significantly decreased from 2.3 kW to 2.1 kW when drop height increased from 40 cm to 60 cm. In comparison, our results showed the peak ankle power observed in standing drop jumps significantly decreased from 2.3 ±0.7 kW to 1.9 ± 0.6 kW, when the drop height increased from 45 cm to 60 cm. The optimal drop height for standing drop jump found in the present study, 45 cm, was very close to 40 cm reported by Bobbert et al. (1987), but was lower than 62 cm reported by Komi and Bosco (1978). This difference may be due to different recruitment of participants. The participants in their study were male physical education students and male volleyball players, who should have a better jump ability than male students recruited from a physical activity class in this study.

The present results also provided possible explanations for the finding that the peak power output increased with the drop height before reaching the optimal height but decreased with the drop height beyond the optimal height. The increased muscle power output associated with the drop height may be due to an increased angular velocity of dorsiflexion in the downward phase. The increased stretch speed may enhance the stretch reflex, storage and reutilization of elastic energy, and the potentiation of the contractile machinery (M.F. Bobbert, P.A. Huijing et al., 1987b; Bosco et al., 1981; K.A. Edman et al., 1978; Kallio et al., 2004). Therefore, it was not surprising to find an increased ankle power and an increased summed power in the push-off phase with the drop height (below the optimal height). On the other
hand, a further increase in drop height above the optimal height would not increase or even
decrease the mechanical output, which may be explained by a large dorsiflexion that occurred
in the downward phase when the drop height increased above the optimal drop height. The
relationship between large stretch in the downward phase and small mechanical output during
the push-off phase may be related to the concept of “short range stiffness” (Rack & Westbury,
1974). Short range stiffness means that the muscle performs like a spring when the length
change during stretch is very short. With the drop height beyond the optimal height, ankle
plantar flexors would have been overstretched, and therefore, the muscles power output
decreased due to the possible reduced effect of short range stiffness (Bosco & Komi, 1979).

An interesting finding of this study was that drop jumps with an approach exceeded the
ceiling effect of power output associated with increasing drop height. In contrast to the effects
of increasing drop height, increasing the number of approach steps did not result in a greater
downward movement due to reduced downward duration time. Actually the increased
approach steps decreased the downward movement, the knee joint angle and ankle joint angle
at the start of the push-off phase. With an approach, participants could benefit from the effect
of short range stiffness and shorter time delay between the eccentric contraction and push-off
phase. Consequently, with an approach, a greater power output was produced, which even
exceeded the power output produced during the drop jump from the optimal drop height.

The possible explanation for smaller downward movement and shorter delay time
associated with an approach may be due to muscle preactivation. Kyröläinen and Komi (1995)
reported a faster rate of EMG development during the preactivation phase resulted in a more
effective braking phase, and successive high activation during the braking phase resulted in a
good performance. There may be two reasons for this: first, with a higher activation level in
the preactivation phase, it takes less time for muscle activation and force to reach their maximum, and therefore the force level in the entire eccentric phase increased; second, an activated muscular system is a necessary condition for a high stretch reflex (Komi & Gollhofer, 1997). Combined with the present results, it can be speculated that the approach increased the activation level of leg muscles in the preactivation phase. With higher muscle activation level and correspondingly higher force in the eccentric phase, higher leg stiffness, and a greater stretch reflex, the leg extensor muscles could finish eccentric contraction in a smaller range and shorter duration time (see Figure 4 for schematic representation). It is suggested that future studies should investigate muscular activity during the drop jump with an approach.

Figure 2.4. Schematic representation of the suggested effects of the approach on drop jump (see the text for details). The underline indicates hypothesis. The up arrow indicates increase. The down arrow indicates decrease. (SPO – start of the push off phase).

One potential confounding factor is the horizontal speed before take off. We controlled the approach step lengths and minimized the difference in the horizontal speeds among participants, but we did not measure the horizontal approach speeds. Also, we estimated that
the approach speed increased with more approach steps, but we did not know how much speed increased with more approach steps. Although this will not alter the fact that approach increases mechanical output of drop jump, we can not determine quantitatively the relationship between the approach speed and muscle power out during drop jump. This also needs to be examined in the future.

In designing a training exercise, the views and comments of experienced training experts should not be neglected. Verhoshanski (1967), who introduced the performance of drop jumps as a training exercise, identified the different performance characteristics in drop jump between masters and beginning sportsmen. The masters had less flexion of the leg and more quickly switch muscle from eccentric to concentric than the beginners. Verhoshanski (1967) suggested this was because the reactive ability of the nerve-muscle apparatus in the masters was higher and their muscles had the ability to fulfill effective work of an explosive exercise. The masters’ characteristics identified by Verhoshanski (1967) were consistent with those in drop jumps with an approach observed in this study. Verhoshanski (1967) also pointed out that athletes who wanted to raise the effectiveness of their training by using a higher drop height could not succeed because further rising of the height for drop jump materially changed the take-off mechanism. In other words, the exercises lose their meaning.

Combining this view and the results of this study, it may be concluded that adding an approach preceding the drop jump can offer a better alternative to raising the drop height for further increasing power output. However, the effects of an approach need to be tested in the long-term training studies.

Besides its efficacy and efficiency, the safety of the training exercise is another important aspect to be considered. There were no reports from previous drop jump studies
indicating serious injuries (Bobbert & van Ingen Schenau, 1990). Compared to standing drop jumps from the same drop height, the drop jump with an approach may be associated with less knee flexion, less dorsiflexion, and greater impact. Therefore, there may be an increased potential for injuries. However, the drop jump with an approach could produce greater power output from a lower drop height, which might have reduced the impact force. Another difference between drop jump with and without an approach may be the muscles preactivation levels. One study (Baratta et al., 1988) report that decreased balance in strength and recruitment of the flexor relative to the extensor musculature may put the ACL at a greater risk of injury. It is suggested that the approach may increase the activation level of leg extensor in the preactivation phase and this could cause agonist-antagonist imbalance. However, Kyröläinen, Komi and Belli (1999) reported that the coactivity of agonist and antagonist muscles (vastus lateralis vs. biceps femoris) just before and after touchdown increased with running speed. Therefore, the approach prior to drop jump may not decrease balance in strength and recruitment of the flexor relative to the extensor. A comprehensive injury risk investigation on the drop jump with an approach is needed. Some safety precautions also need to be addressed. First, it is necessary for coaches and athletes to increase the drop height and the approach speed gradually. Second, a gymnastic mat and shock-absorbing shoes can be used for absorbing the impact of landing (Bobbert & van Ingen Schenau, 1990).

In summary, drop jump with an approach produced a greater power output which even exceeded the ceiling effect of increasing drop height. The greater power output may be due to the greater “short range stiffness” that is associated with smaller downward movement observed in the drop jump with an approach. It is suggested that drop jumps with an
additional approach may be a better training method than the standing drop jumps for explosive exercises.
Chapter 3: Effects of Drop Height and Approach on Muscle Activity during Drop Jumps

Introduction

Drop jump, as one of the most popular plyometric exercise that involves stretch shortening cycle, has been proved very effective to improve vertical jump performance due to greater lower extremity power output. The underlying principle of this improvement is that muscles can contract rapidly and produce more power after it has been pre-stretched quickly. The explanations for this enhancement are not very convincing in the literature (Bobbert, 1990; Komi, 2000; van Ingen Schenau et al., 1997a, 1997b). Knowledge of muscle activity during drop jumps is essential for understanding mechanical output enhancement mechanisms during SSC.

Studies (Bobbert, Huijing, & Ingen Schenau, 1987a; Komi & Bosco, 1978) have showed the presence of an optimal stretch load (drop height) to maximize the power output, implying that the stretch load plays an important role in mechanical output during the SSC. However, the effects of stretch load (drop height) on muscle activity are still not very clear. Bobbert et al. (M.F. Bobbert, P.A. Huijing et al., 1987b) reported that while the moments and power outputs about knee and ankle joints reached greater values with a greater stretch load, the EMGs of rectus femoris (RF), gastrocnemius (GA), vastus medialis (VM) and soleus (SO) were not very helpful in explaining the difference in mechanical output because the increased stretch load did not cause a large difference in the activation levels of muscles in both eccentric and concentric phase. Hakkinen et al. (Hakkinen, Komi, & Kauhanen, 1986) also reported that no significant differences were observed in the integrated EMG of vastus lateralis (VL) and VM for the eccentric and concentric phases when drop height increased.
from 20cm to 80cm. However, Takarada et al. (Takarada, Hirano, Ishige, & Ishii, 1997) reported that aEMG of biceps femoris (BF) and GA increased with the eccentric force. Interestingly, while Gollhofer and Kyrolainen (Gollhofer & Kyrolainen, 1991) reported that EMG of GA, SO, and VM demonstrated similarities or small variations for the preactivation phase (100 ms or 50 ms before touchdown) with the extra load, Aura and Komi (Aura & Komi, 1986) reported that aEMG of VL, VM, and GA increased for both preactivation phase and eccentric phase when the stretch load was increased. Therefore, more studies are needed to clarify the relations between stretch loads and muscle activity.

Besides increasing drop height (below than optimal drop height), studies also found the approach run preceding jump can improve vertical jump performance (Saunders, 1980). Our previous study has showed the approach run preceding the drop jump could increase the power output further and even exceeded the limitation of power output associated with increasing the drop height. The main reason is that approach run could decrease downward duration time and downward movement. A shorter downward duration time and smaller downward movement could benefit from the short range stiffness and the stretch reflex (Komi, 2000). However, the muscular activities associated with these changes were not clear.

Because the pre-activation level is a important factor that can significantly influence SSC performance and it appeared to increase with more approach steps (Kakihana & Suzuki, 2001) or greater running speed (Kyrolainen et al., 1999), we hypothesized that the approach run preceding the drop jump increased the activation level of leg extensor muscles in the preactivation phase. Correspondingly increased muscle activation and tension level in the eccentric and concentric phase, therefore, the leg extensor muscles could finish eccentric contraction in a smaller range and shorter duration time. In this study, we exam...
hypothesis. Also, if the preactivation of muscle increased during drop jumps with approach run, the stretch reflex may play an important role in enhancing muscle power output due to increased sensitivity of muscle spindles. Thus, we would like to exam the possible connect between muscle pre-activation and muscle activity during eccentric phase and concentric phase.

On the other hand, the coactivity of the agonist and antagonist is necessary to maintain joint stability (Baratta et al., 1988). If the muscle activity of leg extensors in the preactivation phase increases and the leg flexors’ EMG do not increase, the reduced coactivity of leg extensors and flexors may put athletes in a position where they are at higher risk of an ACL injury because of muscular imbalance. Therefore, we also examed the coactivation ratio of the agonist and antagonist under different drop heights and different approach levels.

The purpose of this study was to investigate the effects of approach run and drop height on the muscle activity of low extremity muscles during drop jumps. EMG of major leg muscles during preactivation, eccentric, and concentric phases were examined under combinations of different drop heights and approach steps. It was expected that the results would help us better understand the enhancement mechanisms and influence of stretch reflex in SSCs.

**Methods**

**Participants**

Ten physically active male university students (age: 23 ± 3; height: 1.79 ± 0.1; body mass: 75 ± 5) were recruited for this study. Prior to participation, procedures were described to the participant and all questions were addressed. Each participant signed a written consent form as approved by the Institutional Review Board.
**Protocol**

Participants had a one-week drop jump training for familiarization. Training involved three sessions during which combinations of drop jumps with and without approach run at different drop heights were performed. In the first session, participants performed the vertical jump (countermovement jump) 16 times. In the second session, participants performed four drop jumps from drop height of 15 cm for each of four approach conditions (zero, one, two, and three steps), totally 16 trials. In the third session, participants also performed four drop jumps from drop height 45 cm for each of four different approach conditions (zero, one, two, and three steps), totally 16 trials. Participants were instructed to follow four performance requirements: 1) the approach speeds should be moderate and step lengths should be consistent for each condition; 2) participants should step off the raised platform instead of jump up (no potential drop height was added when participants performed drop jumps with approach runs); 3) participants should step off the raised platform with their right foot, but they use both feet landing simultaneously; and 4) participants should perform each jump with their maximal effort. These performance requirements were also applied during data collection.

Prior to data collection, participants had approximately 12 minutes warm up, including 8 minutes running on a treadmill and 4 minutes jump exercises (one standing drop jump and one drop jump with two approach steps from drop height of 15 and 30cm.). After warm up, surface electromyography (SEMG) electrodes were placed on the surfaces of Gluteus Maximus (GM), Rectus Femoris (RF), Biceps Femoris (BF), Vastus Lateralis (VL), Tibialis Anterior (TA), Gastrocnemius (GA) and Soleus (SO) of subject’s left leg. The electrodes were placed longitudinally over the muscle belly with an interelectrode distance of
2 cm. The distances between the electrode pairs were at least 3 cm. Therefore, the distance between the electrode pairs has been assumed to cause no significant influence on surface EMG patterns and the degree of cross-talk should be very small and no significant (D. Winter, Fuglevand, & SE, 1994). Additionally, three reflective markers placed on the left leg of the participant at hip, knee, and ankle joint. Figure 1 shows a schematic presentation of the instrumentation and the jump platform used in the study. To minimize the difference of approach speed and step lengths among participants and different drop heights, the initial positions for zero, one, two and three steps were set on the surface of the jump platform. Participants performed drop jumps from four different heights: 15, 30, 45, and 60 cm. The order of drop heights was randomized across the participants. From each drop height, the participants performed one trial for each of four different approach conditions (zero, one, two, and three steps) in a random order. In all, participants performed 16 trials. Every trial was monitored visually and self-evaluated by the participants. Participants would have to repeat the trial if any performance requirements were not fulfilled or they thought that was not a maximal effort.

**Data Recording**

A camera of Motion Analysis system (Motion Analysis Corporation, Santa Rosa, Ca) was used to collect the movement trajectories of each marker at 60 Hz. A force platform (Advanced Mechanical Technology Inc, Watertown, MA) was used to record the ground reaction forces at 1200 Hz. The surface EMG activity of the Gluteus Maximus (GM), Rectus Femoris (RF), Biceps Femoris (BF), Vastus Lateralis (VL), Tibialis Anterior (TA), Gastrocnemius (GA), and Soleus (SO) were recorded using surface bipolar electrodes (Ag-AgCl, 1 cm diameter, MA-310, Motionlab Systems, Baton Rouge, USA). The EMG
signals were amplified with an adjustable gain of up to 20,000 with a common mode rejection ratio (CMRR) of 100 db and band pass filter for frequencies in the range of 20-500 Hz (MA-300 EMG System, Motionlab Systems, Baton Rouge, USA). Kinematic, EMG, and ground reaction force data were collected simultaneously with internal synchronization. The EMG signal was digitized at a sampling rate of 1200Hz. Each muscle’s EMG activity was full-wave rectified and normalized as a percentage of the highest value recorded during the 16 trials of drop jumps. The EMGs were then averaged (aEMG) in the pre-activation (50ms before touchdown), downward (from touchdown to knee reach the lowest point) and pushoff (from the lowest knee point to take off) phases.

The onset and offset of the ground reaction force was used as a reference point to identify the beginning and the end of contact. The instant of lowest knee vertical position during the drop jump was used to divide the jump into downward (from the instant of touch down to the instant of lowest knee vertical position) and push-off phases (from the instant of lowest knee vertical position to the instant of toe-off).

**Data Analysis**

Position data were smoothed with a fourth order Butterworth, zero-lag digital filter (cut off frequency 6 Hz). The antagonist-agonist coactivation ratio was calculated by the normalized BF aEMG divided by the average of RF and VL aEMG. The antagonist-agonist coactivation ratio was calculated by the normalized BF aEMG divided by the average of RF and VL aEMG. Ratio data were log transformed to insure normality.

A 4 (drop heights) × 4 (approach steps) factorial ANOVA with repeated measures was performed to determine any significant effects and interactions of drop height and the number of approach steps. Post hoc means comparisons were performed using Tukey’s test ($\alpha=0.05$).
Results

Figure 3.1 shows one subject time histories of the EMG of all examined muscles for standing drop jump and drop jump with 3-step approach at drop height of 30 cm. The curves are similar to those of the other subjects. No significant changes took place in the aEMGs of BF, GM, RF, SO and VL under different drop heights in the preactivation, downward and pushoff phases (table 3.1). GA is the only muscle to show increased muscle activity from 39.8% (drop height: 15 cm) to 68.9% (drop height: 60 cm) with increasing drop height during the preactivation phase. The aEMG of TA during the preactivation also influenced by the drop height, but it decreased with greater drop heights. All examined muscles except TA showed significant increases in the aEMG during the preactivation phase with approach steps. Compared to standing drop jumps, 3-step approach increased muscle activity of knee extensors during preactivation as much as 20% (VL) or 28% (RF). The muscle activity of GM and BF also increased as much as 25% or 20% during preactivation with a 3-step approach. However, muscle activities of planter flexors SO and GA during the preactivation increased no more than 15% when approach steps preceded the drop jumps. During the downward phase, only four muscles showed significant increases in the aEMG and the magnitude of increase was less than that of the preactivation phase. During the pushoff phase, no significantly increased muscle activity was observed for all examined muscles between (Figure 2). No interactions were found between the number of approach steps and drop heights for all examined muscles during any phase.

Although the muscle activities of VL and RF increased significantly with more approach steps, the knee joint antagonist-agonist coactivation ratio remained unaltered with different approach steps during the preactivation and downward phases (Figure 4).
reason is that the aEMG of BF increased with the steps of approach run significantly from 36.3 to 56.6 (0 to 3 steps) during the preactivation phase and from 53.7 to 69.5 (0 to 3 steps) during the downward phase across all the drop heights. The antagonist-agonist coactivation ratio increased with approach significantly ($p < 0.001$) during the pushoff phase because the muscle activity of BF remained high but the muscle activities of VL and RF reduced slightly.

Table 3.1 Statistics results for aEMG among different steps and drop height conditions. F(3,27)

<table>
<thead>
<tr>
<th></th>
<th>BF</th>
<th>GA</th>
<th>GM</th>
<th>RF</th>
<th>SO</th>
<th>TA</th>
<th>VL</th>
</tr>
</thead>
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<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
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<tr>
<td>Height</td>
<td>F 0.200</td>
<td>12.540</td>
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<td>1.57</td>
<td>2.41</td>
<td>5.230</td>
<td>1.79</td>
</tr>
<tr>
<td>P</td>
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<td>&lt;0.001</td>
<td>0.102</td>
<td>0.220</td>
<td>0.089</td>
<td>0.006</td>
<td>0.173</td>
</tr>
<tr>
<td>Steps</td>
<td>F 5.000</td>
<td>3.850</td>
<td>9.750</td>
<td>11.730</td>
<td>5.050</td>
<td>1.96</td>
<td>4.240</td>
</tr>
<tr>
<td>P</td>
<td>0.007</td>
<td>0.020</td>
<td>&lt;0.001</td>
<td>&lt;0.001</td>
<td>0.007</td>
<td>0.144</td>
<td>0.014</td>
</tr>
<tr>
<td><strong>downward</strong></td>
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<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Height</td>
<td>F 1.24</td>
<td>1.47</td>
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<td>0.42</td>
<td>5.210</td>
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<tr>
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<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Height</td>
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<td>0.43</td>
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<tr>
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<td>0.775</td>
<td>0.293</td>
<td>0.186</td>
</tr>
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</table>

**Discussion**

This study examined the influence of approach and drop height on the muscle activity level during the preactivation, downward, and pushoff phase of drop jumps. The main findings were as follows: 1) Approach runs increased muscle preactivation level of all tested muscles but TA; 2) increasing drop height could not enhance the preactivation level of all examined muscles but GA; 3) Although approach runs increased joint power outputs during the pushoff phase, no significantly increased muscle activities were observed; and 4) Approach run did not reduce the knee joint antagonist-agonist coactivation ratio during drop jumps. The most important finding is that the approach run preceding drop jumps increased
Figure 3.1 Exemplar of rectified EMG records from a subject at the drop height of 30cm with 3 approach steps and without approach step. The dish line indicates the start of the push-off phase during the drop jump.
Figure 3.2 Changes in aEMG associated with changes in approach steps.

Figure 3.3 Changes in Coactivation ratio associated with changes in approach steps.
the preactivation level during the drop jump. The results supported the hypothesis that the approach run preceding the drop jump increased the activation level of leg extensor muscles in the preactivation phase and correspondingly increased muscle activation and tension level in the eccentric phase, therefore, the leg extensor muscles could finish eccentric contraction in a smaller range and shorter duration time. The changes of muscle activities associated with approach run observed in the present study are consistent with studies on running (Kyrolainen et al., 2005; Kyrolainen et al., 2003) and long jump (Kakihana & Suzuki, 2001; Kyrolainen et al., 2003).

The preactivation is interpreted as a preprogrammed neuronal activation part, which has important functions (Dietz, Schmidtbleicher, & Noth, 1978; Gollhofer & Kyrolainen, 1991). First of all, it creates a beneficial situation for muscles to develop maximum force in a short time. For slow movements, it takes about 300 ms to develop the highest force (Ingen Schenau G.J.van., Bobbert M.F., & A., 1997b). However, in fast SSCs, such as drop jumps, the muscles reach the maximum value in less than 100 ms. When muscles are strongly preactivated before landing, the process of stimulation dynamics and excitation dynamics may happen before landing (Ingen Schenau G.J.van. et al., 1997b). Therefore, the force could develop very fast after landing. Another function of preactivation is to increase sensitivity of muscle spindles to enhance stretch reflexes (Gottlieb et al., 1981), which subsequently increases tendomuscular stiffness (Komi, 2000) and enhances force production (Kyrolainen et al., 2005). Kyrolainen et al. (Kyrolainen et al., 2005) reported that at higher speeds, the aEMG activities of the gastrocnemius, vastus lateralis, biceps femoris and gluteus maximus exceeded 100% MVC. This result provided evidence to support that the increased preactivation level enhances the functional role of stretch reflexes. Recently,
Linnamo et al. (Linnamo et al., 2006) reported that the force potentiation is related to preactivation levels. Results showed that the force potentiation was greater at higher stretching velocities but only when maximal preactivation preceded the stretch. At lower preactivation levels the velocity dependence was not observed (Linnamo et al., 2006). There functions of preactivation may have contributed to greater muscle mechanical output during drop jumps when an approach was used.

Although approach increased muscle power output during push off phase, no significantly increased muscle activities in this phase were observed. This phenomenon may be due to increased EMG activity in the eccentric phase. Studies (van Ingen Schenau et al., 1997b), (Vos, Harlaar, & Ingen Schenau, 1991) have showed that the delay at which the highest correlation between EMG and force existed was 90 ms -100 ms. The EMG activity during the eccentric phase is controlled partly by the preactivation process, but also by the refectory loops during the eccentric phase (Hulliger & Vallbo, 1979; Nichols & Houk, 1976). The activation of the Ia-afferents from the muscle spindle as a consequence of stretch is the main factor in the reflex control of the EMG activity during the eccentric muscle contraction. The increase in EMG during downward phase must mean that relatively more activation takes place during the eccentric phase implying that more attached cross bridges will be stretched, which can improve muscle stiffness and consequently its recoil capacity (Hoffer & Andreassen, 1981; Nichols & Houk, 1976). Therefore, greater power output could be produced without greater activation level during pushoff phase due to greater activation level in preactivation and eccentric phase. However, like GM and GA, greater preactivation does not necessarily result in great activation level in eccentric phase. The possible reason is that no stretch reflexes occured in these two muscles. Our previous study showed that the hip joint
did not yield during the downward phase. Kuroawa et al. (2003) reported that the muscle fibers of the GM were not stretched during downward movement. Even without greater activation level in eccentric phase, greater preactivation may have created a favorable condition for muscles to exert eccentric contraction.

There are some disagreements in the literature about the effects of stretch load on muscle activity. However, the present results are in agreement with findings from the studies (M.F. Bobbert, P.A. Huijing et al., 1987b; Gollhofer & Kyrolainen, 1991; Hakkinen et al., 1986) in which drop jumps were performed. In contrast, other studies (Aura & Komi, 1986; Ishikawa & Komi, 2004) reported that the muscle activity in preactivation and eccentric phases increased with stretch load, but sledge jumps rather than drop jumps were used in these studies. Although muscles involved in SSC in both sledge jumps and drop jumps, the amount of muscle activity in sledge jumps differed clearly with that in drop jumps and the preactivation correlated even negatively with the take off velocity (Kyrolainen & Komi, 1995). The similarity of muscle activities among different drop heights emphasizes that enhancement of muscle performance associated with drop height was attribute primarily to reutilization of elastic energy rather than increased muscle activities. However, the results presented in this study cannot deny that stretch reflexes do not occur in SSC exercises such as drop jump. The short latency stretch reflex component (SLC) occurred in drop jumps has been observed in studies (Gollhofer, Strojnik, Rapp, & Schweizer, 1992; Komi & Gollhofer, 1997). Increasing drop height may increase the stretch velocity and then facilitate the stretch reflex because the effect of stretch reflex is increased with stretching velocity (Kallio et al., 2004). However, the differences in stretch velocity associated with drop heights in this study may not be great enough to affect the amount of stretch reflexes. Another possible reason for
no difference in muscle activity is inhibition. At the greater drop height, inhibitory may be increased and functionally serve as a protection strategy to prevent muscle and tendon injury (Komi & Gollhofer, 1997). This inhibitory effect may offset the facilitation associated with increased stretch velocity. Also, different muscles and different subjects may respond differently to the change of stretch load. In agreement with the present results, Kyrolainen and Komi (Kyrolainen & Komi, 1995) also reported that the GA behaved in a manner different from the other examined muscles during drop jumps. They also reported (Kyrolainen & Komi, 1995) that while the power-trained athletes demonstrated higher EMG in the optimal drop height condition, the endurance-trained athletes showed no different EMG in the optimal condition. The current results also demonstrated that not all muscles EMGs have clear bursts. Therefore, in general, greater drop height does not increase muscle activity.

For the safety issue, it is a good strategy to maintain the antagonist-agonist coactivation ratio because coactivation increases the stability of a joint and the antagonist-generated torques are not greater than 10% of the maximal extension torque (Baratta et al., 1988). The current results showed that drop jumps with approach run did not change knee joint antagonist-agonist coactivation ratio. While the approach run induced a greater power output in drop jumps, it also increased the muscular activity of hamstrings. Combined with our previous studies, the results indicate that approach run can increase lower extremity power output without reducing the antagonist-agonist coactivation ratio. Approach run can be employed to improve performance without sacrificing injury prevention.

In summary, muscle preactivation in the stretch-shortening cycle is extremely important for lower extremity muscle activities in eccentric phase and finally contributes to greater
power output during concentric contraction phases. An approach run preceding the drop jump is an effective and safe strategy to increase muscles preactivation level, as it does not change knee joint antagonist-agonist coactivation ratio.
Chapter 4: Effects of Stretch Load and Preactivation on Muscle Performance during SSC—A Simulation Study

Introduction

In natural locomotion or exercise conditions, the human muscles seldom perform a pure form of isometric, concentric, or eccentric contractions. The nature muscle behavior is more often a stretch-shortening cycle (SSC), which is a combination of eccentric and concentric contractions (Komi, 2000). It is well documented that this type of muscle action enhances muscle mechanical output (Bosco & Komi, 1979; Cavagna et al., 1968; Komi & Bosco, 1978). Several mechanisms have been proposed to enhance performance during SSCs (van Ingen Schenau et al., 1997a, 1997b). These mechanisms include: 1) time available for force development (van Ingen Schenau et al., 1997a); 2) increased contribution of the stretch reflex (Komi & Bosco, 1978); 3) reutilization of elastic energy (Bosco et al., 1981; Komi & Bosco, 1978); and 4) potentiation of the contractile machinery (K.A. Edman et al., 1978; Ettema et al., 1992). To date, however, no consensus exists as to the exact contribution of these enhancement mechanisms (Cavagna, Kamarek, Citterio, & Margaria, 1971; van Ingen Schenau et al., 1997a, 1997b).

The stretch load has been reported to affect SSC performance. To obtain different stretch loads during the SSC, and a direct proportional relationship between stretch load and mechanical output during the concentric contraction, drop jumps performed at various heights have been examined in many studies (M. F. Bobbert, P. A. Huijing, & G. J. van Ingen Schenau, 1987; Bosco et al., 1981; Komi & Bosco, 1978). Drop height determines the downward velocity of the body’s mass center (M. F. Bobbert et al., 1987), and thus influences muscle stretch velocity. Higher stretch velocity may increase the amplitude of the
stretch reflex (Kallio et al., 2004) and the amount of the storage of elastic energy (Cavagna et al., 1968). Therefore, initially increasing stretch load may enhance muscle mechanical output. Komi and Bosco (Komi & Bosco, 1978) reported that jump height, as determined by the rise of center of gravity, increased when the drop height was increased from 26 to 62 cm in male participants from 20 to 50 cm in female participants. However, the contribution of stretch reflex and elastic energy are controversial in the literature (Bobbert, 1990; Komi, 2000; van Ingen Schenau et al., 1997a), and it is still not clear how the different stretch loads (velocities) affect stretch reflex and elastic energy to regulate the mechanical output.

While the stretch speed, the stretch amplitude, and interaction between fascicle and tendon directly (M.F. Bobbert, P.A. Huijing et al., 1987b; M.F. Bobbert, P.A. Huijing, & G.J. van Ingen Schenau, 1987; Komi & Bosco, 1978; Komi & Gollhofer, 1997; Takarada, Iwamoto et al., 1997) influence the muscle mechanical output, these factors are determined by the stretch load (downward velocity of the body’s mass center at the moment of ground contact) and muscle activation level. The muscle activation level during eccentric contraction, in turn, will depend on the preactivation level if the same rate of muscle activation development is produced during SSCs. The high preactivation of the leg extensors and successively higher activation during the eccentric phase result in improved performance in SSC (Kyrolainen & Komi, 1995). For maximum SSC like drop jumps, if we assume muscles exert their maximal capacity to produce mechanical output under each condition and the initial muscles’ lengths are same among conditions, the stretch load and preactivation may be the only factors regulating muscle mechanical output. Although the significance of the preactivation effect on SSC performance is convincing
(Kyrolainen et al., 1999), no study has quantified the effects of preactivation on muscle mechanical output during SSC under different stretch load.

Isolated muscle experiment is a common way to investigate the basic muscle functions. Performance enhancement following stretch is also observed in isolated muscle experiments (Cavagna et al., 1968; K.A. Edman et al., 1978; K. A. Edman & Tsuchiya, 1996; Herzog & Leonard, 2002; D. L. Morgan, 1990; Takarada, Iwamoto et al., 1997). In this type of experiment there is limited or no external tendon, no stretch reflex and 100% activation level during preactivation. These limitations make it difficult, if not impossible to describe the effects of stretch load and preactivation on muscle mechanical output. Muscle function may also be studied in vivo measurements of the muscle force using buckle type transducers (Komi, 2000) and optic fibers (Finni, Komi, & Lepola, 2000; Komi, 2000). However, there are some ethical and technical problems associated with these methods. Ultrasonography is an noninvasive method to measure the tendon and fascicle length changes during human movement (Finni et al., 2003; Kurokawa, fukunaga, & Fukashiro, 2001), but the tendon stretch measurement is not very accurate and derived velocities are rather noisy (Hof, 2003) because the low recording frequencies limit movement speed (Bohm, Cole, Bruggemann, & Ruder, 2006). Inverse dynamics is a common method used to determine joint moment and power during dynamic movement. However, this method cannot estimate directly muscle force and length change. Even if the muscle force can be estimated by using a muscle model, options for stretch load and preactivation levels are very limited and cannot be precisely controlled. Using a computer simulation to investigate the effect of stretch load and preactivation seems the best option to avoid these drawbacks.
The purpose of this study was to investigate the effects of stretch load and preactivation on muscle mechanical output. More specifically, gain in height, peak power, force at the start of concentric contraction and work production under different stretch loads and preactivation levels were examined. We hypothesized high stretch load needs a high preactivation to maximize the mechanical output.

**Methods**

A Hill-type (Hill, 1938) muscle-tendon complex model (MTC) (Nagano, Komura, & Fukashiro, 2004) (Fig. 1) was used for this study. The model consisted of three elements, a contractile element (CE), a series elastic element (SEE) and a parallel elastic element (PEE). CE represents the active part of muscle that is capable of voluntary contraction. SEE represents all series elasticity. The passive SEE transmits the forces from the CE to the load and is responsible for most of the elastic energy stored in the MTC. The series elasticity of the muscle fiber itself in the cross-bridges and myofilaments is neglected because the strain of the cross-bridges is very low at a giving muscle force (D. L. Morgan, Proske, & Warren, 1978) and the length of the external tendinous tissue is much longer than muscle fiber (Bobbert, Huijing, & van Ingen Schenau, 1986; van Ingen Schenau et al., 1997b). Therefore, although CE and SEE should be recognized as behavior models rather than anatomical models, in this study the SEE approximately represents the extern tendon and CE approximately represents muscle fibers (fascicle) of the MTC.

In this model, the proximal end of the CE was fixed (Figure 4.1). A weightless supporting object, keeping at the same position until the release time, was affixed to the distal end of the SEE. A weight with a downward velocity, representing the stretch load, landed on
the supporting object at the release time. The downward and lifting of this mass through the SSC of the MTC corresponds to jump.

![Diagram of the Hill-type muscle tendon complex](image)

**Fig. 4.1** The Hill-type muscle tendon complex consisted of two components: contractile component and series elastic component. (Adapted from Nagano et al., 2004.)

The magnitude of the CE force produced depends on four separate relationships (Gladwell, 2004), including stimulation-activation (SA), force-activation (FA), force-velocity (FV), and force-length (FL). SEE behavior was characterized by an undamped and non-linear force-extension relationship.

**Stimulation-Activation**

Physiologically, motor neuron action potentials (APs) trigger motor unit action potentials (MUAPs) that travel along muscle fibers. These MUAPs travel through the transverse tubule system to the sarcoplasmic reticulum, where they cause the release of calcium ions into individual sarcomeres. This process can be considered the stimulation (Gladwell, 2004). The action-myosin complex responds to the calcium ion influx by changing from its resting state to an activated state. This is the activation part. The stimulation dynamics is difficult to ascertain, so some authors (Nagano et al., 2004; Pandya, Zajac, Sim, & Levine, 1990) simplified it using “on” (100% stimulation) and “off” (0% stimulation) to represent the entire
process. This on and off model cannot be used to study preactivation. Some studies used normalized surface EMG to represent stimulation dynamics. However, EMG is still a very fuzzy way to represent the stimulation because it is an output signal of the muscle rather than the stimulation input (Bobbert, Gerritsen, Litjens, & Soest, 1996). Another option is to use a constant rate of stimulation development. A rate of 2.2/s was used in a countermovement jump study (Bobbert & Casius, 2005). Although this constant rate may be different with the real stimulation dynamics, it does not favor any experiment condition. We therefore felt that the fixed rate of stimulation development was suitable to investigate the effect of preactivation and stretch load.

The exact shape of the relationship between stimulation (S) and activation (q) can be estimated by the following differential equation (He, Levine, & Loeb, 1991)

\[ q = (S - q) \cdot (t_1 \cdot q + t_2) \]

where

\[ t_2 = \frac{1}{t_d}, \quad t_d \text{ is time constant for de-activation (65 ms)} \]  \hspace{1cm} (4.2)

\[ t_1 = \frac{1}{t_a} - t_2, \quad t_a \text{ is time constant for activation (35ms)} \]  \hspace{1cm} (4.3)

For modeling purposes, both stimulation and activation will be placed on relative scales that range from 0 to 100%. In this study, the stimulation will be allowed to rise from different preactivation levels at a constant rate to its maximal value (van Zandwijk, Bobbert, Munneke, & Pas, 2000).

**Force-Activation**

Activation is a state in which force can be produced rather than an actual force level because the actual force level depends not only on activation, but also on the kinematic state
of the CE. For modeling purposes, we consider the conceptual force-activation relation is
direct and linear and actual force level will be determined by the kinematic state of the CE.
For example, 20% activation can produce twice force compared to 10% activation when the
kinematic states of the CE are same.

**Force-Velocity**

The CE force-velocity relation (Nagano & Gerritsen, 2001; Van Soest & Bobert, 1993) is
expressed for the CE concentric contraction adopted from the Hill (Hill, 1938) equation:

\[
V_{ce} = -Factor \cdot L_{CEopt} \cdot \left( \frac{(F_{iso} + \alpha) \cdot \beta}{F_{CE}} \right) \left( F_{CE} + \alpha \right) - \beta
\]

(4.4)

where Factor = Min (1, 3.33*q), α=0.41 and β=5.2, F_{CE} is force produced by CE. F_{MAX} is
the Maximum isometric force CE can produce at the optimum length. F_{iso} is the isometric
contraction force with 100% activation.

For CE eccentric contraction phase,

\[
V_{ce} = -L_{CEopt} \cdot \left( \frac{c_1}{F_{CE}} \right) \left( \frac{F_{CE} + c_2}{F_{MAX} \cdot q} + c_3 \right)
\]

(4.5)

Where c1, c2, c3 were parameters to specify the shape of the eccentric force-velocity relationship:

\[
c_2 = -F_{ISO} \cdot F_{asympt}
\]

(4.6)

\[
c_1 = \frac{FACTOR \cdot \beta \cdot (F_{ISO} + c_3)^2}{(F_{ISO} + \alpha) \cdot SlopeFactor}
\]

(4.7)

\[
c_3 = \frac{c_1}{F_{ISO} + c_2}
\]

(4.8)
where \( F_{\text{asympt}} \) is the asymptotic maximum force value in the eccentric phase. \( \text{Slopefactor} \) is the ratio between eccentric and concentric derivatives \( dF/dV_C \) at \( V_C=0 \). \( F_{\text{asympt}}=1.5 \), \( \text{Slopefactor} = 2.0 \) were used (Van Soest & Bobert, 1993).

**Force-Length**

The force-length relationship of the CE was modeled as a parabola where the maximal force capability occurs at an optimal muscle fiber length (Gordon, Huxley, & Julian, 1966). The mathematical form of the CC force-length relationship can be expressed as following (Nagano & Gerritsen, 2001; Van Soest & Bobert, 1993):

\[
F_{\text{iso}} = c \cdot \left( \frac{L_{CE}}{L_{CEopt}} \right)^2 - 2 \cdot c \cdot \left( \frac{L_{CE}}{L_{CEopt}} \right) + c + 1
\]

where

\[
c = \frac{-1}{\text{width}^2}
\]

\( L_{CEopt} \) is the optimum CE length. \( L_{CE} \) is the CE length. Width is length range of force production relative to \( L_{CEopt} \) on the on the ascending limb (half of length range of the parabola). Width=0.55 (Nagano & Gerritsen, 2001) was used in this study.

The force extension relationship of the SEC is expressed as following (Van Soest & Bobert, 1993)

\[
F_{\text{SEE}} = F_{\text{MAX}} \cdot \left( \frac{\Delta L_{\text{SEE}}}{\text{Stiff} \cdot L_{\text{slack}}} \right)^2
\]

where \( F_{\text{SEE}} \) is SEE force production, \( \Delta L_{\text{SEE}} \) is SEE deformation, \( L_{\text{slack}} \) is SEE slack length, and stiff is the SEE strain at maximum isometric force. Stiff was set at 4% (Nagano & Gerritsen, 2001; Van Soest & Bobert, 1993), which is in the range of values from in vivo Ultrasonography measurement (Magnusson, Aagaard, Dyhre-Poulsen, & Kjaer, 2001).
The force extension relationship of the PEE is expressed as follows (Delp, 1990)

\[ F_{\text{PEE}} = F_{\text{MAX}} \cdot \left( \frac{L_{\text{CE}} - L_{\text{CEopt}}}{0.47 \cdot L_{\text{CEopt}}} \right)^3 \] (LCE>LCEopt) (4.11)

where \( F_{\text{PEE}} \) is PEE force production. PEE produces force only when CE length is greater than CE optimal length.

Parameter values of the muscle tendon complex, such as maximal isometric contraction force of the CC (Fmax), optimal length of the CC (Lceopt) were calculated from the mean value of the six major leg muscle groups used in jumping simulation studies, i.e. Hamstrings, Gluteal muscles, Rectus femoris, Vasti, Gastrocnemius, Soleus (Bobbert & Cassius, 2005). This procedure was performed to ensure parameter values are within normal physiological range.

Table 4.1. Muscle Parameters

<table>
<thead>
<tr>
<th>Muscle</th>
<th>( F_{\text{MAX}} ) (N)</th>
<th>Width %</th>
<th>( L_{\text{CEopt}} )</th>
<th>( L_{\text{slack}} )</th>
</tr>
</thead>
<tbody>
<tr>
<td>GM</td>
<td>3700</td>
<td>36</td>
<td>0.12</td>
<td>0.19</td>
</tr>
<tr>
<td>BF</td>
<td>1700</td>
<td>70</td>
<td>0.1</td>
<td>0.4</td>
</tr>
<tr>
<td>RF</td>
<td>2000</td>
<td>80</td>
<td>0.16</td>
<td>0.35</td>
</tr>
<tr>
<td>VA</td>
<td>7000</td>
<td>34</td>
<td>0.09</td>
<td>0.25</td>
</tr>
<tr>
<td>GA</td>
<td>1400</td>
<td>56</td>
<td>0.06</td>
<td>0.42</td>
</tr>
<tr>
<td>SO</td>
<td>4100</td>
<td>58</td>
<td>0.1</td>
<td>0.35</td>
</tr>
<tr>
<td>Mean</td>
<td>3317</td>
<td>55</td>
<td>0.1</td>
<td>0.3</td>
</tr>
</tbody>
</table>

Note: \( F_{\text{MAX}} \) and Width are adopted from (Van Soest & Bobert, 1993). \( L_{\text{CEopt}} \) plus \( L_{\text{slack}} \) is the muscle resting length (Gerritsen, Van den Bogert, Hulliger, & Zernicke, 1998).

Algorithm

The CE was activated at a one particular level before release. Through this process, the CE will be shortened and the SEE will be stretched. When CE length below than optimal length, PEE does not produce any force. The CE and SEE forces are equal. After the system
reached its equilibrium, \( t = \text{release} \), the supporting object was released and stimulation was rising at 2.2/s until reach the particular level (see experiment conditions). The flow chart of modeling process is presented in Figure 4.2.

![Flow chart of the modeling process](image)

Integration of M-velocity, M-acceleration, CE velocity, and first derivative of activation (Dact) will output muscle distal position, muscle velocity, CE length, and activation level.

**Experimental Conditions**

**Experiment 1**

The stimulation raise from 0 to a specific preactivation level: 0% (no preactivation occurs), 10%, 20%, 30%, 40%, 50%, and 60% with a development rate of 2.2/s. Before release time, active state in each condition was stabilized at the particular preactivation level. When \( t = \text{release} \), the MTC was released and the mass with a downward velocity landed on the supporting object. At the same time, stimulation was raising again at 2.2/s until
preactivation level plus 30% maximum possible stimulation level. When \( t = 0.8\)s, the stimulation was dropped to zero.

During sprinting, the maximum muscle stretch velocity can reach close to 1.5m/s (Komi, 2000). Therefore, we set the downward velocity of mass from 0 to 1.5 m/s with 0.1/s increment. These velocities represent stretch loads and equal to the initial MTC stretch velocities. In the following sections, the term “stretch velocity” was used to represent the stretch load level.

Experiment 2

After release, the stimulation was rising until 90% maximum possible stimulation level. Some low preactivation level may not reach 90%. All other parameters are same with experiment 1.

Results

Figure 4.3 shows an example of simulation results. In this trial, the preactivation was stabilized at 40% before the mass hitt the supporting object with the initial velocity of 0.8 m/s. Then, the stimulation increased until 90% of maximum possible level of stimulation. From the time history of the mass position, we can see the muscle-tendon complex (MTC) underwent stretch-shortening cycle (SSC). From the initial to the lowest mass position, the MTC was stretching with negative mass velocity and MTC was producing negative power. From the lowest position to the highest position of the mass, the MTC was doing positive work. Therefore, the mass velocity and MTC power in this period were positive. The distance from the initial to the highest mass position is defined as the gain in height. The curves are similar to those of other experiment conditions.
Stimulation, Active State, and Gain in Height in Experiment 1

Figures 4.4 and 4.5 present the development of stimulation and active state respectively. For each preactivation level, the active states stabilized at a certain level. After the release time, active state rose and stabilized at level of preactivation plus 30% of maximum possible level of active state. The gain in height (Figure 4.6) produced by the MTC varied with the change of preactivation level and the initial stretch velocity. At low preactivation levels (0% and 10%), the MTC reduced the gain in height when the initial stretch velocities increased. When the initial stretch velocity increased further, the MTC could not go back to the initial position. At medium preactivation levels (20% and 30%), the gain in height suddenly dropped at a particular stretch velocity, then increased with stretch velocity. However, for the high preactivation level conditions (40%, 50% and 60%), the MTC always responded the increased stretch velocities positively. The greatest gain in height, 0.0496 m, was occurred at 60% preactivation with 1.5 m/s stretch velocity. For a particular stretch velocity, generally, the higher preactivation condition generated a greater gain in height.

Stimulation, Active State, and Gain in Height in Experiment 2

In experiment 2, for low preactivation conditions (0% and 10%), the gain in stimulation (Figure 4.7) exceeded 60% but the stimulation level never reached 90% of maximum possible level of stimulation. The active state (Figure 4.8) also increased about 50%. Accordingly, the gain in height (Figure 4.9) averagely increased 104% (0% preactivation) and 60% (10% preactivation) compared to experiment 1. More importantly, those low preactivation conditions could survive from much higher initial stretch velocities. However, the gain in height decreased with a greater stretch velocity at these levels.
Figure 4.3. Exemplar time histories of stimulation, active state, mass position, mass velocity, CE length, SEE length, Force and power 40% preactivation with the initial stretch velocity of 0.8 m/s.

Figure 4.4. Stimulation developments in experiment 1. From low to high, each curve represents the condition with preactivation level of 0%, 10%, 20%, 30%, 40%, 50%, 60% respectively.
Figure 4.5. Active state developments in experiment 1. From low to high, each curve represents the condition with preactivation level of 0%, 10%, 20%, 30%, 40%, 50%, 60% respectively.

Figure 4.6. Gain in height achieved by the mass in the experiment 1 with 0 – 60% signifies the levels of preactivation.

For 30%, 40%, 50% and 60% preactivation conditions, the stimulation reached 90%, therefore the difference in peak stimulation was eliminated. However, difference in active state was still existed among different preactivation conditions. For most stretch velocities, the higher preactivation was associated with a higher gain in height. But the differences in gain in height were not significant. Although the gain in height only increased 3.4% (30% preactivation), 3.4% (40% preactivation), and 2.14% (50% preactivation) when preactivation
level increased to 60%. On the other hand, the gains in height contributed by stretch velocities were much greater. When stretch velocity increased from 0 to 1.5 m/s, the gain in height increased 11.7% (30% preactivation), 15.4% (40% preactivation), 11.9% (50% preactivation), and 8.5% (60% preactivation).

![Stimulation graph](image)

Figure 4.7 Stimulation developments in experiment 2. From low to high, each curve represents the condition with preactivation level of 0%, 10%, 20%, 30%, 40%, 50%, 60% respectively.

![Active state graph](image)

Figure 4.8. Active state developments in experiment 2. From low to high, each curve represents the condition with preactivation level of 0%, 10%, 20%, 30%, 40%, 50%, 60% respectively.
Figure 4.9. Gain in height achieved by the mass in experiment 2, with 0 – 60% signifies the levels of pre-activation.

**Force Level at the Start of Concentric Contraction, Peak Power and Work Output in Experiment 2**

Because the difference in force, power, and work between experiment 1 and experiment 2 is very small, we just present results from experiment 2 to illustrate the changes in force, power and work output. Figure 4.10 shows the force level at the start of concentric contraction obtained from experiment 2. A crucial stretch velocity was observed in 10% (0.2m/s), 20% (0.6m/s), 30% (0.9m/s), 40% (1.2), and 50% preactivation level conditions. Below this stretch velocity, force was insensitive to the stretch velocity but highly correlated with preactivation level. Beyond this stretch velocity, a small increase of stretch velocity resulted in a dramatic increase of force. This crucial stretch velocity has a higher value in the higher preactivation condition. But no crucial stretch velocity was observed in 60% preactivation level. The highest force (5387 N) occurred in 20% preactivation condition and was almost two times of that occurred in 60% preactivation. We also observed that the force produced by PEE started to play a major role at those crucial velocities (Figure 4.11).
A crucial stretch velocity was also observed in peak power (Figure 4.12). When stretch velocity was below 0.6 m/s, the highest peak power was produced at 0% preactivation level. When stretch velocity exceeded 0.7 m/s, a sharp rise of peak power was observed at 20% preactivation. At this preactivation level, when the stretch velocity increased to 1.5 m/s, the peak power reached 2075 w, which was the highest peak power observed in the experiment 2. However, the gain in height was only 58% of the greatest gain in height in experiment 1. The sharp rise of peak power was also observed in other preactivation conditions. Therefore, no correlation between peak power and preactivation level seems to exist.
Figure 4.12. Peak power with 0 – 60% signifies the levels of pre-activation.

Figure 4.13 shows net, negative and positive work of MTC. Because those values are very close for 30%, 40%, 50% and 60% preactivation levels, for the clarity of figures, only 0%, 10% and 40% preactivation are showing in figures. 0% and 10% represent low preactivation, while 40% represent high preactivation level. The net work of MTC (4.13 A) decreased with increasing stretch velocity regardless the preactivation level. The net work of MTC was even decreased to negative with further increasing stretch velocity. On the other hand, for a particular stretch velocity, a higher preactivation contributed to a higher work production. This higher net work production was due to less negative work (4.13 B) rather than greater positive work associated with high preactivation. Figure 4.14 A shows that the changes in net work of MTC were mainly driven by CE. The net contribution of SEE (Figure 4.14B) was only 2.5 J regardless stretch velocities. However, this 2.5 J can really make a difference when CE produces all most identical amount work for different preactivation levels. The contribution of PEE to work production (Figure 4.14 C) was so small that it can be ignored.
Figure 4.13. Net work (A), negative work (B) and positive work produced by MTC with 0 – 40% signifies the levels of pre-activation.
Figure 4.14. Net work of CE (A), SEE (B) and PEE (C) with 0, 10, and 40% signifies the levels of pre-activation.
Discussion

In the literature, it is widely accepted that preactivation and stretch load are two important factors for mechanical enhancement during SSCs. However, no studies have evaluated the interaction of these two factors quantitatively at the MTC level. Because of technical and ethical issues, it is difficult to measure MTC force and velocity in vivo. Therefore, a classic Hill-type MTC model was built to investigate effects of preactivation and stretch load on muscle mechanical output during SSC.

All muscle parameters used in the model are within human physiological range. Thus, the model reproduced reasonable phenomenon capable of being produced by humans. Consistent with results of our previous studies, this simulation study showed that increasing preactivation level, especially for low preactivation levels (0%-30%), dramatically enhanced muscle performance for all stretch velocities tested. One the other hand, stretch velocity enhanced muscle performance only with high preactivation levels. Conversely, with low preactivation levels (0-30%), increasing stretch velocity reduced muscle performance, which was in line with finding in our previous studies and other studies on human subjects (M.F. Bobbert, P.A. Huijing, & G.J. van Ingen Schenau, 1987; Bobbert & Ingen Schenau, 1990; Komi & Bosco, 1978). Stretch velocity was found to enhance power output. The “ceiling effect” of muscle performance enhancement associated with stretch load (velocity) was also observed in some conditions, though not all conditions. The force-velocity relationship determines the fundamental mechanical properties of MTC. The force-velocity curve obtained from this simulation study (Figure 15) is very similar with the curve recorded in an in vivo study. Overall, although assumptions were made and some muscle enhancement mechanisms were not included in this model, the model was realistic and valid for this study.
In both experiment 1 and experiment 2, a higher preactivation was found to enhance the gain in height. However, the magnitude of enhancement is smaller in experiment 2. The input difference between experiment 1 and experiment 2 is stimulation development. Experiment 1 allowed additional 30% stimulation adding to the preactivation level and active state also stabilized at addition 30% level. Therefore, the maximum active state was 30%, 40%, 50%, 60%, 70%, 80%, and 90% respectively.

Experiment 2 allowed stimulation increase for 0.3 s or stabilized at 90% (0, 10 and 20% preactivation can not reach 90% stimulation level) and difference in peak stimulation for 30%-60% preactivation was eliminated. Due to the time gap between stimulation development and active state development, there was a difference in active state among different preactivation levels. However, this difference was much smaller in experiment 2 compared to experiment 1. Obviously, the effect of preactivation on muscle performance is due to active state development. This explanation is in line with the findings of Bobbert and Casius (Bobbert & Casius, 2005).

In addition to enhancing muscle performance, preactivation has special meaning for fast movements like sprinting, in which the total contact time is only about 90-100 ms (Komi,
and the braking phase may be less than 50ms. However, the rise time of muscle stimulation reported by van Zandwijk et al. (van Zandwijk et al., 2000) is much longer (100ms-300ms). On the other hand, those fast movements generally need to experience a very high stretch load. An in vivo study showed that the maximum stretch velocity of AT-triceps surae complex at a high running speed (9.02m/s) could reach 1.3 m/s. Because of time constraint, stimulation development during ground contact is very limited and the active state level will be exclusively depended on preactivation level. As illustrated in experiment 1, low preactivation conditions (0 and 10%) cannot survive from high stretch velocities. Studies on human experiments (Kakihana & Suzuki, 2001; Kyrolainen et al., 1999) have reported that muscles are highly preactivated before landing during sprinting and long jump. Combined with those findings and the results of this simulation study, it is concluded that a high level of preactivation is a prerequisite for those SSC with high stretch velocity and time constraint. In other words, for explosive movement like sprinting, long jump, high jump, and triple jump, preactivation is not just a matter of mechanical output enhancement, it is a matter of “capable and incapable”.

Force level prior to the start of concentric contraction was considered as a major factor influencing the muscle performance. A classic explanation in the literature why countermovement jump height is greater than squat jump height is countermovement allows muscle to reach a maximum value before shortening. Some authors (van Ingen Schenau et al., 1997b) suggested that this difference in force level can explain exclusively the difference in jump height. However, this simple correlation between force level and muscle performance was not found in the present study. Also this force was very sensitive to stretch velocity due to effect of PEE. Because the effect of PEE may be very small in human movement (Bohm et
al., 2006; van Ingen Schenau et al., 1997b), we graphed a figure (4.17) presenting conditions without PEE effect. Clearly, this force was in proportion with preactivation. However, the higher force level prior to the start of concentric contraction may not necessarily produce a higher performance. Figure 4.16 shows force-time histories of 30% and 40% preactivation with 0.5 m/s initial stretch velocity. A higher initial force did not promote the whole force-time curve and no more impulse was produced due to a rapid decay was followed (40% preactivation). Two conditions produced almost identical jump height (Figure 4.9). The phenomenon that a higher initial force associated with a rapid force decay was also found in a human subject experiment (Finni et al., 2001). Therefore, although the high force level prior to the concentric phase is an important factor in performance enhancement, it cannot explain total performance enhancement during SSCs.

Contribution of stretch reflex to performance enhancement during SSC has been a controversial topic for a long time (Komi, 2000; van Ingen Schenau et al., 1997a, 1997b). The first key issue in the debate is whether or not the stretch reflex occurs during SSC. In vivo studies using Ultrasonography showed that (Fukashiro, Hay, & Akinori, 2006; Kurokawa et al., 2001) muscle fibers of the MG were not lengthened at all during the counter movement jump and 20 cm drop jumps. Therefore, stretch reflex may not occur at all during those SSCs. Certainly, the stretch reflex will be more likely trigged by a fast stretch. The second key issue in the debate is time delay. Many different time delay durations and two different definitions of delay have been reported (Komi, 2000; van Ingen Schenau et al., 1997b). To our knowledge, there is no stretch reflex simulation model in the literature that can evaluate the effect of preactivation level and stretch velocity on stretch reflex. Therefore, we did not include a stretch reflex simulation model in the present study. Our previous study showed that
the stretch velocity may not influence the gain of stretch reflex, but preactivation can significantly increase the gain of stretch reflex, which is consistent with findings reported by Matthews (Matthews, 1986) that the reflex gain increases with preactivation level. Therefore, the contribution of preactivation may be underestimated in the present study.

The storage and reutilization of elastic energy was one of the enhancement mechanisms proposed in the literature (Avis, Toussaint, Huijing, & van Ingen Schenau, 1986; Komi & Bosco, 1978). During stretch, the MTC is doing negative work, part of which is later reutilized for positive work (Bobbert et al., 1996). Although van Ingen Schenau et al. (van Ingen Schenau et al., 1997b) agree that elastic energy can be largely reproduced from the negative work, they argued that the origin of work enhancement is in the CE which can produce more force. They used drop jump as an example to support their argument: if CE cannot produce more force, even if the drop height is increased and more negative work can be produced, the extra work is dissipated as heat. Our results supported this argument. For low preactivation levels, a high stretch increased MTC negative work dramatically, but the positive work did not increase or even decreased (Figure 4.13). Clearly, stretch velocities can enhance positive work done by MTC but only in high preactivation levels.

Because a one-muscle model was used in the present study, some results are different from that of observations in human experiments. First, the gain in height is much smaller than jump height in human experiments. Secondly, peak power has been reported highly correlated with jump height in drop jumps (Horita et al., 2002a) but this correlation was not found in the present study. Other limitations include the lack of stretch reflex incorporation in the model, no joint structure limiting overstretching, and simplified length of CE and SEE as muscle fiber length and tendon length. Those limitations suggest some observations in this study may
not be generalized in human movement. However, those limitations likely do not affect our major findings in the present study because most major finds are in line with literature and results of our previous human subjects experiments.

In summary, preactivation and stretch load can affect MTC mechanical output. However, mechanical output enhancement depends on interaction of preactivation and stretch load. Increasing preactivation enhances muscle performance due to raised active state levels. For low preactivation levels, increasing preactivation level can significantly increase gain in height for all stretch velocities we tested, but increasing stretch velocity may decrease the gain in height. For high preactivation levels, mechanical output may not increase or just increase a small amount if preactivation level is increased but stretch load does not change. In contrast, increasing stretch load alone can significantly enhance mechanical output at those high preactivation levels. Therefore, to maximize muscle performance, a high stretch load must correspond to a high preactivation.

![Figure 4.16 Force at the start of concentric contraction in conditions with 0.5 m/s stretch velocity.](image)

Figure 4.16 Force at the start of concentric contraction in conditions with 0.5 m/s stretch velocity.
Figure 4.17. Peak power for 30-60% preactivation conditions without PEE effect.
Chapter 5: General Discussion

The purpose of this series of experiments was to better understand the SSC, the most common muscle behavior in human locomotion and explosive exercises. The stretch load and preactivation level as two important factors, which can regulate muscle mechanical output, were systematically examined in this series of studies. Although there are still debates in the literature about the performance enhancement mechanisms during SSC, results from the inverse dynamic study, the EMG study and the stimulation study are believed to provide an insight into the contributions of stretch load and preactivation on maximizing muscle mechanical output. The findings from this series of studies will not only contribute to scientific advancement but may also inspire innovational movement strategies and training practices (van Ingen Schenau et al., 1997b).

Overview of Results

In the literature, drop height is the most common way to adjust stretch load and then regulate the mechanical output (Bobbert, 1990; M.F. Bobbert, P.A. Huijing, & G.J. van Ingen Schenau, 1987; Komi & Bosco, 1978). A study (Saunders, 1980) also showed that a horizontal approach preceding vertical jumps (vertical jump and approach were at the same ground level) could increase jump heights. The results of chapter 2 showed that an approach preceding drop jumps could enhance summed peak power approximate 10% regardless of the number of steps. There results were attributed to the knee joint response. This enhancement was hypothesized due to increased preactivation level associated with approach.

This hypothesis was examined in Chapter 3. The results showed that the aEMG of most tested muscles during preactivation phase and downward phase increased with more steps of
approach. This increase did not change the antagonist-agonist coactivation ratio, therefore would not attribute to knee joint injury. On the other hand, no aEMG changes were found with different drop heights. Because approach is associated with preactivation level and drop height is associated with stretch load, direct investigation on effects of preactivation and stretch load on muscle mechanical output was performed in Chapter 3.

A Hill-type muscle model was used in Chapter 3 to test muscle mechanical output under combination of different preactivation level and different stretch load. Results showed that for low preactivation levels, increasing preactivation level can significantly increase gain in height for all stretch velocities we tested, but increasing stretch velocity may decrease the gain in height; for high preactivation levels, further increasing preactivation level may not increase gain in height; to maximize gain in height, a high preactivation must accompany a high stretch velocity.

**Overall Discussion**

**Contribution of Stretch Load to Muscle Mechanical Output**

A quadratic trend of peak summed power across drop heights observed in the Chapter 2 suggested contribution of stretch load to mechanical output can positive or negative. The critical value between positive and negative effect is the optimal stretch load.

When stretch load is below the optimal load, an increased angular velocity of dorsiflexion with a higher drop height implied that a higher stretch load may enhance the gain of stretch reflex because the effect of stretch reflex is suggested to increase with stretching velocity (Bosco et al., 1981; Kallio et al., 2004). However, there are still debates in the literature about the contribution of stretch reflex (Komi, 2000; van Ingen Schenau et al., 1997b). While there is no doubt that stretch reflex is triggered during stretch, as clear bursts
in rectified EMG presented in Chapter 3, the stretch load may not change the gain of stretch reflex as muscular activation did not change with drop height as results showed in Chapter 3. The possible reason is changes of velocities of muscle spindle associated with stretch load are not great enough to regulate the gain of stretch reflex. It is likely that the influence of stretch load on gain of stretch reflex is not necessary to consider as long as stretch reflex is triggered.

Although some authors questioned the amount of elastic energy in human movement, it is convincing that elastic energy will be released to concentric contraction. For same muscular activation level, a higher stretch load will produce more negative work of MTC. However, the amount of positive work done by the MTC was not determined by the negative work produced by MTC. First, the amount of elastic energy stored in elastic elements is not determined by the negative work done by the MTC (van Ingen Schenau et al., 1997b). During the eccentric contraction, the amount of elastic energy stored is smaller than the amount of negative work done by the MTC because CE is doing negative work too. Because effect of PEE is very small in human movement, we just discuss the effect of SEE. The amount of energy stored in SEE can be determined by the force at the start of concentric contraction. Second, the elastic energy released during concentric contraction may be smaller than that stored in SEE due to CE lengthening, which was observed in some conditions of the simulation study. More importantly, influence of stretch load on positive work is strongly depended on the preactivation level. Only at high preactivation levels can stretch load increase positive work.

When the stretch loads go beyond of the optimal value, muscle mechanical output and performance may decrease. This ceiling effect was observed in the first study (Chapter 2).
The possible explanation is reduced shorten range stiffness (Bosco & Komi, 1979) and cross bridges detachment due to over stretch (Flitney & Hirst, 1978; Syme & Grattan, 2002).

**Contribution of Preactivation on Muscle Mechanical Output**

In explosive exercises, the short duration time limits muscle force development. This slow force development is due to three processes (van Ingen Schenau et al., 1997b): the finite rate of stimulation development (stimulation dynamics); the time delay between stimulation and active state (excitation dynamics); and the time constant of force development in response to active state (contraction dynamics). On the other hand, muscles performing explosive exercises must tolerate huge stretch loads. To increase force of muscles to very high value in a very short time, a high preactivation level is the only solution. As showed in chapter 4, preactivation can move part of three processes before landing. Consequently, stimulation, active state, and force could reach higher values after landing. Even if stimulation could reach to the maximum possible value, preactivation still can contribute to a higher active state level due to stimulation-active state coupling. Therefore, the main function of preactivation is to enhance the active state level during SSCs.

Because reflex gain is related with excitation level of the motoneuron pool (Matthews, 1986), increased preactivation level may enhance amplitude of stretch reflex. In Chapter 3, a higher level of muscular activation associated with a higher preactivation was found. Also, preactivation has been suggested to enhance tendomuscular stiffness (Komi, 2000). Although we could not quantify the relationship between preactivation level and amplitude of stretch reflex in the simulation study due to lack of suitable stretch reflex model, it is convincing that the increased preactivation level potentiates the functional role of stretch reflexes.
The enhancement of mechanical output is very significant when preactivation initially increases. However, further increasing preactivation, the magnitude of enhancement became very small. The conclusion was obtained from the simulation study, but also supported by human subjects’ studies. When one approach step was added to drop jump, preactivation level initially increased. Consistently, the greatest difference in mechanical output was found between standing drop jump and drop jump with one approach step. Further increasing approach steps, a further but smaller enhancement was observed. As results showed in Chapter 4, a high preactivation level needs a high stretch load to further enhance muscle mechanical output.

A Small Step Makes a Big Difference: Relevance of the Observations to Application

The preactivation is interpreted as a preprogrammed neuronal activation (Dietz et al., 1978; Gollhofer & Kyrolainen, 1991). It was suggested that muscle co-contraction in anticipation of landing (Ingen Schenau G.J.van. et al., 1997b) or pre-landing movements (T. Horita, P.V. Komi, C. Nicol, & H. Kyrolainen, 2002b) can increase the preactivation level. This series studies verified that an approach before jumping is a good strategy to increase preactivation. A small step before jumping makes a big difference. This step may not only increase the mechanical output, more importantly, it also reduces downward duration time and makes the whole action quicker. In many sports, being a little faster than opponents is essential to win the game. In other words, whoever takes advantage of preactivation may have a decisive edge in the competition.

Exercises with an extremely high stretch load may need a very high preactivation. Thus, a small step may not be enough to trigger a very high preactivation. More approach steps associated with fast speed may be an option to further increase the preactivation level.
However, there may not be enough space or time for more approach steps. Certainly, a step preceding an explosive movement is not the only strategy to increase preactivation. A study showed (Horita et al., 2002b) that a small and fast knee flexion before landing may trigger a stretch reflex and raise preactivation level. Other strategies include vestibular and visual inputs (Avela, Santos, Kyrolainen, & Komi, 1994), and verbal instructions (Arampatzis, Bruggemann, & Klapsing, 2001).

To maximize muscle mechanical output, a high preactivation must cooperate with a high stretch load. Drop height is a common way to adjust stretch load in explosive exercise training. Also, a high approach speed can increase stretch load. In some sports, a high drop height and approach speed may not be available to increase stretch load. Generally, athletes use segment movement to increase stretch load. For example, during downward phase, a rapid arm swing up or one leg raise up can produce initial force and increase stretch load.

**Future Research**

Because a simplified one-muscle model was used in the simulation study, some results are not consistent with human experiments. Ideally, future *in vivo* studies should focus on interactions between tendon and fascicle, muscles coordination, power transfer from proximal joints to distal joins under combinations of different stretch load and preactivation should be performed. In the near future, some in vivo measurements may not be available. Simulation studies will still be a very important method to investigate SSCs. A more complicated, segment-joint model or whole body model should be used. A better estimated SEE and CE length for each muscle could be performed. A more reasonable stimulation dynamic and stretch reflexes could be included in the model.
For application studies, a training study should be performed to examine whether drop jumps with an approach is a better training method for explosive exercises comparing to standing drop jump. To further apply knowledge obtained from this series study to sports, studies should focus on strategies and pre-landing movements that can regulate stretch load and preactivation. Ultimately, general recommendations for maximizing mechanical output and specific solutions for improving athletic performance will be achieved.

**Conclusions**

While the drop jump has been proved to be a good training method to improve jump performance due to enhanced mechanical output, we found drop jump with an approach can increase mechanical output further and even exceeded the ceiling effect associated with increasing drop height. EMG records showed the approach preceding jumps enhances muscular activity of major leg muscles during preactivation phase and downward phase. The main function of preactivation is to enhance the active state level and facilitate stretch reflexes during SSCs. Only when preactivation level is high, stretch load can increase muscle mechanical output.
References


Appendix 1. Expanded Literature Review

1. Introduction

Human muscles often involve sequential lengthening and shortening activities, that is the stretch-shortening cycle (SSC), in our daily locomotion, such as running and walking. The SSC also commonly happens in explosive movements, such as throwing, sprinting and jumping. Experiments have demonstrated that SSCs induce greater contractile force and produce greater mechanical work and power output (Komi, 2000). These experiments usually first stretch active muscles (pre-stretch) and then immediately allow them to shorten. These experiments have been performed on isolated muscles (Cavagna, Dusman, & Margaria, 1968; Ettema, Huijing, & Dehaan, 1992), as well as on in vivo human dynamic movements (Bosco & Komi, 1979; Bosco, Komi, & Ito, 1981; Cavagna, Dusman, & Margaria, 1968; Komi & Bosco, 1978).

Several mechanisms have been proposed to enhance performance during SSCs (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a, 1997b). These mechanisms include 1) time available for force development (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a); 2) contribution of stretch reflex (Komi & Bosco, 1978); 3) reutilization of elastic energy (Bosco, Komi, & Ito, 1981; Komi & Bosco, 1978); and 4) potentiation of the contractile machinery (Edman, Elzinga, & Noble, 1978; Ettema, Huijing, & Dehaan, 1992). A target article by van Ingen Schenau et al. (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a) and subsequent peer commentaries (Edman, 1997; Farley, 1997; Goubel F., 1997; Komi & Gollhofer, 1997) demonstrated a variety of explanations on these proposed mechanisms. The main reason for the variety of explanations is that some study results were obtained from experiments of isolated muscles or single muscle fiber and should not be broadly
generalized for human movement (Goubel F., 1997). The different hypotheses indicated that studies focusing on the mechanical properties of muscles operating under *in vivo* conditions were needed. Recent studies investigating SSCs through *in vivo* observation may provide a better insight on this issue. Understanding what roles these mechanisms play in the process of mechanical output enhancement is not only important scientifically but also implies possible movement strategies and training practice (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a).

Scientifically, understanding the integration of mechanics, muscle mechanics, muscle physiology, and neurophysiology is fundamental to increasing our knowledge in human movement (P.V. Komi, 1984). Therefore, we have to understand the effects of the nervous system (e.g. stretch reflex), mechanical factors (e.g. stretch load and stretch velocity), muscle mechanical factors (e.g. elastic energy) and physiological factors (e.g. potentiation of contractile machinery) on the performance during SSCs. And more importantly, we have to understand the interactions between these factors. For example, the role of stretch reflex and inhibitory reflexes with different stretch loads could be identified with a good understanding of interactions between these factors.

From the point of application, a good understanding of mechanisms may cause a revolution in sports techniques. For example, the importance of series elastic component (SEC) as power amplifier has inspired researchers to design a new innovative skate (G. J. Van Ingen Schenau, De Groot, Scheurs, Meester, & De Koning, 1996). On the other hand, an incomplete understanding of mechanisms involved would lead to wrong suggestions for training practice. For example, several authors (Kyrolainen, Finni, Avela, & Komi, 2003; Walshe & Wilson, 1997) suggested that the flexibility training could increase the work
output during SSCs with a reduction in the muscle-tendon complex stiffness. However,
others studies (Horita, Komi, Nicol, & Kyrolainen, 2002; Kyrolainen, Finni, Avela, & Komi,
2003) showed that the increased stiffness in the beginning of the contact phase was related
to a greater performance during SSCs. Obviously, only a comprehensive studying on these
mechanisms can lead to correct suggestions for train practice.

This review paper is intended to provide an overview of the theories of mechanisms
in the mechanical output enhancement during SSCs. The paper will add the latest knowledge
on this issue from in vivo studies, as well as important factors such as preactivation and
interaction between fascicle and tendinous structures. As a result, the understanding of these
mechanisms and these important factors will lead to further research and possible
applications.

2. Definition

In order to understand these enhancement mechanisms, several terms are defined and
used throughout the manuscript:

2.1 Stretch-shortening cycle (SSC)

The SSC is a muscle action in which the concentric contraction is immediately
preceded by an eccentric contraction (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a).
During the eccentric contraction, the muscle must be active during the stretch.

2.2 Contractile component (CC)

According to a model proposed by Hill (1938), human skeletal muscles can be
described as several different functional parts (Figure 1). Skeletal muscles consist of an active
element and passive connective tissue. The active element, modeled as the contractile
component (CC) or contractile element (CE) is the part of muscles that is capable of voluntary contraction.

2.3 Series elastic component (SEC)
   In the three-component Hill (1938) model (Figure 1), all connective tissue in series with the CC labeled as the series elastic component (SEC or SE). The SEC was located in the tendons (Cavagna, 1977), the cross-bridges (Huxley & Simmons, 1971) and the thin and thick myofilaments. The relative amount of elasticity located in the tendons and the CC depends on the structure of muscle (Cavagna, 1977).

2.4 Parallel elastics component (PEC)
   The connective tissue that surrounds the contractile element is viewed as the parallel elastics component (PEC or PE), as seen in Figure 1. The PEC is thought to located within the sarcolemma, endomysium, perimysium, and epimysium (P. V. Komi, 1984).

![Figure 1. A three-component model of muscle. (From Enoka, 2002)](image)

2.5 Preactivation
   The SSC involves an important feature of preactivation (Komi, 2000). Muscles are preactivated before the initial ground contact. The preactivation phase was defined starting from 100 ms (Kyrolainen & Komi, 1995) or 50 ms (Horita, Komi, Nicol, & Kyrolainen, 2002) before the ground contact until the instant of the ground contact.
2.6 Short range elastic stiffness (SRES)

The effect of the short range elastic stiffness is that the tension rises steeply at the initial lengthening. Increasing the range of stretch is likely to decrease the elastic behavior of the muscle (Bosco & Komi, 1979).

2.7 Countermovement jump (CMJ), squat jump (SJ), and drop jump (DJ)

The countermovement jump, squat jump, and drop jump have been employed to study the phenomenon of SSCs (Bobbert, Gerritsen, Litjens, & Soest, 1996). When subjects perform a CMJ, they start from a standing position and make a downward movement before starting to move upward. When subjects perform a DJ, they step off a raised platform and then jump vertically immediately after landing (Bobbert, 1990). Subjects usually achieve a greater jump height in CMJ and DJ than in SJ, in which they start from a semisquatted position and make no countermovement (Komi & Bosco, 1978). Many studies used the comparison between CMJ and SJ to illustrate the effects of countermovement on the mechanical output during SSCs in vivo (Bobbert, Gerritsen, Litjens, & Soest, 1996; Bosco & Komi, 1979; Komi & Bosco, 1978).

3. Current theories

3.1 Time available for force development

The first possible explanation for the enhancement of work during SSCs is that it allows muscles more time to develop force (Bobbert, Gerritsen, Litjens, & Soest, 1996; Chapman & Sanderson, 1990; G.J. van Ingen Schenau, 1984; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a). During a maximal voluntary muscle contraction, it takes time for a muscle to reach its maximum value. For example, during the leg extension task (Bobbert & van Ingen Schenau, 1990), it takes 300-500 ms before 90% of the maximal force is reached. This
delay may be due to the limitations in the rate of muscle stimulation by the central nervous system, the time constants of the stimulation-active state coupling, and the interaction between contractile components and series elastic components (Bobbert, Gerritsen, Litjens, & Soest, 1996). In the SJ, the muscles cannot achieve a high level of force prior to the start of a concentric contraction and part of the shortening distance is traveled at a submaximal force. Thus, work produced is less than that in a CMJ, during which the muscles build up the maximum force at the end of countermovement (Bobbert, Gerritsen, Litjens, & Soest, 1996; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a). This argument is illustrated in Figure 2, which shows the vertical ground reaction force as a function of the height of center of gravity for a CMJ and a SJ (Bobbert & Casius, 2005). The area under the plots reflects the amount of energy contributing to the jump height. Obviously, the area is greater for CMJ than for SJ because a greater ground reaction force can be produced in CMJ over the same distance of upward motion. The shaded area in Figure 2 represents the surplus of effective energy gained in CMJ, which caused a greater jump height in the CMJ.

![Figure 2. Vertical ground reaction force (Fz) plotted against height of center of gravity for a CMJ and a SJ. (from Bobbert et al., 2005)](image-url)
This explanation is consistent with the results from other studies. Komi (P. V. Komi, 1984) suggested that subjects rich in fast twitch fibers could benefit from a high speed and short knee-angle displacement, while those slow twitch type subjects could benefit more from the large-amplitude jumps due to the difference in cross bridge lifetimes between fast and slow muscle fibers. Viitasalo and Bosco (Viitasalo & Bosco, 1982) showed the results supporting this argument. The subjects with a relatively large percentage of slow twitch fibers in vastus lateralis (VL) increased their jump height (compared to SJ) more from a countermovement than those with a large percentage of fast twitch fibers. Mero, Jaakkola, and Komi (Mero, Jaakkola, & Komi, 1991) reported that the subjects with a relatively large percentage of fast twitch fibers had a greater rate of force development. Therefore, for those subjects with a large percentage of slow twitch fibers, the relative poor performance in SJ of “slow twitch fibers” subjects could be due to the slow rate of force development which makes muscles traveling a longer distance at submaximal force.

Van Ingen Schenau et al. (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997b) argued that the high force level prior to the concentric phase could sufficiently explain the difference in positive work output between the CMJ and the SJ. To test this argument, it would be necessary to eliminate the effect of unequal force levels prior to the concentric phase and then examine if any difference in force and work output still can be observed. Minetti, Narici, and Cerretelli (Minetti, Narici, & Cerretelli, 1997) proposed an experiment to test this mechanism: A subject is constrained to the ground in the squat position by using a quick-release restraining system; this apparatus releases the subject after he or she develops the highest possible extension force. If this mechanism can sufficiently explain the difference between the CMJ and the SJ, SJ height from this experiment should be equal to
that of the CMJ.

There might be some technical difficulties to build such apparatus, but Finni, Ikegawa and Komi (Finni, Ikegawa, & Komi, 2001) did an alternative experiment to test this argument. In their study, maximal concentric knee extension torques were compared in the pre-stretch and the pre-isometric conditions. In the pre-isometric condition, subjects were asked to extend their knee maximally in the isometric pre-loading phase and then sustain the maximum effort throughout the concentric movement. In the pre-stretch condition, subjects were asked to maximally resist a forced lengthening of the quadriceps muscle and then extend the knee joint with maximal effort. Results showed that the maximal knee extension torque was significantly higher in the pre-stretch condition than in the pre-isometric condition at the knee angle of 115° (272 ± 19 vs. 248 ±19 Nm, P<0.05), (180° = full knee extension) although the torque prior to the concentric phase was smaller in the pre-stretch than in the pre-isometric condition (268 ± 17 vs. 314 ± 17, p<0.05). The torque difference between two conditions diminished when the knee was extended further. The authors also examined average EMG (aEMG) and the fascicle length of VL muscle in both conditions. The fascicles prior to shortening were longer in the pre-stretch condition compared to the pre-isometric condition. Because the decrease in muscle force during the shortening depends on the initial fascicle length (Meijer, Grootenboer, Koopman, & Huijing, 1997), longer initial length may be a potential factor for the greater force observed in the pre-stretch condition. Therefore, although the high force level prior to the concentric phase is an important factor in the enhanced mechanical output, other factors, such as fascicle length, may also play a role in enhancing performance of SSCs.

In the literature, the explanation that SSCs give muscles more time to develop force
was explicitly supported by many researchers (D.L. Morgan & Proske, 1997; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a; Winter, 1997). However, Zatsiorsky (Zatsiorsky, 1997) argued that the performance of fast SSCs can’t be explained with time of force development of 300-500 ms. In fast SSCs such as drop jump, muscle stimulation develops in a very short time and the force is much greater than in CMJ. This suggests that other mechanisms may contribute to enhanced mechanical output. First, the muscles may be preactivated in anticipation of landing (Horita, Komi, Nicol, & Kyrolainen, 2002), therefore the delay in the stimulation and excitation may be eliminated. Also, the high eccentric velocity can increase the force of extensors to a very high value in a very short time (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997b). This high force can contribute to the shortening phase if the eccentric movement is finished in a small distance and short time duration (Bobbert, Huijing, & Ingen Schenau, 1987). For these fast SSCs, other mechanisms such as reutilization of elastic energy rather than the time available for force development may contribute to the enhanced mechanical output.

3.2 Stretch Reflex contribution

The second explanation for the enhanced mechanical output by a countermovement is that the stretch during the countermovement triggers stretch reflexes (Dietz, Schmidtbleicher, & Noth, 1978; Komi & Gollhofer, 1997). Stretch reflexes increase muscle stimulation and muscular stiffness leading to an improved ability to utilize storage of potential elastic energy (Walshe, Wilson, & Ettema, 1998). However, the contribution of stretch reflexes to the mechanical output enhancement during SSCs has been questioned (Gandevia & Burke, 1992; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a, 1997b). First, it is questionable whether the muscle fibers are lengthened at all during SSCs (G.J. van
If there is no lengthening of muscle fibers, there are no muscle spindles lengthening and no trigger of stretch reflexes. Second, it has been shown that the muscle stimulation and excitation may not be enhanced in SSCs in vivo (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a). Third, the mechanical effects induced by stretch reflexes would be too late to contribute to the work output enhancement (Gandevia & Burke, 1992; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997b).

### 3.2.1 Are the muscle fibers and muscle spindles lengthened during SSCs?

Several authors (R. F. Alexander & Ker, 1990; Voigt, Bojsen-Moller, Simonsen, & Dyhre-Poulsen, 1995) suggested that during SSCs, muscles may be involved in a concerted contraction, i.e. the muscle-tendon complex is lengthened but the muscle fibers may remain isometric or even shorten during the pre-stretch. Recently, a noninvasive technique, ultrasonography, has been used for determining the length of fascicles in vivo. Kurokawa, Fukunaga, and Fukashiro used this technique (Kurokawa, Fukunaga, & Fukashiro, 2001) to determine the change in length of fascicles and tendinous structures of the gastrocnemius medialis (MG) during CMJ. They reported that muscle fibers of the MG were not lengthened at all during the counter movement. Therefore, no stretch reflex of the MG can be triggered. However, it has also been reported that the vastus lateralis muscle fascicles were lengthened during the eccentric phase of CMJ (Finni, Ikegawa, Lepola, & Komi, 2003). These results suggested that different muscles have different fascicle behavior. In addition, the lengthening of fascicle of the MG was also observed in another SSC exercise (Kubo et al., 2000). In this exercise, subjects performed a dorsiflexion followed by a planter flexion (ankle joint angle from 120° to 90°, then from 90° to 120°). These results suggested that stretch reflexes could be triggered in some muscles during SSCs.
3.2.2 Is muscle stimulation and excitation enhanced during SSCs?

Bobbert et al. (Bobbert, Gerritsen, Litjens, & Soest, 1996) compared EMG activity of lower extremity muscles of six volleyball players during the SJ and the CMJ. The results showed that the aEMG during the push off phase was not significantly higher in CMJ than in SJ for any of six muscles (bicep femoris, gluteus maximus, rectus femoris, vastus medialis, gastrocnemius, and soleus). This study provides evidence that questions whether stretch reflexes occur during SSCs. However, Komi and Gollhofer (Komi & Gollhofer, 1997) argued that in normal human movement with high EMG activity, the magnitude and net contribution of reflexes are difficult to measure, but it is much easier to examine the effect of reflexes with a relatively slow passive stretch. Nicol and Komi (Nicol & Komi, 1998) used an in vivo buckle transducer technique to study reflex contribution to Achilles tendon force enhancement during passive dorsiflexion stretches. An ankle ergometer was used to induce passive stretches of the triceps surae muscle group. The subject’s foot attached on the top of the ergometer pedal. The passive stretches differed in amplitude (0.06 and 0.12 rad) and mean velocity (0.44 and 1.22 rad/s) of the induced dorsiflexion. They reported that during the stretch at 1.2 rad/s, the Achilles tendon force started to increase 13-15 ms after the onset of the EMG reflex response and the enhancement could be as high as 261% over the pure passive stretch without a reflex response (Figure 3).

Figure 3 The effect of the stretch reflex on force enhancement during passive stretch. (From Nicol & Komi, 1998)
Komi and Gollhofer (Komi & Gollhofer, 1997) also argued that CMJ is not a suitable model to test reflexes during SSCs in which pre-stretch speeds are relatively low and the switch from stretching to shortening occurs slowly. Those faster activities such as running and drop jump are more likely to be affected by stretch reflexes. Gollhofer, Strojnik, Rapp, and Schweizer (Gollhofer, Strojnik, Rapp, & Schweizer, 1992) reported that during drop jumps, the stretch reflex was visible in all examined muscles, especially in the soleus muscle. Figure 4 illustrates that drop jumps performed from 60 cm introduced clear bursts in rectified EMG records. These records were obtained by averaging the rectified EMG over several trials. The reflex peak is very clear in the soleus muscles, and can be identified for the gastrocnemius and the vastus medialis as well.
Figure 5 illustrates the modulation of the EMG pattern and the ground reaction force with increasing stretch load. In the highest drop jump (Figure 5) the EMG burst becomes less clear. The reduced reflex activation may be due to increased inhibition from the Golgi tendon organ and serves as a protection strategy to prevent muscle injuries (Komi & Gollhofer, 1997). The stretch reflex also can be dramatically reduced during an ischemic blockade, which is used to isolate the Ia afferent information acting on spinal pathways (Fellows, Domges, Topper, Thilmann, & Noth, 1993). This suggests an important role of Ia afferent input in SSCs. Nicol et al. (Nicol, Komi, Horita, Kyrolainen, & Takala, 1996) reported that an exhaustive SSC exercise dramatically reduced the stretch reflex.
amplitude. Avela and Komi (Avela & Komi, 1998) observed the reductions in stretch reflexes after a marathon run. In the “before marathon” test, the soleus EMG showed a clear stretch reflex in a jump test. However, the stretch reflex disappeared almost completely in the “immediately after marathon” test. These aforementioned studies provide explanations that the pre-stretch may not always trigger a stretch reflex, thus no enhanced muscle stimulation and excitation, and no enhanced mechanical output.

3.2.3 Is the mechanical effects of stretch reflexes too late to enhance the work output?

It is widely accepted that stretch reflexes are likely to occur during the fast movements such as drop jumps and running. However, there is controversy in the literature about whether it would be too late for stretch reflexes to play a functional role in the fast movements. While several authors argued stretch reflexes can have an important role in force enhancement during SSCs, others (Gandevia & Burke, 1992; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997b) argued that these fast movements must be feed forward control and the mechanical effects of stretch reflexes would be too late to enhance the work output.

In the aforementioned example (Figure 3), during the drop jumps performed from 60 cm, the sharp EMG reflex peak occurred about 40-45 ms after the initial ground contact (Komi & Gollhofer, 1997). The total delay between the initial stretch and the subsequent force enhancement would be this 40-45 ms and the delay of 10-12 ms between the onset of reflex EMG and onset of force enhancement, i.e. total 50-55 ms (Komi, 2000). The author argued that in sprinting (the stance phase lasts 90-100ms) as well as in marathon running (the stance phase lasts about 250 ms), therefore, stretch reflexes have enough time to contribute to the mechanical output enhancement in the concentric phase.

Although there is an agreement about the duration of the neural delay, that is 40 ms
(Komi, 2000; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997b), several authors (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997b; Vos, Harlaar, & Ingen Schenau, 1991) argued
the delay between the onset of reflex EMG and the onset of force enhancement cannot
measure the actual functional delay. This delay, in theory, is zero, i.e. the response of force
starts immediately (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997b), therefore the
threshold levels of EMG and force should be defined (Vos, Harlaar, & Ingen Schenau,
1991). Furthermore, they argued that the more adequate measure is the delay found by
cross-correlating EMG with the corresponding force. They used a method based on
cross-correlation techniques to measure the phase shift between EMG and force. The delay
at which the highest correlation between EMG and force existed was 90 ms - 100 ms. This
delay and the neural delay of 40 ms means stretch reflexes may need more than 130 ms to
contribute fully to the force enhancement. In the example (Figure 3) of the passively induced
stretch reflex on the Achilles tendon force (ATF) presented by Nicol and Komi (Nicol &
Komi, 1998): the ATF starts to rise almost immediately but continues to rise beyond the end
of the activity. The delay between peak EMG and peak force is even far greater than
90-100 ms. Although stretch reflexes can start to contribute to the force and work
enhancement before the force reaches the peak value, it is still a question how much work
enhancement stretch reflexes could contribute to during fast SSCs (G.J. van Ingen Schenau,
Bobbert, & deHaan, 1997b).

3.3. Reutilization of elastic energy

The third explanation in the literature for the work enhancement by a
countermovement is the reutilization of elastic energy (Asmussem & Bonde Petersen, 1990;
is actively stretched, mechanical energy is absorbed by the muscle. This energy can be
dissipated into heat or stored in the SEC and reutilized during the subsequent active
shortening (Cavagna, 1977). Although literature shows a lot of evidence in favor of elastic
energy reutilization in human movement, two questions still remain: 1) How much elastic
energy can be stored and reutilized (G.J. van Ingen Schenau, 1984)? And 2) Does elastic
energy enhance the work output (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a)?

3.3.1 Evidence supports elastic energy reutilization

Many isolated muscle experiments have shown muscle elasticity. Even before Hill (Hill,
1938) introduced the concept of SEC, Levin and Wyman (Levin & Wyman, 1927) observed
that a muscle could produce a substantial amount of work even at the highest speed and
explained that it was due to the elastic element in series with the contractile component of the
muscle. Studies (Cavagna & Citterio, 1974; Cavagna, Dusman, & Margaria, 1968; Hill, 1970)
also showed that isolated muscles can produce greater force and work during the shortening
when they are actively stretched. Cavagna et al. (Cavagna, Dusman, & Margaria, 1968)
compared the maximum positive work done by an active muscle during shortening when the
muscle shortens from a pre-isometric state (W) and a pre-stretch (W’) with the same speed,
initial length, and amount of shortening. W and W’ were measured at different speeds of
stretching and shortening and at different initial length. The ratio W’/W increases with the
speed of stretching and shortening and with the length of the muscle up to 2.5 (Figure 6). The
higher ratio W’/W at the higher shortening speed provides enough evidence to support that
the greater work done after stretch is mainly due to the reutilization of elastic energy stored
during the stretch, because it is consistent with that fact that elastic energy can be released at
a very high speed by the series elastic component (Cavagna, Dusman, & Margaria, 1968).
Figure 6 Positive work performed by four toad sartorii during an active stretching, starting from a state of isometric (W) or preceded by an active stretching (W'), is plotted as a function of the length of the muscles (Cavagna et al., 1968).

It is well documented that the storage and reutilization of elastic energy are highly functional to enhance power output in explosive movements, such as sprinting (Cavagna, Kamarek, & Mazzoleni, 1971; Jacobs, Bobbert, & van Ingen Schenau, 1993) and jumping (Asmussem & Bonde Petersen, 1990; Bobbert, Huijing, & van Ingen Schenau, 1986; Cavagna, Kamarek, Citterio, & Margaria, 1971). Cavagna et al. (Cavagna, Kamarek, & Mazzoleni, 1971) reported that in sprinting, the positive power developed at each step increased with speed until 5 m/s and then tended to level at 7 m/s around a value of 1800 watts (Figure 7). This seems to fit the force-velocity relationship of contractile component. At speeds greater than 7 m/s, the positive power output was further increased to 2900 watts at the maximal speed. The onset of this increase of power output coincided with the onset of the negative work produced at each step. According to the force velocity relationship of
contractile component, the power reaches the maximum at about 1/3 of the maximal speed of shortening and decreases when the velocity of shortening is increased further (Hill, 1950a). Therefore, under an assumption that the shortening velocities of muscles linearly increase with the speed of running, these results suggest that the high power developed at high speeds is contributed by the reutilization of elastic energy. Elastic energy can provide power output about 1750 W and work of 122 joules (1750*0.07) at the highest speed (34km/hr or 9.4m/s) (Cavagna, 1977).

Studies showed that the countermovement increases the power and work in jumps. Cavagna et al. (1971) reported that the positive work and the jump height increased about 10% by the countermovement, while the average power was about 70% greater in CMJ than that in SJ. The peak ankle joint power output is about 1800 W during a one-legged CMJ and 1200 W (from one leg) during a two-legged CMJ (Soest, van Roebroeck, Bobbert, Huijing, & van Ingen Schenau, 1985). Considered the maximum isokinetic power output is only 200W (Fugl-Meyer, Mild, & Hornsten, 1982), the six times or nine times greater ankle joint power output in CMJ must be mainly explained by the storage and reutilization of elastic energy (Farley, 1997). However, this “power amplifier” effect can also be found in purely concentric contractions, like squatted jumps. The tendons undergo a stretch-shortening cycle both in CMJ and SJ, thus creating beneficial conditions for the utilization of elastic energy (Finni, Komi, & Lepola, 2000). It was also reported (Iossifidou, Baltzopoulos, & Giakas, 2005) that the peak knee joint power in a SJ was 2255W, almost three times of peak knee joint power in isokinetic test (771 +/- 81W).
Experiments have shown that SSC induce greater efficiency of positive work due to elastic energy. Efficiency of positive work usually is defined as “positive work done divided by the chemical energy spent to do it” (Cavagna, 1977). Cavagna, Saibene, and Maragaris (1964) measured the mechanical work in running at speeds of 10-20km/hr (2.78m/s—5.56m/s) when no oxygen debt was occurred. Thus, the net energy expenditure in running could be calculated from oxygen consumption. The efficiency of positive work was measured from the ratio of the positive work divided by the net aerobic expenditure. This efficiency, 0.4-0.5, is greater than the maximal efficiency produced by the contractile component of muscle: about 0.25 (Cavagna, 1977; G.J. van Ingen Schenau, 1984). Biochemical estimations also showed that the efficiency is lower than 0.3 (Stainbsy, Gladden,
Barclay, & Wilson, 1980; G.J. van Ingen Schenau, 1984; Whipp & Wasserman, 1969). This value was calculated from the product of phosphorylative coupling efficiency (0.6) and contraction coupling efficiency (0.5). Other studies also showed the efficiency of running is well above 0.3 (Ito, Komi, Sjodin, Bosco, & Karlsson, 1983; Williams & Cavanagh, 1983). These results suggested that part of the positive work derives from the recoil of elastic elements and does not need the transformation of chemical energy (Cavagna, 1977). In running, kinetic and potential energy decreased in the eccentric phase can be stored in the SEC of leg extensors and at least part of this elastic energy can be reutilized in the concentric phase. Without this reutilization of energy, all mechanical work would have to originate from the contractile elements and all negative work on lengthening muscles would be converted to heat (G.J. van Ingen Schenau, 1984). The efficiency was also found to increase linearly with running speeds from 0.45 at 2.2m/s to 0.8 at 8.9m/s (Cavagna, Kamarek, & Mazzoleni, 1971). This is consistent with the contribution of elastic energy increasing with running speed (Cavagna, Kamarek, & Mazzoleni, 1971). However, Haan et al (De Haan, Van Ingen Schenau, Ettema, Huijing, & Lodder, 1989) reported that the efficiency of isolated rat muscles was only 0.36 when muscles performed concentric contractions preceded by an active pre-stretch. Although this value seems too low to explain the efficiencies of 0.4-0.7 reported for human running (Cavagna, Kamarek, & Mazzoleni, 1971), it was much higher than the efficiency (0.26 ) of isolated muscles in the pre-isometric condition. Therefore, this result also suggested that the pre-stretch can increase the efficiency with the contribution of elastic energy.

The time delay between eccentric phase and concentric phase has been found to reduce the efficiency in a successive knee bend exercise (Asmussem & Bonde Petersen, 1990). This
delay is also called the coupling time (Bosco, Komi, & Ito, 1981). Stored energy can be
dissipated as heat if the coupling time is not sufficiently short (Goubel F., 1997). In addition,
the efficiency is greater in movements of smaller amplitude (Cavagna, 1977). This is in
agreement with the finding that the difference in takeoff speeds between CMJ and SJ is
increased when the amplitude of pre-stretch is decreased (Cavagna, 1977). These findings
may suggest that the effect of utilization of elastic energy is greater in movements of smaller
amplitude (Cavagna, 1977). The relationship between small stretch and greater mechanical
output is also consistent with the concept of “the short range stiffness” (Rack & Westbury,
1974). The short range stiffness means that muscles perform like a spring when the length
change during stretch is very short. Increasing the range of stretch is likely to decrease the
elastic behavior of the muscles due to the possible effect of the reduced short range stiffness
(Bosco & Komi, 1979). Also, the actin-myosin interaction in cross bridges could be detached
when the muscle is overstretched (Flitney & Hirst, 1978; Syme & Grattan, 2002).

Although the significance of positive efficiency was strongly disputed by van Ingen
Schenau et al. (1997a), they stated “We never stated that the disputed efficiencies cannot be
taken as evidence for elastic storage. On the contrary! Of course efficiencies of positive work
of 40% of high can only be explained by storage and reutilization of elastic energy” (G.J. van
Ingen Schenau, Bobbert, & deHaan, 1997b).

3.3.2 How much elastic energy can be stored in muscles and tendons?

From the aforementioned evidence, it can be concluded that elastic energy is stored and
reutilized in muscles during SSCs. However, the question how much elastic energy can be
stored and reutilized is remaining unclear. Obviously, muscles can not reuse elastic energy
that was not previously stored as negative work (G.J. van Ingen Schenau, 1984). The amount
of elastic energy stored in the parallel elastic component is small, so we just consider elastic energy stored in SEC. The amount of energy that can be stored is equal to the area bounded by the force-stretch curve of SEC. The force-stretch curve (Figure 8) can be approximated by a power curve (G.J. van Ingen Schenau, 1984):

\[ F = ks^n \]  \hspace{1cm} (1)

where \( F \) is force, \( s \) is displacement, \( k \) and \( n \) are constants. Energy can be stored is equal to

\[ E = \frac{Fs}{n+1} \]  \hspace{1cm} (2)

Because the exponential relation for SEC of human calf muscle and tendon can be very closely approximated by Equation 1 when \( n=2 \) (A.L. Hof, Geelen, & Van den Berg, 1983), van Ingen Schenau (1984) used \( n=2 \) to estimate the amount of elastic energy stored. Then

\[ E = \frac{1}{3} Fs. \]  \hspace{1cm} (3)

![Figure 8 force (F) and displacement (s) curve. (Van Ingen Schenau, 1984)](image)

When the stretch is small, these two equations can be applied for the moment-angular displacement relationship at a joint.

\[ E = \frac{1}{3} M \Delta \phi \]  \hspace{1cm} (4)

where \( M \) is moment, \( \Delta \phi \) is angular displacement. In running, the author argued that the hip joint does not show a stretch-shortening cycle during the stance phase, so the storage of elastic energy can only take place in the knee extensors and plantar flexors (Ito, Komi, Sjodin,
Bosco, & Karlsson, 1983). When the knee flexion and dorsiflexion in running are about 0.35 rad (20°) and 0.52 rad (30°) and the moments in both joints are about 200 Nm (Luhtanen & Komi, 1978; Winter, 1983), the total storage of elastic energy is equal to 

\[(1/3)*200*0.35+(1/3)*200*0.52=58J\]

even if the entire knee flexion and dorsiflexion are used for storage elastic energy and the CC remains constant. This value is much less than 122 J estimated by Cavagna (1977). Although different maximal muscle stretching percentages have been reported, van Ingen Schenau (1984) considered 2% was more realistic. There are two reasons for this consideration. First, Cavagna and Citterio (Cavagna & Citterio, 1974) reported a maximal stretch of 2%. Second, the maximal stretch of a half sarcomere is 11-15 nm, i.e. 1-1.5% of 1 µm (half sarcomere). Thus, the maximal amount of elastic energy can be stored in a `muscle is about 5 J if the muscle length is 20cm and the extreme force is 4000N 

\[(1/3*4000*0.2*2%=5.3)\]

To estimate the amount of elastic energy stored in the Achilles tendon, 4000N of maximal force, 5% of stretch (correspondly 16° of dorsiflexion), and 26cm of length were used. The maximal amount of stored energy equals to 17 J 

\[(1/3*4000*0.26*5%)\]

The author (1984) further pointed out that the total amount of elastic energy in the leg muscles and tendons would not exceed the 30-40 J during the running or jumping because the tendons of knee extensors are shorter than the tendons of the Achilles tendon. The author (1984) also noted that even this amount of energy cannot be totally reutilized because of viscous properties of tendons. Therefore, the author (1984) concluded that elastic energy plays a minor role in dynamic movements.

The amount of stored elastic energy estimated by van Ingen Schenau (1984) is only about half of that calculated by Alexander and Bennet-Clark (1977). They used a greater force value of 4700N and a greater tendon extension value of 18mm, however, the major
difference is that they used a linear force-stretch curve, i.e. \( n=1 \) in the Equation (1). Thus \( E= \frac{1}{2} F_s \). They calculated the amount of elastic energy in the ankle extensor muscles and the Achilles tendon of one leg of a man running at 3.9 m/s. The results showed that the amount of elastic energy stored was 4.1-8.3 J in ankle extensor muscles and 42 J in the Achilles tendon. Thus, if knee extensors can store almost same amount of elastic energy, the total amount of elastic energy in the knee and ankle joint would be close to 122 J during the high speed (9.4 m/s) running estimated by Cavagna (1977).

Although Hof and van den berg (1986) agreed that \( n \) in Equation 1 should be equal to 2, they argued that it underestimated the capacities of muscles and tendons for storage of elastic energy. Because van Ingen Schenau (1984) assumed that the SEC stretch is equal to the externally measurable joint rotation. In their view, this assumption is not true because the total SEC length change is the sum of the internal length change \( \Delta \phi_{\text{int}} \), caused by a shortening of the CC, and the external length change \( \Delta \phi_{\text{ext}} \), caused by an increase of the whole muscle length. Therefore, Equation 4 should be written as

\[
E = \frac{1}{3} M (\Delta \phi_{\text{int}} + \Delta \phi_{\text{ext}}) \tag{5}
\]

The authors illustrated the external and internal length changes in Figure (9).

![Figure 9. Two-component Hill muscle model in a contraction involving external and internal length changes (Hof & Van Den Berg, 1986).](image-url)
Phase 1 (from a to b in figure 9): In this phase the muscle contacts isometrically to a low moment $M_1$. A shortening of the CC stretches the SEC in the length of $\Delta \phi_{\text{int}}$.

Phase 2 (from b to c): In this phase the moment increases from a low $M_1$ to a maximum $M_2$ while the muscle is in an eccentric contraction. The length of the CC remains constant during this phase, therefore the lengthening of the SEC is equal to the stretch $\Delta \phi_{\text{ext}}$.

Phase 3: In this phase elastic energy is delivered as positive work in a concentric contraction.

Figure 10. Relation between muscle moment $M$ and stretch of the SEC for the human calf muscles. (Hof & Van Den Berg, 1986).

The authors (1986) illustrated the difference in elastic energy storage when the internal SEC stretch is considered during walking (Figure 10). According to van Ingen Schenau (1984), with $\Delta \phi_{\text{ext}}$ of 0.3 rad at moment of 150 Nm, 15 J of elastic energy is stored (fig 8.A). Hof and Van Den Berg (1986) used $k = 600$ Nm/rad$^2$ (experimental value of Hof et al. (A.L. Hof, Geelen, & Van den Berg, 1983)) to calculate the elastic energy storage with a SEC stretch of 0.3 rad. Results showed that only 5.4 J elastic energy could be stored (Figure 8 B). However, the moment of only 54 Nm is not in agreement with the value (150 Nm) found in the literature (A.L. Hof, Geelen, & Van den Berg, 1983). Figure 10c showed the amount of
elastic energy increased dramatically when the internal length change is considered. An initial moment of 24 Nm stretches the SEC of 0.2 rad while the CC provides only 1.6 J. A further increase of the moment to 150 Nm results in 25 J. The total storage of elastic energy therefore increased from 5.4 J to 23.4 J with the internal SEC stretch. Obviously, a pre-strain requires little contractile work but substantially improves the capacity for elastic energy storage at a given range of motion.

The aforementioned examples are indirect estimates for the elastic properties of human muscle. Hof (1998) reported an in vivo measurement of the elasticity curves of the human triceps surae muscle group. This measurement was obtained by the quick-release experiments on a specially developed ergometer. In this controlled-release ergometer, a muscle is shortened at a high but constant speed that should be above the maximum shortening speed of the CC, estimated at 10 rad/s. The movement, up to 1 rad, should be completed within 70 ms to avoid the reflex effect (Allum, Mauritz, & Vogele, 1982). By recording the decline in force as a function of shortening, the force-length relation of the SEC can be obtained (Hill, 1950b). First, the moment and angle were recorded by the ergometer. Next, the moment was corrected for inertia effects, using the acceleration signal. Then, the angle correction for the shortening of the CC was applied to the angle recording. Finally, the passive moment of the antagonists was subtracted from the total moment. Results showed that the SEC moment and length curve can be described by a linear relation, with a stiffness K, preceded by a quadratic curve in the toe region. Stiffness K increases with the level of activation of the muscle. At an ankle moment of 100 N.m, K is 300 ± 40 N m/rad. At moments of 150 and 180 Nm, which correspond to the peak moments in walking at 1.25m/s and running at 2m/s (A. L. Hof, 1990), respectively, the amount of elastic energy stored in the SEC was 23-37 J and 31-57 J. These
values suggest that there is enough amount of elastic energy storage to play an important role in SSCs.

3.3.3 Does elastic energy enhance work produced during the concentric phase?

While there is no question about storage and reutilization of elastic energy, some authors (Avis, Toussaint, Huijing, & van Ingen Schenau, 1986; Chapman & Sanderson, 1990; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a, 1997b) have questioned whether elastic energy enhances work produced during the concentric phase. Their argument is that more elastic energy storage implies a further elongation of the SEC. At the given joint range of motion, the elongation occurs at the expense of the length of CC and consequently reduces the work produced by CC. Van Ingen Schenau et al. (1997a) used a simulation model to illustrate that the total work during the concentric contraction is not determined by the amount of energy stored in the SEC at the start of shortening (Figure 11). The elastic energy stored in the CMJ was 9.7 J more than in the SJ. This is more than 60% of the total extra 15 J of positive work produced in the CMJ. However, they argued that this could not be evidence that elastic energy increases the work production. They used a greater speed of force development in the simulation model to illustrate their argument. The greater speed of force development increased the difference in joint moment and storage of elastic energy between CMJ and SJ. However, the difference in work between CMJ and SJ decreased from 15 J to 5 J (Figure 11). Therefore, the authors concluded that the work enhancement during SSCs is not dependent on elastic energy. Chapman and Sanderson (1990) also demonstrated that work was enhanced when muscle models without SEC were used in simulations.
However, Herzog (Herzog, 1997) argued that van Ingen Schenau and his colleague’s statement is not always correct if the SEC is not exclusively associated with tendons. The SEC was thought to be located mainly in the tendons (Cavagna, 1977). However, the SEC is also located within the cross-bridges between actin and myosin (Huxley & Simmons, 1971). Furthermore, some studies have showed that the thin and thick myofilaments have considerable elasticity. The relative amount of elasticity located in the tendons and the CC depends on the structure of muscle (Cavagna, 1977). The force in a single cross-bridge and its work potential depend directly on the x-distance (Figure 12). The average x-distance is
increased following a stretch compared to an isometric contraction. Thus, the work potential of the stretched muscle might be greater than that of the isometric muscle. Therefore, increased elongation of the SEC, for a given origin to insertion distance of the muscle, may not decrease work potential of the CC. Herzog (Herzog, 1997) further pointed that if a muscle works on the descending limb of the force-length relation at the start of the concentric contraction, for a given amount of shortening, the work potential might be greater for the muscle with shorter length of CC. The work potential of a muscle during SSC is not equal to the area under the isometric force-length relationship, but this area, conceptually, is proportional to the work performed during the concentric contraction. Therefore, starting from a shorter CC length could possibly favor to work production (Figure 13).

Figure 12. Schematic drawing of two cross-bridges in accordance with the cross bridge model. From Herzog (1997)

Figure 13. Schematic sarcomere force-length relationship. From Herzog (1997).
Several experimental studies seem to support the statement that the further elongation of SEC reduces the work produced by CC (Avis, Toussaint, Huijing, & van Ingen Schenau, 1986; Chapman & Sanderson, 1990; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a, 1997b). Takarada, Iwamoto, Sugi, Hirano, and Ishii (1997) tested the effects of eccentric force on the mechanical output during concentric actions. It was reported that both peak and mean power output increased initially with eccentric force, but then began to decline when the eccentric force exceeded 1.8 times the isometric force produced without stretch (Figure 14). The same trend was found in elbow flexion with a pre-stretch (Takarada, Iwamoto, Sugi, Hirano, & Ishii, 1997) and squatting exercise with a countermovement (Takarada, Hirano, Ishige, & Ishii, 1997). Although there is a possible circumstance under which the total amount of work was reduced when the eccentric force exceeded a certain level (Takarada, Iwamoto, Sugi, Hirano, & N., 1997), those results may not provide enough evidence to support the hypothesis that the elongation of SEC reduces the work produced by CC. There is an alternative explanation for the reduced work after increasing the elongation of SEC: cross bridges could be detached when the force exceeds a certain level (Flitney & Hirst, 1978; Syme & Grattan, 2002).

![Figure 14. Relation between peak force developed during stretch and positive work done during shortening in frog single fibers. (from Takarada et al., 1997)](image-url)
3.4 Potentiation of the contractile machinery

Several studies showed that the contractile component itself is able to exert a greater force when a pre-stretch applied (Cavagna, Dusman, & Margaria, 1968; Ettema, Huijing, & Dehaan, 1992). This enhancement is called the potentiation (Ettema, Huijing, & Dehaan, 1992; Hill, 1970) or potentiation of the contractile machinery (Cavagna & Citterio, 1974; Edman, Elzinga, & Noble, 1978; G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a), in which the force-velocity curve is shifted towards higher force values for a given velocity. Many studies provided evidence for this potentiation. For example, the greater amount of work done after stretching is not entirely determined by the elastic energy stored but partly due to the contractile component itself (Cavagna, Dusman, & Margaria, 1968). When a pre-stretch is applied, muscles can even shorten against loads higher than the maximal isometric force (Cavagna & Citterio, 1974). However, no studies have satisfactorily explained the nature of this potentiation (G.J. van Ingen Schenau, 1984).

During an active stretch in experiments conducted with single muscle fibers, force rapidly increases. But this force then decreases after the stretch is completed and reaches a steady state until the end of activation. (Edman, Elzinga, & Noble, 1978; Edman, Elzinga, & Noble, 1982b; Edman & Tsuchiya, 1996; Herzog & Leonard, 2002; Rassier, Herzog, Wakeling, & Syme, 2003). This force is higher than the maximum isometric force at the corresponding final length (Rassier & Herzog, 2004). So the force enhancement induced by the stretch could be divided into a velocity dependent component and a velocity-independent component. The velocity dependent component, also called a transient component, is consistent with cross-bridge activity since it increases with increasing velocity of stretch and is proportional to the level of activation (Ruiter, Didden, Jones, & Haan, 2000). This
The transient component can be accomplished if the average force is increased in cross bridges. The possible mechanism is that cross bridges are forced to a state that facilitates force production and stay in this state for subsequent cross bridge cycles (Rassier & Herzog, 2004). Alternatively, this component could be caused by increase in number of attached cross bridges (Rassier & Herzog, 2004). This hypothesis suggested that the active stretch causes a reorientation of thin filaments to a position closer to the thick filaments and therefore increases the possibility of cross bridge attachment (Amemiya et al., 1988). This component could be nearly a doubling of the force produced during the isometric contraction (Ettema, Huijing, & Dehaan, 1992). However, Edman argued against the idea that this component could contribute to the greater force and greater work output in the subsequent concentric phase because the force enhancement will disappear by a small release. Clearly, this component at least can increase muscle’s capacity to resist stretch and maintain force enhancement during the muscle fiber isometric contraction. The second component also call steady-state force enhancement (Rassier & Herzog, 2004; Ruiter, Didden, Jones, & Haan, 2000) or residual force enhancement (Edman, Elzinga, & Noble, 1982a; D. L. Morgan, 1994). This component is increased with increasing amplitudes, velocity-independent, and normally appears at sarcomere lengths on the descending limb of the length-tension relation (Edman, 1997; Edman, Elzinga, & Noble, 1982a; D. L. Morgan, 1994; Rassier & Herzog, 2004; Ruiter, Didden, Jones, & Haan, 2000). One possible mechanism is sarcomere length nonuniformity and instability (Julian & Morgan, 1979; D. L. Morgan, 1990, 1994; D. L. Morgan, Whitehead, Wise, Gregory, & Proske, 2000). This mechanism can only appear at sarcomere lengths on the descending limb of the force-length relationship (Edman, 1997). The sarcomere length nonuniformity causes difference in
sarcomere length. Most active force is produced by the sarcomeres that are not stretched significantly with greater filament overlap, whereas the sarcomeres with longer lengths and less filament overlap will be supported by parallel elastic component. Thus the force produced by longer sarcomeres will match the short sarcomeres. The final force produced by these two parts would be greater than the force produced during isometric contractions. However, this hypothesis can’t explain following observations: 1) a force enhancement was produced by fiber containing uniform sarcomere lengths (Edman, Elzinga, & Noble, 1982b), 2) a force enhancement was observed on the ascending limb of the force-length relationship (Peterson, Rassier, & Herzog, 2004), and 3) the force after stretch is greater than the isometric force produced on the plateau of the force-length relationship (Rassier, Herzog, Wakeling, & Syme, 2003). Therefore, sarcomere length nonuniformity may cause some force enhancement, but other mechanisms, such as engagement of a passive element, may also play a role in the force enhancement (Rassier & Herzog, 2004).

Edman et al. (Edman, 1997) argued that the amplitude of this component may be too small to be a factor that could improve the work output during the shortening phase. However, Ettema and Huijing (Ettema, Huijing, & Dehaan, 1992) found this component could contribute to force enhancement 2-16% for all conditions with different initial shortening lengths and shortening velocities.

Although the effect of the potentiation has been found in isolated muscles, it is questionable how much it can contribute to mechanical enhancement in human dynamic movements, in which activation level is relatively low and some muscle fibers may not be lengthened at all (G.J. van Ingen Schenau, Bobbert, & deHaan, 1997a). However, it seems clear that a greater potentiation may occur in a SSC with a high stretch speed, a short delay
after stretch (Edman, Elzinga, & Noble, 1978; Edman, Elzinga, & Noble, 1982a), and a minimized length changes in muscle fibers during shortening.

Recently, several studies investigated the interaction between fascicle and tendinous tissue during SSCs (Finni, Ikegawa, Lepola, & Komi, 2003; Ishikawa, Finni, & Komi, 2003). In these studies, an optic fiber technique was used to directly measure force and the aforementioned ultrasonography was used to directly measure the length change of fascicle and tendinous tissue. These in vivo techniques made it possible to study the potentiation of the contractile machinery in human movement. Finni et al. (Finni, Ikegawa, Lepola, & Komi, 2003) reported that compared with the classical force velocity curve, no potentiation was found in the fascicle level of VL during SSCs, but this finding does not completely deny the possibility of potentiation of the contractile machinery presenting in SSCs in vivo because only one fascicle was examined and non-uniform stain between fascicles may happen in the muscle (Finni, Ikegawa, Lepola, & Komi, 2003). On the other hand, a power enhancement in the muscle-tendon unit level of VL was observed during hopping (Figure 15) and DJ. In fact, fast SSCs such as DJ or sprint running, the performance enhancement results from the cooperation between fascicle behavior and elastic recoil of tendons (Ishikawa, Finni, & Komi, 2003). It was observed that the tendinous tissue of MG and VL rapid shortened in the push off phase of DJ, while the fascicle shortens isometrically or at a low speed (Finni, Ikegawa, Lepola, & Komi, 2003; Fukunaga, Ichinose, Ito, Kawakami, & Fukashiro, 1997). This suggests that the minimized length change in muscle fascicles facilitates storage and recoil of elastic energy and finally enhances the mechanical output during the concentric contraction. In this view, it may not be significant to discuss whether the elongation of SEC at the expense of CC shortening distance will reduce the work of CC.
3.5 Importance of preactivation

It has been showed that to prepare muscles to receive high impact force, muscles were strongly preactivated in these explosive movements, such as running (Kyrolainen, Avela, & Komi, 2005; Kyrolainen, Komi, & Belli, 1999; Nummela, Rusko, & Mero, 1994), run-up vertical jumps (Gollhofer & Kyrolainen, 1991; Ishikawa & Komi, 2004; Kamibayashi & Muro, 2005; Young, Wilson, & Byrne, 1999), and long jumps (Kyrolainen, Komi, & Belli, 1999). A high preactivation could be caused by muscle co-contraction in anticipation of landing (Ingen Schenau G.J.van., Bobbert M.F., & A., 1997b) or pre-landing movements (Horita, Komi, Nicol, & Kyrolainen, 2002). The preactivation is interpreted as a preprogrammed neuronal activation part, which has important functions (Dietz, Schmidtleicher, & Noth, 1978; Gollhofer & Kyrolainen, 1991). First of all, it creates a beneficial situation for muscles to develop maximum force in a short time (Ingen Schenau G.J.van., Bobbert M.F., & A., 1997b). As mentioned in the mechanism of more time
available for time available, for those slow movements, it takes about 300 ms to develop the highest force. The force development depends on stimulation dynamics (the development of muscle stimulation), excitation dynamics (the development of muscle active state in response to stimulation), and contraction dynamics (the development of force in response to active state). However, in these fast SSCs, such as drop jumps, the muscles reach the maximum value in less than 100 ms. When muscles are strongly preactivated before landing, the process of stimulation dynamics and excitation dynamics may happen before landing. Therefore, the force could develop very fast after landing. Another function of preactivation is to increase sensitivity of muscle spindles to enhance stretch reflexes (Gottlieb, Agarwal, & Jaeger, 1981), which subsequently increases tendomuscular stiffness (Komi, 2000) and enhances force production (Kyrolainen, Avela, & Komi, 2005). Kyrolainen et al. (Kyrolainen, Avela, & Komi, 2005) reported that at higher speeds, the aEMG activities of the gastrocnemius, vastus lateralis, biceps femoris and gluteus maximus exceeded 100% MVC. This result provided evidence to support that the increased preactivation level potentiates the functional role of stretch reflexes. Recently, Linnamo et al. (Linnamo, Strojnik, & Komi, 2006) reported that the force potentiation is related to preactivation levels. Results showed that the force potentiation was greater at higher stretching velocities but only when maximal preactivation preceded the stretch. At lower preactivation levels the velocity dependence was not observed (Linnamo, Strojnik, & Komi, 2006). The preactivation level can be regulated by required motor task (Horita, Komi, Nicol, & Kyrolainen, 2002), stretch load (Kyrolainen, Komi, & Belli, 1999), fatigue (Nummela, Rusko, & Mero, 1994), vestibular and visual inputs (Avela, Santos, Kyrolainen, & Komi, 1994), and verbal instructions (Arampatzis, Bruggemann, & Klapsing, 2001).
From the above discussion, it has been showed that there are several critical conditions for a effective SSC: a fast eccentric speed to increase force development and facilitate the stretch reflex, a short lengthening amplitude to take advantage of the short range of stiffness and enhance the storage of elastic energy, a minimized fascicle length change to optimize the release of elastic energy. However, there are dilemmas to maximize the mechanical output. The increased eccentric speed and load could increase force development, but it will overstretch the fascicle, tendon and whole muscle, consequently the power and work output will be dramatically reduced. Also, if the eccentric contraction can be finished in a very short time, the effect of stretch reflex would be too late to improve the mechanical output. A high level of preactivation seems a good solution for these dilemmas. With a high level of preactivation, it takes less time for muscles to reach peak force. Thus, under a high eccentric load and speed, a short stretch range and minimized fascicle length changes are still possible to be realized. The effect of stretch reflex would not be too late to improve the mechanical output because the preactivation can enhance the stretch reflex. Furthermore, one big difference between human dynamic movement and isolated muscle behavior is the activation level. Obviously, all these pre-stretch effects observed in the experiments using fully preactivated muscles would be more likely to happen in SSCs with a high preactivation level. In summary, the preactivation appears to be necessary to enhance EMG activity, potentiate stretch reflexes, and enhance potentiation, therefore, it plays an important role in the SSC performance enhancement (Kyrolainen, Komi, & Belli, 1999)

4. Summary

In the literature, there is not enough evidence to deny any of the four proposed mechanisms contributing to mechanical enhancement during SSCs. It is quite likely a high
level of force prior to shortening, stretch reflex, potentiation of the contractile machinery, and the storage and release of elastic energy interact in some manner to produce performance enhancement during SSCs (Cronin, McNair, & Marshall, 2001). The amplitude of enhancement may depend on preactivation, stretch velocity and load, and length change in fascicles and tendons.
5. References


Hill, A. V. (1938). The heat and shortening of the dynamic constant of muscle. *Proceedings of


changes in the cat soleus muscle following slow stretch or shortening of the contracting muscle. *J Physiol, 522 Pt 3, 503-513.*


Appendix 2. Consent Form

LOUISIANA STATE UNIVERSITY
CONSENT FORM

Study Title: A Comparison of drop jumps with and without approach run

Performance Site: Biomechanics Laboratory, Room B2, Gym Armory

Investigators: The investigator(s) listed below are available to answer questions about the research, M W F, 1:00 p.m. - 4:00 p.m.

Dr. Li Li (225) 578-2036
Mianfang Ruan (225)578-4395

Purpose of the Study: The aim of this project is to quantify the biomechanics differences between the drop jump with and the drop jump without approach run.

Subject Inclusion: Adults between 18 and 35 years of age with no apparent health problems are allowed to participate in this study.

Number of Subjects: 75

Study Procedures: Each subject will sign a written consent form that is approved by the institutional review board. Next, history of knee and ankle injury will be assessed verbally. Each subject will then have two weeks (three times per week, total six times) jump training and drop jump training, so you will master the correct drop jump technique and reduce the risk of injury. Subjects will be required to wear suitable sports shoes in training. During the formal data collection, you will have 15 minutes to warm up. After warm up, each subject’s legs will be cleansed with rubbing alcohol before placement of surface electrodes. Those electrodes will be placed on the surfaces of Gluteus maximus, Rectus femoris, Biceps femoris, Vastus lateralis, Tibialis anterior, Gastrocnemius and Soleus. Additionally, subjects will have five self-adhesive markers (i.e. a reflective ball that tracks joint positioning) placed at the Anterior Superior Iliac Spine, Hip, Knee, Ankle, Metatarsals. Then subjects will be asked to perform drop jumps from five different heights: 0, 13, 26, 39, and 52 cm. combined with four different level of approach run, zero (standing), one, two, and three steps. You will land on a force plate. Totally, you will perform 20 jumps. Kinematics, kinetics and EMG data will be recorded. A spotter will be present during the exercises to ensure subjects’ safety.

Benefits: There are no direct benefits to the participants. However, information gained from this study may provide biomechanics knowledge to enhance the efficiency of training.
**Risks/Discomforts:** The risk will be minimal. Subjects who don’t have any experience of drop jump may feel nerves and touch ground with their heel while landing, which increase the impact force and may increase the risk. To minimize the risky, the subjects will have two week’s (three times a week) jump training before data collection. A spotter will be present during the exercises to ensure participants’ safety.

**Right to Refuse:** Participants may choose not to participate or to withdraw from the study at any time without penalty or loss or any benefit to which they might otherwise be entitled.

**Privacy:** The results of the study may be published. The privacy of participating will be protected and your identity will not be revealed unless legally compelled.

**Financial Information:** There is no cost to the participant, nor is there any compensation for participating in the study.

**Subject Exclusion:** If the answer to any of the following questions is "YES", or those individuals who do not meet the specified age range are excluded from participating in the study.

1). Has your doctor ever stated that you have heart trouble?
2). Do you frequently have pains in your heart or chest?
3). Do you often feel faint or have spells of severe dizziness?
4). Has your doctor ever said your blood pressure was too high?
5). Has your doctor ever told you that you have a bone or joint problem, arthritis that has been aggravated by exercise, or might be made worse with exercise?
6). Is there a good physical reason not mentioned here why you should not follow an activity program even if you wanted to?
7) Have you experienced any knee or ankle injury?

**Signatures:** The study has been discussed with me and all my questions have been answered. I may direct additional questions regarding study specifics to the investigators. If I have questions about subjects' rights or other concerns, I can contact Robert C. Mathews, Institutional Review Board, (225) 578-8692. I agree to participate in the study described above and acknowledge the investigator's obligation to provide me with a signed copy of the consent form.

_____________________________     _______________________
Subject Signature                         Date
Appendix 3. Computer Programs

runmuscle.
% Adapted from Akinori Nagano, Ph.D.
% Computer and Information Division, RIKEN
% June 2003

This program is the main junction for the simulation.
% This program sets up parameter values, initial condition,
% options for the numerical integration,
% calls a numerical integration function
% and draws results.

clear;
close all;

% set up parameter values
grav=9.81;      % m/s 2, gravity
dur=0.9;        % s, simulation duration
grids=501;
pre=0;
tspan=linspace(0.5,dur,grids);

Fmax=3317;       % N
LCEopt=0.10;     % m
Lslack=0.30;     % m
a_pen=0;         % deg, pennation angle
stiff=0.04;      % stiffness of the SEE
massa=70;
massb=70;       % kg
mus_origin=0;   % m, position of the muscle origin

onset=0.00005;   % s
release=0.5;     % s

% set up initial condition
LCEini = LCEopt *1;
Lslackini=Lslack;

% set up initial condition
icon=[-LCEini*cos(a_pen*pi/180)-Lslackini;% position of the mass
-0.50%velocity of the mass
0.1%LCEini;% length of the CE
0]%0.0];% activation level

pars=[mus_orig Fmax Lslack stiff LCEopt massa massb release a_pen onset pre];
% set up options for numerical integration
options=odeset('RelTol',1e-6, 'AbsTol', 1e-9);

% numerical integration
[T,Y]= ode45 (‘diffODE’, tspan, icon, options, pars);
%draw figures
SEex=max(-Y(:,1)-Lslack-Y(:,3),0.000001);
F=(Fmax/((stiff*Lslack)^2))*SEex.^2;
power=F.*Y(:,2);
PEEX=max(Y(:,3)-LCEopt,0);
FPE=Fmax*((PEEX/(0.47*LCEopt)).^3);
figure (1);
for jj=1:4
    subplot (2,4,jj)
    plot(T, Y(:,jj));
    subplot(2,4,5);
    plot (T,SEex);
    subplot(2,4,6);
    plot(T,F);
    subplot(2,4,7);
    plot(T,power);
    subplot(2,4,8);
    plot(T, FPE);
end

function [Fiso]=calFiso (LCE,LCEopt)
% This function calculates the
% force-length relation of the contractile element.

width=0.55;
c1=-1.0/(width^2);
c2=-2.0*c1;
c3=1.0 + c1;
LCErel=LCE/LCEopt; %CE length relative to LCEopt
Fiso = \text{max}(c1 \cdot \text{LCErel}^2 + c2 \cdot \text{LCErel} + c3, 1d-6); \% force-length relation

\textbf{function} [\text{outval}] = \text{diffODE} (t, \text{inval}, \text{options}, \text{pars})
\%
This function calculates the first derivative of the
\% variables to be integrated.

\%parameter values
\text{mus\_orig} = \text{pars(1)};
\text{Fmax} = \text{pars(2)};
\text{Lslack} = \text{pars(3)};
\text{stiff} = \text{pars(4)};
\text{LCEopt} = \text{pars(5)};
\text{massa} = \text{pars(6)};
\text{massb} = \text{pars(7)};
\text{release} = \text{pars(8)};
\text{a\_pen} = \text{pars(9)};
\text{onset} = \text{pars(10)};
\text{pre} = \text{pars(11)};
\text{mass\_pos} = \text{inval(1)}; \% position of the mass

\text{mass\_vel} = \text{inval(2)}; \% velocity of the mass
\text{LCE} = \text{inval(3)}; \% length of the contractile element
\text{qq} = \text{max(inval(4), 0.0001)}; \% activation level

\text{Loi} = \text{mus\_orig} - \text{mass\_pos}; \% muscle origin-insertion length
\text{FSEE} = \text{calFSEE} (\text{Fmax}, \text{Loi}, \text{LCE}, \text{Lslack}, \text{stiff}, \text{a\_pen}); \% SEE force
\text{FPEE} = \text{calFPEE} (\text{Fmax}, \text{LCEopt}, \text{LCE}); \% PEE force
\%
\text{fprintf(1, 'Fn'\text{'n'}, mass\_vel)}
\%
\text{fprintf(fileFSEE, 't.txt', 'a')};
\%
\text{fprintf(fileFSEE, '.4f', t)};
\%
\text{fprintf(fileFSEE, '\n')};
\%
\text{status} = \text{fclose(fileFSEE)};
\%
\%
\%
\text{if} \ t < \text{release} + 0.1
\text{mass\_acc} = (\text{FSEE} - \text{massa} \cdot 9.81) / \text{massa};
\%
\text{t} > \text{release} + 0.2;
\%
\text{end} \% acceleration of the mass

\text{act} = \text{pre}; \% activation input

\text{if} \ t \geq \text{onset} \& \ t < \text{release} \% and \ t < \text{release} \% full activation after the onset
\text{act} = \text{min(t} \cdot 2.2, \text{pre});
elseif \ t >= \ 0.5 \ & \ t <= \ 0.8
    \% \text{act} = \min(3(t-\text{release})+\text{pre},0.9);
elseif \ t > 0.535 \ & \ t < 0.57
    \text{act} = \min(3(t-\text{release})+\text{pre},0.9);
elseif \ t > 0.65 \ & \ t < 0.8
    \% \text{act} = \min(3(t-\text{release})+\text{pre},0.9);
elseif \ t > 0.8
    \text{act} = 0; \% \text{max}(\text{pre}+0.3-10(t-0.1-\text{release}),0);
    \% \text{else}
    \% \text{act} = 1;
end

ta=0.055; \% \text{time constants}
\td=0.065;
t2=1/\td;
t1=(1/ta-t2);
dqq= (\text{act}-\text{qq}) \ast (t1*\text{act} + t2); \% \text{first derivative of the CE activation level}

% if \ t > \text{release}+0.3 \ & \text{-0.0001}<\text{mass_pos}<0.001
    \% \text{mass_acc} = 0
    \% \text{mass_vel} = 0
%end
VCErel=calVCErel(LCE, LCEopt, FSEE, Fmax, qq, FPEE,a_pen);
VCE=VCErel*LCEopt; \% \text{CE shortening velocity}

if \ t < \text{release} \% \text{no motion before the release}
mass\_vel = 0;
mass\_acc = 0;
end

%SEex=-\text{mass_pos}-\text{Lslack}-LCE;
%F=(Fmax/((stiff*Lslack)^2))*SEex^2;
power=FSEE*mass_vel;
powerCE=(FSEE-FPEE)*VCE;
powerpee=FPEE*VCE;
powerSEE=FSEE*(mass_vel-VCE);
fileFSEE=fopen('vce.txt', 'a');
fprintf(fileFSEE,
'%.4f,%.4f,%.4f,%.4f,%.4f,%.4f,%.4f,t,mass_vel,FPEE,VCE,FSEE,power,powerCE,powerpee,powerSEE);
fprintf(fileFSEE,'
');
status=fclose(fileFSEE);
outval=[mass_vel;mass_acc;VCE;dqq];% output first derivative values

function[FPEE]=calFPEE (Fmax, LCEopt, LCE)
%This function calculates the
%force-length relation of the parallel elastic element.
PEEext=max(LCE-LCEopt,0);%extension of the PEE
FPEE=Fmax*((PEEext/(0.47*LCEopt)).^3); % force-length relation FSEE, Fmax, qq, FPEE, a_pen)
%This function calculates the
%force-velocity relation of the contractile element.

function[FSEE]=calFSEE (Fmax,Loi,LCE,Lslack,stiff,a_pen)
%This function calculates the
%force-length relation of the series elastic element.

SEEext=Loi-Lslack-LCE*cos(a_pen*pi/180);% extension of the SEE
FSEE=(Fmax/((stiff*Lslack)^2))*(max(SEEext,0)^2);% force-length relation

function [VCErel]= calVCErel (LCE, LCEopt, FSEE, Fmax, qq,FPEE, a_pen)
%This function calculates the force-velocity relation of the contractile
%element.

%parameter values
Arel=0.41;
Brel=5.2;
Fasympt=1.5;
Slopfac=2.0;
Sloplin=200;
% consideration of the effect of the parallel elastic element
if (FSEE/cos(a_pen*pi/180)>FPEE)
    FCErel= (FSEE/cos(a_pen*pi/180))/Fmax; %FPEE)/Fmax;
else
    FCErel=0;
end

Fiso=calFiso(LCE,LCEopt);
Factor=min(1,3.33*qq);
%fprintf(1,'%f',Fiso);

if (FCErel/qq<=Fiso) %concentric phase
    VCErel=-Factor*Brel*((Fiso+Arel)/(FCErel/qq+Arel)-1.0);
else% eccentric phase
    c2= -Fiso * Fasympt;
    c1= Factor*Brel*(Fiso+c2)^2/ (Fiso+Arel) /Slopfac;
    c3= c1/ (Fiso+c2);
    if (FCErel/qq <= -sqrt(c1/(Factor*Sloplin))-c2) % slow stretch
        VCErel=-(c1/ (FCErel/qq+c2)-c3);
    else% fast stretch
        VCErel=Factor*Sloplin*(FCErel/qq+c2)+c3+2.0*sqrt(c1*Factor*Sloplin);
    end
end
end
Appendix 4. Letters from Publisher

From: Linda Topper <LTopper@AAHPERD.org>
Sent: Thursday, May 3, 2007 10:47 AM
To: "Li Li" <lli3@lsu.edu>, "Kathleen Williams K_WILLIA" <kathleen_williams@uncg.edu>
CC: "Mianfang Ruan" <mruan1@lsu.edu>
Subject: RE: FW: 512BM02

Hello, Kathy and Li,

Thank you, Li, for the additional information. I believe, then, we need to follow option #2: the manuscript has not yet been published in RQES; therefore, no copyright permission is needed. Is that your understanding as well, Kathy? Thanks.

Linda

From: Isulili@gmail.com [mailto:Isulili@gmail.com] On Behalf Of Li Li
Sent: Thursday, May 03, 2007 11:40 AM
To: Kathleen Williams K_WILLIA
Cc: Linda Topper; Mianfang Ruan
Subject: Re: FW: 512BM02

Hi Kathy,

Well, it is first time for me too. I have just phoned LSU Grad School and the answer is that LSU will be OK if: 1). the accept for publication initiates RQES's copy right for this paper and you allow it to be included in the dissertation, or 2). It has not been published and therefore no copy right permission needed. Anyway, LSU will need something from you to signify that we have communicated and the journal has no objection that the manuscript being included in the dissertation.

Thank you for your help.

Li
Vita

Mianfang Ruan was born on April 19, 1972 in Ruian, Zhejiang, China. He graduated from Ruian High School in 1990. Following his high school graduation he attended Physical Education department, Hangzhou University, and graduated in 1992. After three years working as a high school P.E teacher, Mianfang Ruan then attended the Shanghai Institute of Physical Education to pursue a Master of Education in sports biomechanics. After graduating from Shanghai Institute of P.E, he worked as an assistant researcher for four years at Shanghai Institute of Sports Science. He left Shanghai in 2002 to pursue his Doctor of Philosophy degree in kinesiology at Louisiana State University. He was the research and teacher assistant during his graduate studies in the Kinesiology Department and the recipient of College of Education Lilian Olson Scholarship. Before graduation, he accepted a research position at American Sports Medicine Institute, in Birmingham, Alabama.