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Effect of hole configurations on film cooling from cylindrical inclined holes for the application to gas turbine blades

Yiping Lu

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**EFFECT OF HOLE CONFIGURATIONS ON FILM COOLING
FROM CYLINDRICAL INCLINED HOLES FOR THE
APPLICATION TO GAS TURBINE BLADES**

A Dissertation

**Submitted to the Graduate Faculty of the
Louisiana State University and
Agricultural and Mechanical College
in partial fulfillment of the
requirements for the degree of
Doctor of Philosophy**

in

The Interdepartmental Program in Engineering Science

by

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NOMENCLATURE

| | |
|------------------|--|
| c_p | specific heat |
| D | film hole diameter |
| DR | density ratios |
| D_h | hydraulic diameter |
| h | heat transfer coefficient with film injection |
| h_0 | heat transfer coefficient without holes |
| I | momentum flux ratio or turbulent intensity |
| k | thermal conductivity of test surface or turbulent kinetic energy |
| M | blowing ratio, $\rho_c U_c / \rho_m U_m$ |
| q'' | heat flux with film injection |
| q_0'' | heat flux without film injection |
| Re | free stream Reynolds number |
| t | the time when the IR image was taken after the test was initiated. |
| T | temperature |
| T_{atm} | atmospheric temperature |
| T_c | coolant temperature |
| T_f | film temperature |
| T_i | initial temperature |
| T_m | mainstream temperature |
| T_w | prescribed wall temperature |
| T_u | free stream turbulence |
| U_c | coolant velocity |

| | |
|------------|--|
| U_m | mainstream velocity |
| x | streamwise distance along the test plate |
| y | coordinate normal to surface |
| Δt | time step |

Greek Symbols

| | |
|---------------|--|
| η | film effectiveness, |
| ϕ | overall cooling effectiveness |
| μ | viscosity of air |
| ε | turbulent kinetic energy dissipation rate |
| τ_{ij} | specific Reynolds stress tensor |
| τ_j | time step for Duhamel's superposition theorem |
| T_{mj} | temperature step for Duhamel's superposition theorem |

ABSTRACT

Film cooling is one of the cooling systems investigated for the application to gas turbine blades. Gas turbines use film cooling in addition to turbulated internal cooling to protect the blades outer surface from hot gases. The present study concentrates on the experimental and numerical investigation of film cooling performance for a row of cylindrical holes in a modern turbine blade. The adiabatic film effectiveness and the heat transfer coefficient are determined experimentally on a flat plate downstream of a row of inclined different geometries hole exit by using a single test transient IR thermography technique. The focus of this investigation is to investigate advanced cooling hole geometries on film cooling heat transfer and cooling effectiveness over flat and turbine airfoil surfaces.

Four test designs, crescent and converging slot, trench and cratered hole exits, are tested. Variations of these configurations are tested under two different test rigs. Results show that both the crescent and slot exits reduce the jet momentum at exit and also provide significantly higher film effectiveness with some increases in heat transfer coefficients. The trench where in the jets come in and spread evenly into a slot before exiting. An optimum trench depth exists at $0.75D$ as shallower and deeper trenches show worse performance. The cratered holes increase film effectiveness over the baseline case by about 50%. However, they do not provide significant lateral spreading as seen for trenched holes.

Meanwhile, film cooling predictions are used to understand the mechanisms of the jets that exit these trenched holes and crater holes. The present work employs RSM (Reynolds stress transport model) for simulation of turbulent flows in film cooling and the simulation was run using FLUENT computer code. Comparisons are made with experimental data for the film effectiveness distributions. Results show that the film cooling jet exiting the trenched

hole is more two-dimensional than the typical cylindrical holes and crater holes. Detailed flow structure visualization shows that the trench design counteracts the detrimental vorticity of the round hole flow, allowing it to remain attached to the surface.

CHAPTER 1 INTRODUCTION

1.1 Turbine Film Cooling

Gas turbines are used for aircraft propulsion and in land-based power generation or industrial applications. In the 1930s, the development of high performance piston engines for aircraft propulsion had reached its peak, with further performance increases being unlikely. New technologies had to be developed in order to achieve the desired higher flight velocities, higher thrust to weight ratios and reduced engine sizes. In the following years, two new aircraft propulsion systems were developed and brought into service in military aircraft, namely the rocket and the gas turbine engines.

The main three components of a gas turbine engine are compressor, combustor and turbine as shown in Fig 1.1. The compressor compresses the incoming air to high pressure, the combustor burns the fuel and produces high pressure, high temperature high velocity gas and the turbine extracts the energy from the gas.

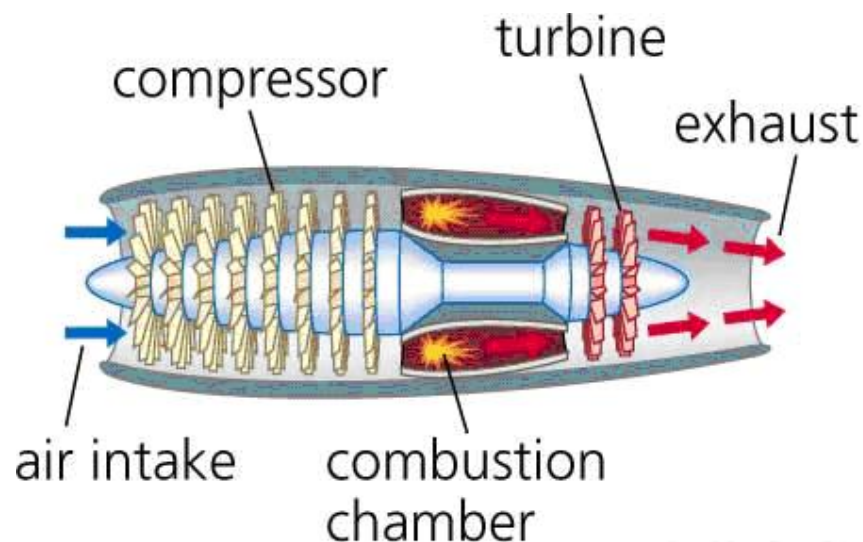


Fig 1.1 Components of gas turbine engine [1]

The continuous improvement in the performance of air-breathing propulsion systems necessitates a continuous increase in the turbine inlet temperatures. This, coupled with the demands of reduced size of the combustors, has put a significant burden on turbine technology. Since the inlet temperatures of present generation gas turbines are much higher than the melting temperatures of the available alloys used to make the turbine blades, cooling of the blades is a critical issue in turbine technology. The development of turbine inlet temperatures is shown in Fig 1.2. Improvements in blade materials have allowed an increase of melting point around 200° and use of turbine cooling has allowed an increase of approximately another 250° , which allow turbine inlet gas temperature above the melting points of the materials used.

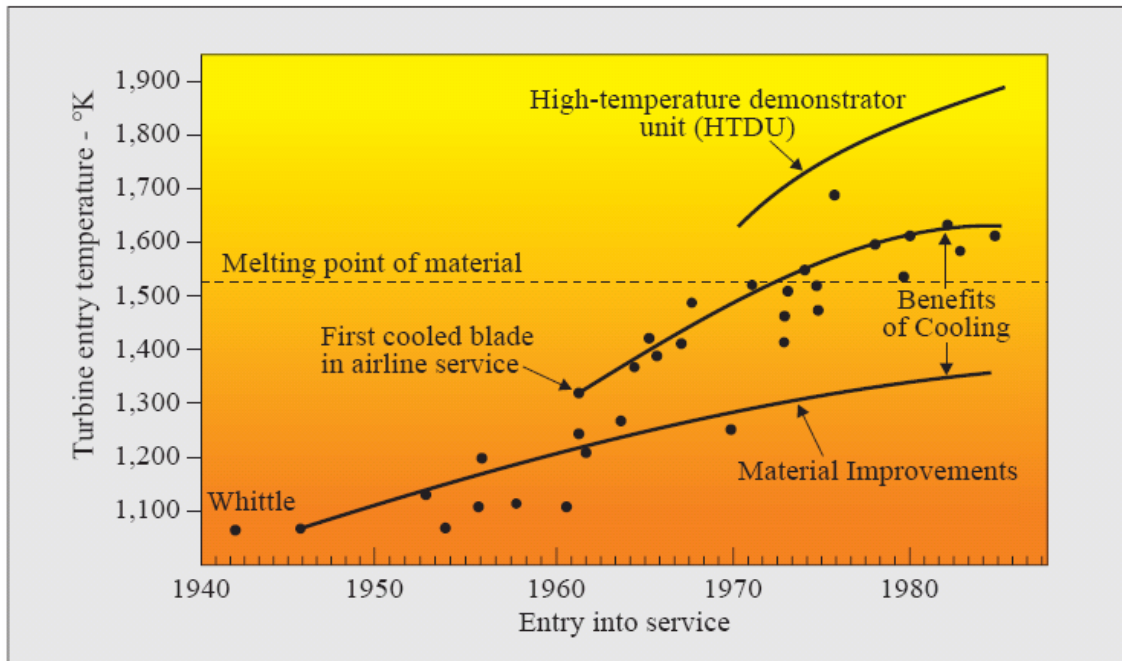


Fig 1.2 Development of Turbine Inlet Temperature [2]

Various internal and external cooling techniques are employed to bring down the temperature of the blade material below its melting point. As shown in Fig 1.3 in internal cooling, relatively cold air is bypassed from the compressor and passed through the hollow passages inside the turbine blade. In external cooling, the bypassed air is exited out through small holes at discrete locations of the turbine blade. This relatively cold air creates a protective blanket that saves the turbine blade from the harsh environment. This type of cooling is called film cooling.

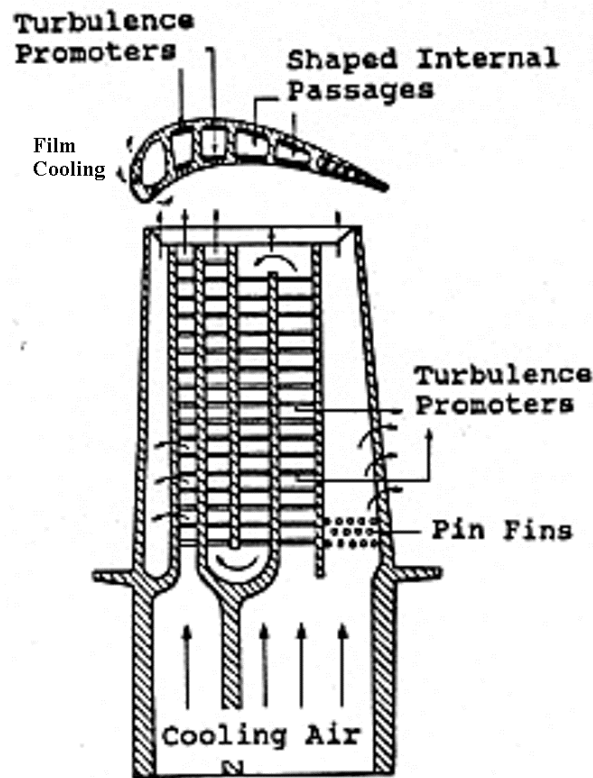


Fig 1.3 Cooling concepts of a modern multi-pass turbine blade [3]

Turbine airfoil surfaces, shrouds, blade tips, and endwalls are all cooled using discrete-hole film cooling. A typical cooled airfoil is shown in Fig 1.4. The figure shows the various locations where coolant is injected into mainstream from inside the airfoil through discrete holes. Film cooling protects the airfoil surface directly, compared to internal cooling

techniques that remove heat from the inside surface. Film cooling also removes heat from the blade surface through the film hole by internal convection. The thermal protection is expected to provide reduced heat load to the airfoil surface. Designers need to know the net heat load into the component surface when film is injected. Due to the complex nature of discrete hole injection, there is a need to know the local wall temperature under the film and the gas-side heat transfer coefficient with film injection. Both these components are required to estimate reduced heat load to the surface.

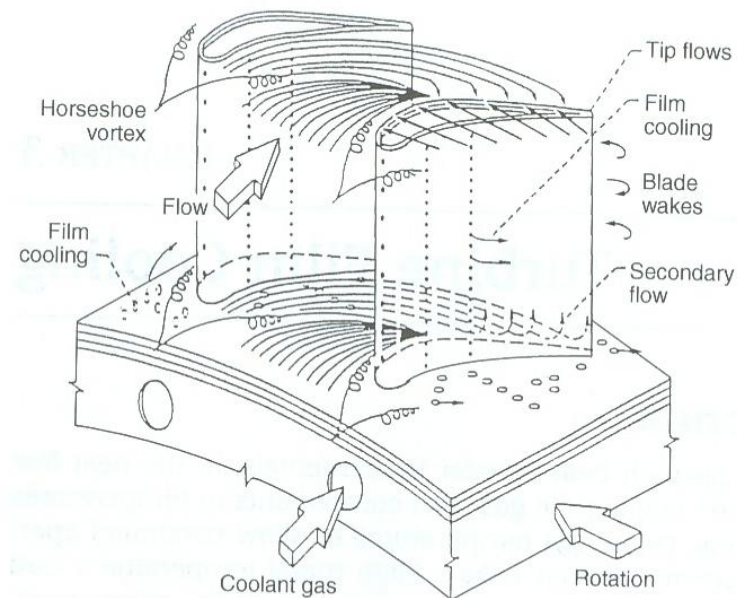


Fig 1.4 A typical cooled airfoil [4]

Film cooling, wherein cooler air from the compressor is injected near the blade surface (through holes or slots) to provide a layer of cool fluid between the hot gases and the blade surface, has been an effective approach for this purpose. The working principle of film cooling is sketched in Fig 1.5 for injection of the coolant from a slot and from a row of holes. The ejected cool air forms an insulating layer between the hot main flow and the surface to be cooled, reducing thereby the heat transfer to the surface. The cooling effectiveness is high

close to the ejection and decreases progressively in downstream direction due to the mixing of cooling film and hot main flow. The ejection from a slot is, therefore, more efficient than the ejection from a row of holes, because the mixing process is less intensive for the closed film ejected from a slot. But the high thermal stresses encountered on gas turbine blades and vanes do not allow the use of long slots. The modern film cooled turbine blades, therefore, are provided with rows of holes or rows of small slots.

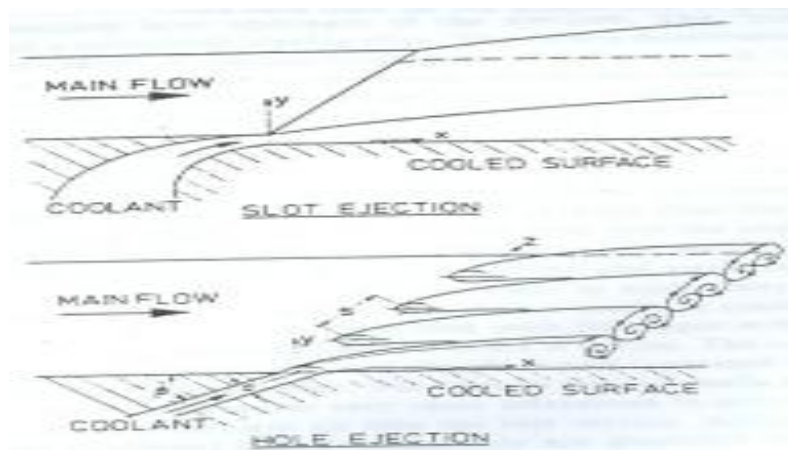


Fig 1.5 Working principle of film cooling [5]

Flat surface models can be used to study the effects of individual parameters with relative ease and are less expensive. Early studies have proved that the results obtained on simple flat-surface models can be applied to real engine design with slight corrections. The effects of geometrical parameters (hole geometry, shape, size, spacing) and flow parameters (coolant-to-mainstream mass flux, temperature ratio, mainstream Reynolds number, velocity, etc.) have been studied on flat surface. Also, the effects of pressure gradient and curved surface have also been studied. Some studies have focused only on the heat transfer coefficient enhancement and others have presented only film effectiveness results.

Heat transfer coefficient downstream of the film injection is enhanced due to increased

turbulence produced by mixing of the coolant jets with the mainstream boundary layer. This increased turbulence locally enhances the heat transfer coefficients. The effect of the coolant jet decreases downstream of injection as the jet structure dissipates and the mainstream dominates the coolant film completely. The high heat transfer coefficient in the near injection region is due to the three-dimensional nature of the jet, and far downstream ($x/D > 15$), the jet structure is completely absent and is two-dimensional in nature. The heat transfer coefficient ratio decreases with increasing axial distance from the injection hole. About 15-hole diameters downstream of injection, the film cooling effect disappears. The heat transfer coefficient ratio is almost equal to unity.

There is a large body of existing literature on film cooling efficiency with the effect of hole geometry. Some of these studies compared simple angle holes with compound angle holes. The compound angle injection hole has two injection angles, as shown in Fig 1.6. The inclination angle (α) is defined as the angle between the injection vector and its projection on the $x-z$ plane, whereas the orientation angle (β) is defined as the angle between the streamwise direction and the projection of the injection vector on the $x-z$ plane. In the compound angle orientation system, the coolant is injected with a spanwise momentum, which provides more uniform film coverage and shows higher heat transfer coefficient enhancement.

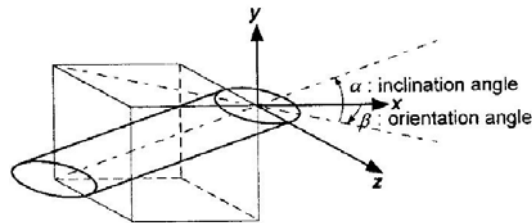


Fig 1.6 Compound Hole Configuration [6]

There are some researches about the multihole film cooling. The configuration of multihole film cooling is illustrated in Fig 1.7: a large number of holes are drilled on the combustor liner wall, normal or inclined to the wall surface, arranged in a specific pattern. This cooling scheme functions through three processes. First, when the coolant flows through the annular passage, heat is absorbed by the coolant from the hot wall by convection. Second, the coolant passes through the small holes, leading to the so-called internal heat convection to further cool the wall. Third, when the coolant is discharged from the holes, it forms a cooling film. The second process accounts for the higher level of overall cooling effectiveness of this cooling scheme than a conventional slot film cooling scheme. The second cooling process contributes to the same degree provided the same hole diameter and inclination angle as well as the same number of holes per unit area (hole opening density). Therefore, the potential to further enhance cooling lies in the third process as different hole patterns could lead to different adiabatic film cooling effectiveness (η).

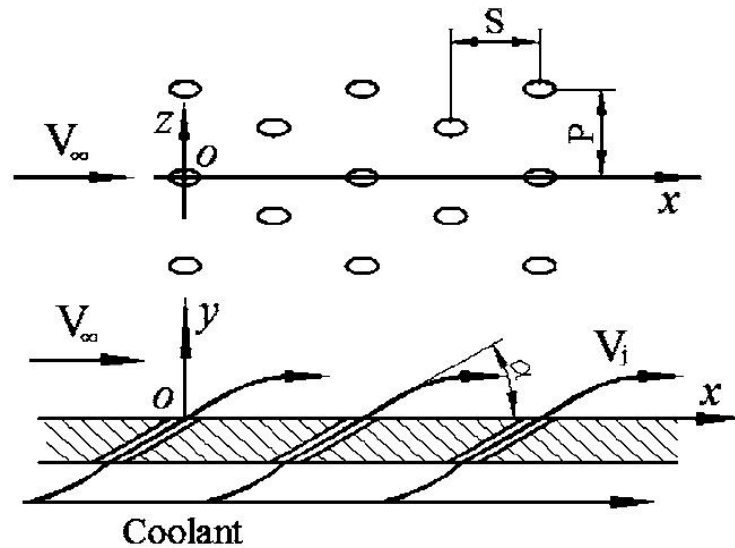


Fig 1.7 Configuration of multihole film cooling [7]

The design practice in the heat transfer community for film cooling has been mostly empirical in nature, relying heavily on a large experimental database. However, there are many parameters and factors that need to be considered. In general, it is important to optimize the amount of coolant for airfoil film cooling under engine operating conditions. It is also important to determine the effects of free-stream turbulence and unsteady wakes on the airfoil film-cooling performance. The turbine-cooling system designers need to know where the heat is transferred from the hot mainstream to the airfoil in order to design better film-cooling patterns for airfoils. These film-hole patterns (i.e., film-hole location, distribution, angle and shape) affect film cooling performance.

1.2 Research Objectives

The motivation behind this study is to develop and test innovative film cooling hole geometries on film cooling heat transfer and cooling effectiveness over flat and turbine airfoil surfaces. The basic aim of these proposed geometries is to alter the mainstream to directly contact the test surface. Experiments will be conducted to study the effect of hole embedded in transverse slots and hole exit area. Several variations of geometry will be investigated to assist in future design changes. Also, the numerical prediction using FLUENT was performed to determine the jet mainstream interactions to better understand the interaction between the ejected coolant and the second flow and also the surface film effectiveness distributions.

1.3 Literature Survey

Flat surface film cooling has been known and subjected to research for a long time. Goldstein et al. [8] described the effectiveness characteristics with lateral injection. The effectiveness following single hole of the inclination angle of 15 and 35 deg were

investigated. They reported that the effect of lateral injection is to widen the temperature field and decrease the peak effectiveness for the blowing ratio of 0.5. For the higher blowing ratios, however, the lateral injection increases both the width of the temperature field and the peak film cooling effectiveness. It is only recently that the compound angle injection has received attention again. Mehendale and Han [9] studied the influence of high mainstream turbulence on leading edge film cooling effectiveness and heat transfer coefficient. The orientation angle was 90 deg and the results indicated that the film effectiveness decreases with increasing blowing ratio, but the opposite was true for the heat transfer coefficient.

Honami et al. [10] described the behavior of the injected jet over a flat surface with 90 deg orientation angle holes. They measured streamwise mean velocity, boundary layer temperature fields, and effectiveness distributions using liquid crystal. Their results show that 90 deg orientation angle injection forms an asymmetric structure with a large-scale vortex motion on one side caused by the interaction with the mainstream. In addition, they concluded that the asymmetry is promoted with increased mass flux ratio, resulting in low film cooling effectiveness.

Schmidt et al. [11] measured the film cooling effectiveness using a single row of inclined holes, which injected high-density, cryogenically cooled air. They reported that 60 deg orientation angle injection at a high momentum flux ratio results in higher effectiveness values than streamwise-directed holes. The forward expansion hole with compound angle orientation showed significantly improved effectiveness.

Ekkad et al. [12] provided effectiveness results for two different density ratios. The adopted orientation angles were 0, 45, and 90 deg. Using the transient liquid crystal technique,

they reported that compound angle injection produces higher film effectiveness than simple angle injection for both density ratios. They concluded that the highest effectiveness was obtained at a mass flux ratio of 1.0 for compound angle injection.

Ammari et al. [13] also presented the effect of density ratio on heat transfer coefficient contours downstream of a film hole inclined 35° along the streamwise direction for two different coolant-to-mainstream density ratios of 1.0 and 1.52 for a coolant blowing ratio of $M=1.46$. Differences of 10% occurred when coolant densities were changed. It was observed that lower-density injectant provides higher heat transfer coefficient at the same blowing ratio due to higher momentum.

Bons et al.[14] studied the effect of high stream turbulence on film cooling effectiveness. At high free stream turbulence, heat transfer coefficients with film cooling are not as significantly as the film effectiveness. Film injection by itself produces high heat transfer coefficient enhancement due to high turbulent mixing between jet mainstream.

Several investigators have studied the slot film cooling. Blair [15] investigated the slot film cooling at the entry of a vane cascade endwall. Chyu [16] et al. provided film effectiveness measurements downstream of 2-D slots modeled as gasp leakages, both aligned and misaligned. Bunker [17] investigated film effectiveness for geometries wherein the coolant from discrete holes enters a slot before mixing with the mainstream. Basically, the angled holes are entrenched in a shallow trench. The holes embedded in the trench provided higher film effectiveness distributions than the ones on the plane surface. However, Bunker [17] provided only film effectiveness distributions and also the hole had a compound angle (radial injection) in the lateral direction. Bunker [17] based their study on an earlier study by

Wang et al. [18]. Lu et al.[19] studied the effect of trench exit area and edge shape on film cooling performance using an IR thermography method. Their results showed that the film cooling holes provide higher film effectiveness when embedded in a trench. However, in some geometries when the trench began at the upstream edge of the hole, the film effectiveness diminished. The heat transfer coefficient enhancement due to the embedding was not significantly higher compared to the typical unembedded cylindrical hole. The overall heat flux ratio comparing film cooling with embedded holes to unembedded holes shows that the full trench and downstream trench spacing after the hole exit produce the highest heat flux reduction.

There are some studies in literature that deal with compound angle hole injection. Ligrani et al. [20-21] studied the effects of compound angle injection for a single row and two staggered rows of holes. Ligrani et al. [20-21] provided the first data relating to compound angle hole injection. They indicated that compound angle injection significantly improved film-cooling protection compared to the simple angle hole keeping all other parameters constant. Ligrani et al. also provided temperature profiles of the jet exiting and mixing with the mainstream. Sen et al. [22] and Schmidt et al. [23] compared simple angle injection to compound angle injection and shaped hole injection. They also provided both heat transfer coefficient and film effectiveness results. However, all the above studies provided very sparse data on the heat transfer surface. Ekkad et al. [12, 24] provided detailed surface heat transfer measurements using liquid crystal technique. However, they did not present any flow measurements. It is clear that a comprehensive study on compound angle hole injection is severely lacking in published literature. There is surely a need for a study that will provide a

more comprehensive database to understand compound angle hole film cooling.

Foster and Lampard [25] presented laterally averaged film effectiveness results over a flat plate with 35° , 55° and 90° streamwise angles for long injection tubes spaced 3-diameters apart. They used foreign gas injection to simulate a density ratio of 2.0. They however measured only the film cooling effectiveness at blowing ratios of $M=0.5$ and 1.4. They also did not measure the heat transfer coefficient distributions.

Kohli and Bogard [26] presented adiabatic effectiveness, thermal field, and velocity field measurements for large streamwise angle injection over a flat surface. They compared the results for 55° – 35° injection for $M=0.5$ and 1.0 at a coolant-to-mainstream density ratio of 1.6 and low free-stream turbulence of 0.2%. They indicated that larger streamwise injection angles provide 10% lower film effectiveness than shallow angles at low coolant-to-mainstream momentum heat flux ratios. However, large angle injection provides much lower effectiveness (30% less) than shallow angles at higher momentum flux ratios. Kohli and Bogard [26] also provided thermal field distributions and indicated that 55° holes have considerably greater diffusion of cooling jets near the holes compared to 35° holes.

Similarly, shaped holes have also been a focus of recent research. Makki and Jakubowski [27] used forward-expanded holes and studied its effects on heat transfer. Sen et al. [22] and Schmidt et al. [23] compared simple angle holes and compound angle holes to shaped holes. They found that the shaped hole with forward expansion provided significantly larger lateral film coverage than both the simple and compound angle holes. Gritsch et al. [28-29] presented both discharge coefficients and film cooling effectiveness for three hole geometries. They compared simple angle cylindrical holes, fan shaped holes and laidback fan shaped

holes. From their results, they indicated that laidback fan shaped holes provide higher laterally averaged film cooling effectiveness due to increased laterally spreading of jets. Shaping of holes has infinite possibilities. The above studies have just focused on a few configurations that are fundamental to hole shaping. There are innumerable combinations for hole shapes to finally optimize film hole geometry. In present study the author propose to introduce two new hole shapes, which are both lateral and forward expanded and also attempt a combination of both.

There have been several other studies in the recent years on flared holes. Sen et al. [22] and Gritsch et al. [28-29] both studied some typical flared holes. These holes produced higher film coverage on the surface but are limited in use due to difficulty in fabrication. Flaring of hole increases coverage area on surface. Dittmar et al. [30] presented an assessment of various film hole configurations in a simulated turbine surface experiment. They indicated that shaped holes with compound angle produce the best effective cooling compared to the other geometries. Sargison et al. [31] presented a converging slot-hole geometry similar to the present study and compared it with typical cylindrical holes and flared holes. Since, in the real engine, the presence of a slot violates mechanical integrity, the converging hole-to-slot geometry presents unique advantages. The hole exit is a slot but the inlets are individual holes. This produces almost similar results as the slot configurations. However, Sargison et al. [31] provided only visualization results and no surface heat transfer data for the proposed geometry.

Waye and Bogard [32] studied the presence of trenched holes on the suction side of a vane. The narrow trench configuration provided the best adiabatic effectiveness performance.

In fact, the increasing adiabatic effectiveness levels with increasing blowing ratio indicated that the trench suppressed coolant jet separation. This result is consistent with Bunker [17] and Lu et al [19].

Fric and Campbell [33] investigated a so-called cratered film hole in which the circular hole exits into a shallow right circular surface cup or depression. This was the first study on this concept. They indicated that flow actually impinges on the edge of this depression causing it to deflect and fill the depression prior to issuing onto the external surface. They also indicated that flat plate tests showed about a 50% improved effectiveness over round holes at $M=1$ and a greater increase as blowing ratio increases. Effectiveness improvement of 100% and more was observed at $M=5$. A suggested application in [33] is the full coverage film cooling of combustor liners. However, they did not study the crater geometry and did not provide any understanding on the heat transfer coefficient enhancement associated with it.

Hole supply geometry typically indicates how the coolant enters the film hole and what happens to the coolant within the film hole. Burd et al. [34] made flow measurement on a flat surface with different hole lengths feeding the film coolant. Leylek and Zerkle [35] indicated that short holes are subjected to a “jetting” effect.

Numerical prediction of flat surface film cooling also has been studied. Leylek and Zerkle [35] predicted the discrete-jet film cooling with the $k - \varepsilon$ turbulence model. Predictions explain important aspects of film cooling, such as the development of complex flow within the film hole and the known counterrotating vortex structure in the ejected flow in the cross-stream. Fig 1.8 shows a typical vortex structure in the ejected flow and cross-flow interaction. The strength of the secondary flow is directly related to the blowing ratio. The effect of the

interacting vortices is to bring the individual flow cores close together and to lift the coolant film away from the surface. This lift of coolant away from the cooled surface weakens the film protection performance. Fig 1.9 shows the details of the velocity vector in the film hole. Flow separation is shown in the film hole. This figure clearly shows that the flow is not fully developed in the film hole.

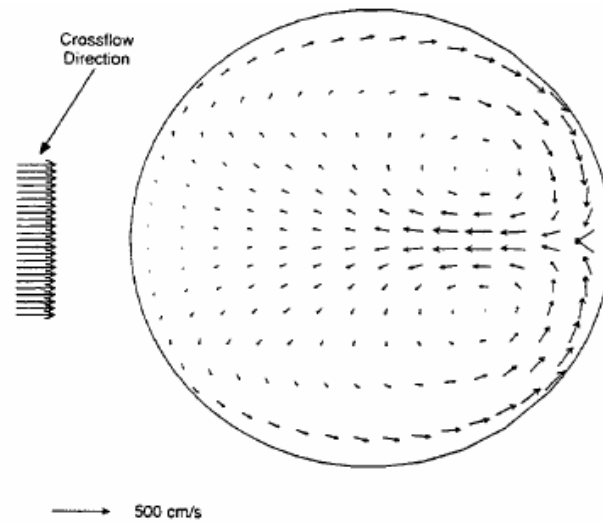


Fig 1.8 Velocity vectors on a plane between hole inlet and exit [35]

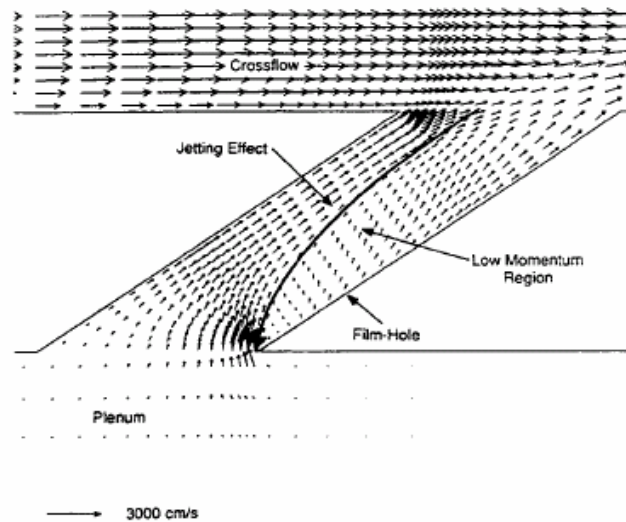


Fig 1.9 Computed velocity vectors inside a film hole [35]

Walters and Leylek [36] and Brittingham and Leylek [37] did a detailed analysis of film-cooling flow physics. They used the RAMPANT software package from Fluent, Inc. A second-order discretization scheme was used with standard $k - \varepsilon$ model with wall functions. It is noted that the downstream behavior is highly sensitive to the near-field interaction that serves to locate the coolant at some given position away from the wall.

Neelakantan and Crawford [38] predicted film-cooling effectiveness due to streamwise and compound angle injection on a flat surface. They found that a one-equation turbulence model performs better than a two-equation turbulence model in their film cooling predictions with the TEXSTAN code. They found that the entrainment fraction correlates well with the momentum flux ratio. For any given geometry, the entrainment fractions for a greater hole spacing are seen to be greater. This indicates that the model correctly captures the increasing dilution of the film coolant with increased hole spacing. They showed that drag coefficients are parallel to each other for different hole spacings for the inline round hole. But a similar pattern could not be seen in compound-angle holes. This can be explained by the fact that the one-equation turbulence model does not capture the additional mixing resulting from the compound angles.

Berhe and Patanka [39] did a study of discrete-hole film cooling using a standard $k - \varepsilon$ model. They compares the prediction of turbulence intensity with experimental observation. Among other predictions, Bohn et al. [40] and Fougères et al. [41] reported three-dimensional conjugate flow and heat-transfer analysis of a film-cooled guide vane. Fukuyama et al. [42] predicted vane surface film-cooling effectiveness. Hyams and Leylek [43] predicted details of film cooling physics. McGovern and Leylek [44] did a film-cooling analysis with compound

angle injection. Giebert et al. [45] predicted film cooling from holes with expanded exits.

Lin et al. [46] computed the leading edge film cooling with injection through rows of compound angle holes. They used a low-Reynolds number $k - \omega$ turbulence model in a cell-centered finite volume code called CFL3D. He et al. [47] computed film cooling at the leading edge region. Irmisch [48] simulated film-cooling aerodynamics with unstructured mesh. In a series of publications Garg and Gaugler [49-53] predicted different aspects of film cooling. Martin and Thole [54] did a benchmark prediction on leading edge film cooling, and Walters et al. [55] predicted jet in cross-flow.

CHAPTER 2 EXPERIMENTAL APPARATUS

2.1 Compressor and Coolant Supply

An Atlas Copco GR110 compressor equipped with a Pneumatech Inc. air dryer is used as the source of coolant air supply in the present study. The compressor supplies air to a large tank capable of holding 7.57-m^3 high pressure air. After exiting the compressor, the pressurized air is sent to a desiccant dryer system to remove any moisture in the air. Fig 2.1 shows the Atlas Copco GR 110 compressor.



Fig 2.1 Atlas Copco GR 110 two-stage compressor

After exiting the dryer, compressed air is stored in the big tank which is filled up with compressed air first and then the tank is emptied during a short duration. This storage tank reduces the line pressure fluctuations at the test rig from periodic cycling of the compressor.

2.2 Inlet Flow Characterization

The air is delivered to the test section through a 10.16-cm diameter pipe. Air first passes through a B&K ball valve. The ball valve allows the entire wind tunnel to be isolated from the supply tank. Downstream of the valve is a pneumatically actuated BSI control valve, which is shown in Fig 2.2.



Fig 2.2 Pneumatic valve

An Ashcroft controller regulates the pneumatic valve, which allows one to set the valve and maintain a specified valve opening and/or operating pressure in the test section. An acrylic panel-mount flow meter is connected in the flow line and measures the flow rate of coolant supply. Coolant is supplied to the plenum via a one inch diameter flexible braided PVC hose.

2.3 Description of Temperature Measurements

Temperature measurements were taken with type $-k$ thermocouples. The thermocouples were connected to an Omega instruNET analog-to-digital conditioning box that uses an electronic reference junction. The signals from the conditioning box run through an Omega

instruNET PCI interface to a Pentium II computer running InstruNET software to simultaneously record up to 8 thermocouples. 40 gage type $-k$ thermocouples were used to measure air temperatures and read surface temperatures of the test surface.

2.4 Experimental Test Rig I

Fig 2.3 shows the comprehensive view of the experimental test rig I. The test setup consists of a blower connected to a 12 kW heater that heats the air to a free-stream temperature of 58°C . The air is then routed through a section with baffles to ensure adequate mixing of the hot air to obtain a uniform temperature across the cross-section. The presence of the baffles is inadvertently contributed to the high free-stream turbulence in the mainstream. The thermocouple was traversed across the test section to check for uniformity of the inlet thermal field.

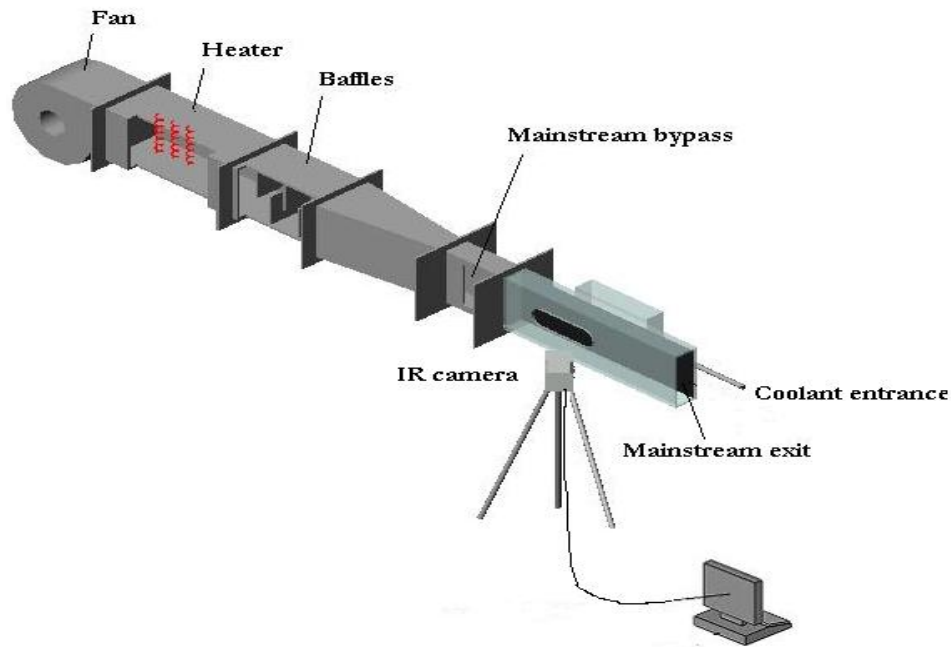


Fig 2.3 Schematic of the experimental test rig I

The air is then passed through a 2-D 4:1 converging nozzle. In order to allow the air to heat up to the desired temperature, the air exiting the nozzle is initially routed out away from the test section by using a by-pass gate. The temperature of the air is continuously monitored at the exit of the gate and when the desired temperature is reached, the gate is fully opened. The hot air is effectively sealed such that no air leaks into the test section and affects the initial temperature condition of the test surface. The open gate allows the flow into a test section made of Plexiglass and has a cross-section of 30-cm width and 9-cm height. The components upstream of the test section are covered with insulation to minimize the heating time. The bottom plate of the test section is made of 2.22-cm thick plexiglass. This plate has a replaceable section about 25.4 cm downstream of the test section inlet. This replaceable section can be interchanged to change the hole geometry. A trip is placed at the entrance to the test section to produce a fully turbulent boundary layer over the test plate. The film holes are located 30.5 cm downstream of the trip. The coolant air is provided from a separate compressed air supply and is metered for the flow measurement. Air is then passed through a heater to heat up the air.

Prior to the experiment, the coolant air is routed away from the test section using a three-way diverter valve. When the valve is flipped, the coolant enters a plenum below the test plate and is then ejected through the film cooling holes into the test section. Thermocouples are mounted upstream of the hole row to measure the mainstream temperature and inside one of the holes to measure the coolant exit temperature. The coolant temperature is measured inside only one hole because pre-testing showed that all film holes had the same flow rate and temperature conditions.

2.5 Experimental Test Rig II

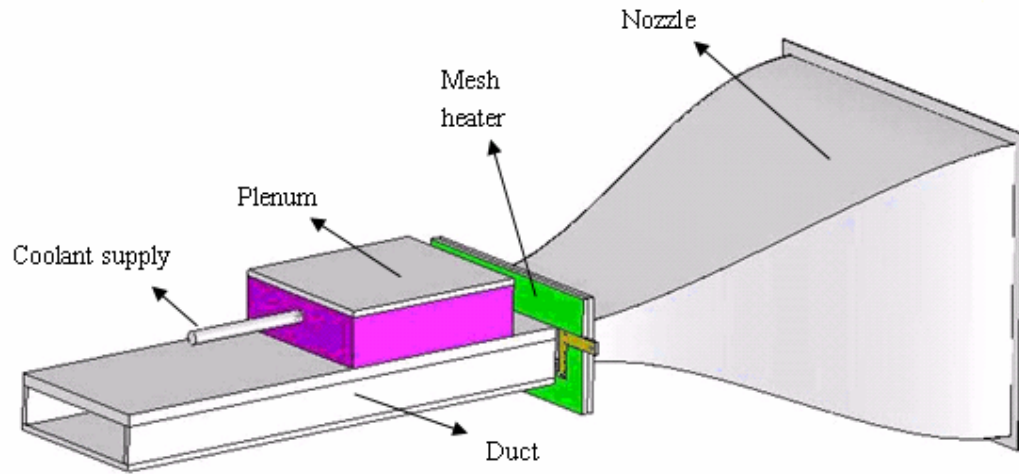


Fig 2.4 Schematic of the experimental test rig II

Fig 2.4 shows the layout of the test rig used in trench and cratered film cooling. The test rig was designed to provide improved heater response by reducing the thermal capacitance of the heater. A fast response mesh heater was placed at the exit of the nozzle.

The mesh heater concept developed by Gillespie et al. [56] has the capability of providing an instantaneous temperature step to the mainstream air. The mesh used to build the heater was 304 Stainless Steel woven wire mesh with a 20 micron wire diameter. The free area of the mesh was 33.6% which helped in reducing the free stream turbulence before the test section. Fig 2.5 shows the layout of the mesh heater. The low electrical resistance of the dense wire mesh necessitated the use of a low voltage, high amperage power source. Power was supplied to the heater using a Miller Dialarc 250 AC/DC welding machine. It was found that when the heater was turned on, the steady state of temperature of the mesh was achieved immediately. The test section is made of ABS material and has a cross-section of the same size as test rig I. The top plate of the test section is made of 3-cm thick ABS.

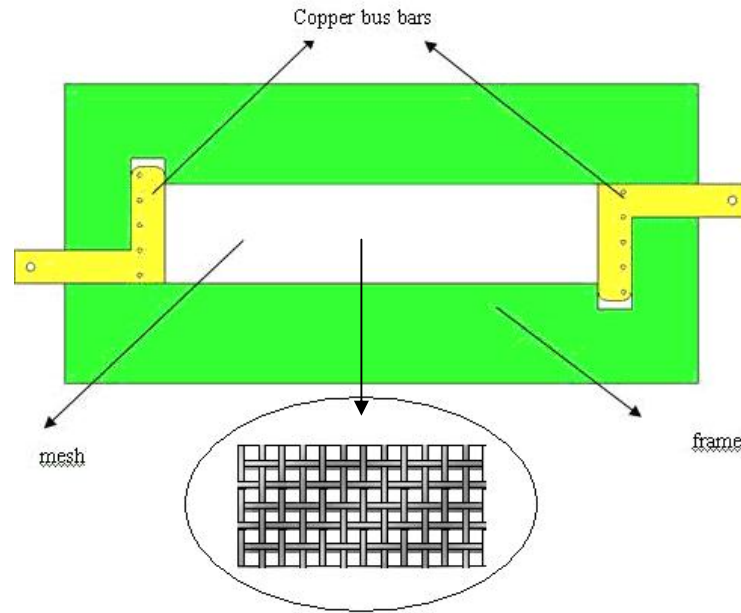


Fig 2.5 Mesh Heater

Fig 2.6 shows the thermal response of the mesh heater measured with a 40 gage type $-k$ thermocouple. And we can see that when the heater was turned on, the steady state of temperature of the mesh was achieved immediately and it proves that the response of the heater agrees with a theoretical estimation of the response based on the capacitance of the wires.

The infrared thermography system used in this study is a FLIR ThermaCAM SC 500. The camera offers a high quality, non-intrusive method for obtaining thermal data through a commercially available software package for data analysis. The camera has a range of -40°C to 500°C . The ThermaCAM 500 utilizes uncooled microbolometer longwave detectors to sense IR radiation. This makes them ideal for general thermal measurement applications. The SC 500 system features real time 14-bit digital output, a 320×240 pixel detector, precision temperature measurement, internal data storage, and outstanding thermal sensitivity. The camera has following specifications: the field of view and minimum focus

distance are $24^\circ \times 18^\circ$ and 0.5m respectively, the spectral range is 7.5 to 13 μm and accuracy is $\pm 2\%$ or 2°C

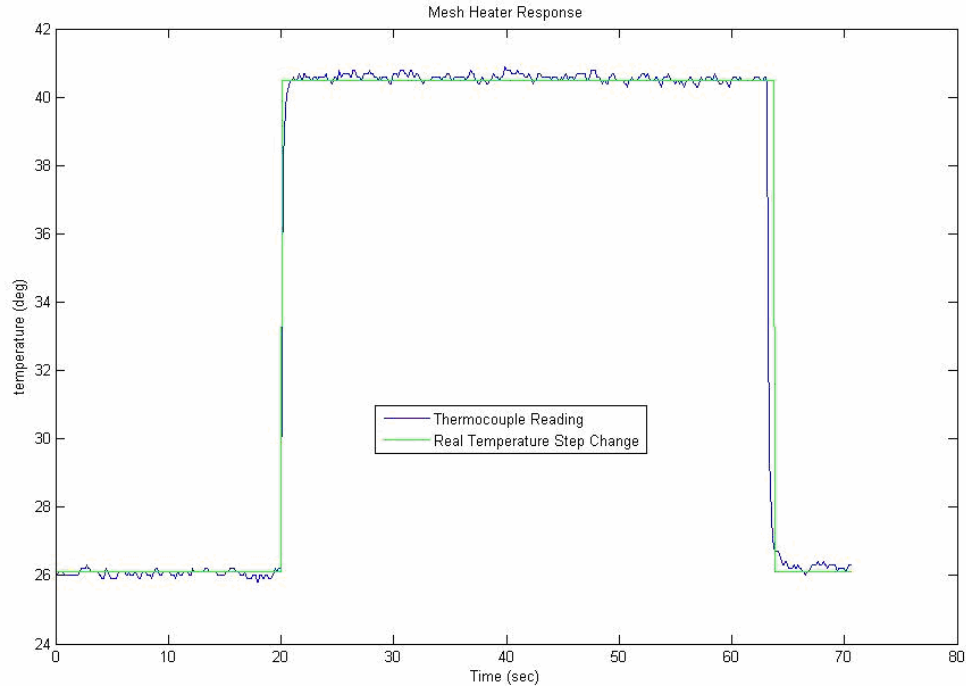


Fig 2.6 Thermal Response of Mesh Heater

. The test surface is viewed through a stretched polyurethane sheet. The sheet is thin enough to cause very little effect on IR transmissivity. The system calibration is conducted using a thermocouple placed on the black painted test surface to act as the benchmark. This thermocouple is used to estimate the emissivity of the test surface. The emissivity of the black painted test when viewed without the window is 0.96. The calibrated transmissivity for the polyurethane sheet was 0.75.

2.6 Film Cooling Configurations

A total of fourteen test geometries, three and four blowing ratios each for test rig I and II, were tested. Data was collected on the middle of two holes in the streamwise direction.

2.6.1 Baseline

There are two baseline test plates with different hole inclined angle used in this study.

The figure shows the test plate with 30° and 35° inclined angle respectively.

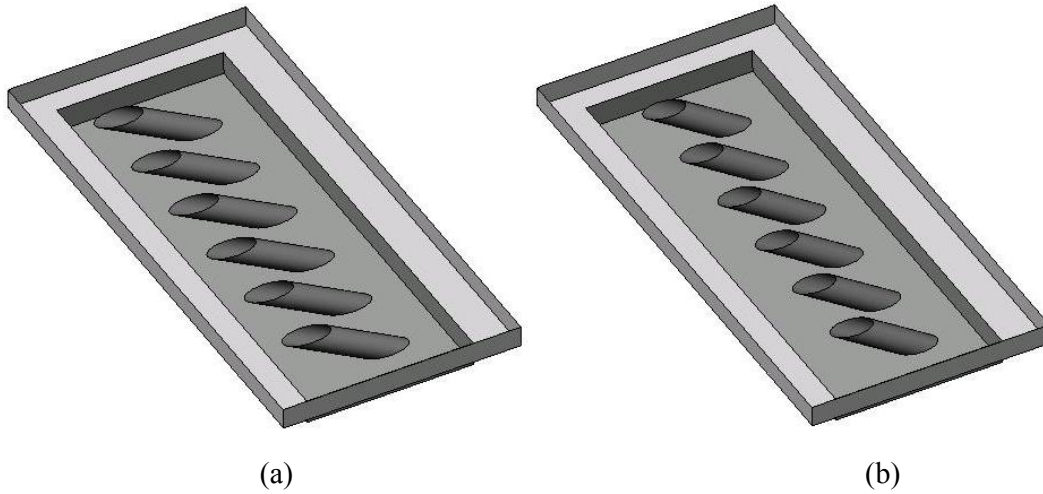


Fig 2.7 Test plate with cylindrical holes inclined at (a) 30° and (b) 35°

Fig 2.7 shows the baseline test plate with cylindrical hole geometry used in test rig I and II. There are six holes of 1.27-cm diameter in each row inclined at (a) 30° and (b) 35° along the flow direction. The hole spacing between adjacent holes is 3-hole diameters for all the holes.

2.6.2 Crescent and Converging Slot

Fig 2.8 shows the solid model for the test plate with (a) crescent and (b) converging slot exit hole geometry. The film hole is inclined at 35° angle and there is 3-hole diameters hole spacing for all holes.

Fig 2.9(a) shows the crescent shaped exit. The air enters through a cylindrical hole of diameter 1.27-cm and exits through a crescent shaped that increases area of flow by a ratio of 2.1:1 compared to the inlet. The crescent shape reduces the possibility of hot gas ingestion on

the upstream side of the hole due to the front curvature. Fig 2.9(b) shows the converging slot exit. The air enters through a cylindrical hole of diameter 1.27-cm and exits through a 2-D slot that stretched across except for a small region between the slots. The coolant-to-mainstream blowing ratios are based on the hole inlet area which is the same for all the cases studied.

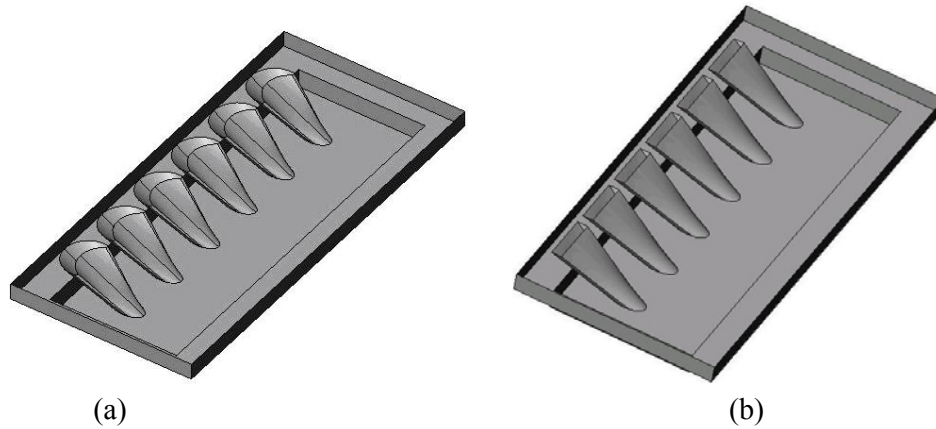


Fig 2.8 Solid model for (a) crescent and (b) converging slot

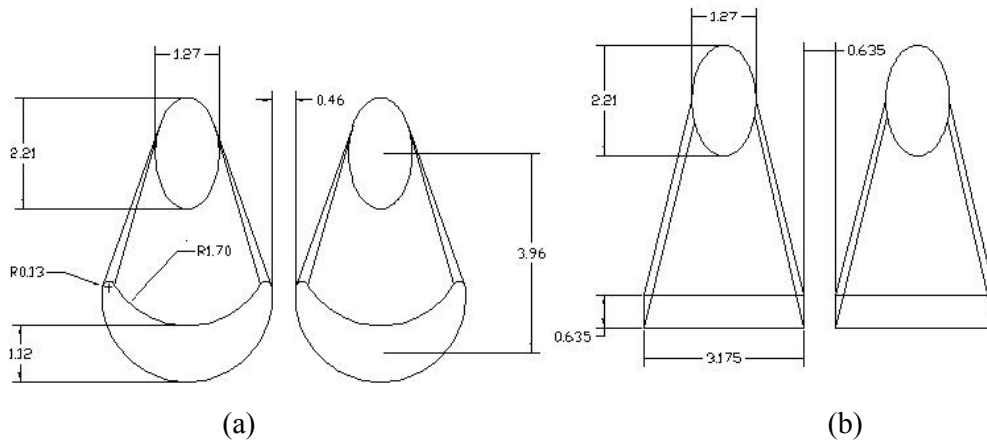


Fig 2.9 Geometries for (a) crescent and (b) converging slot

2.6.3 Trench Film Cooling

Fig 2.10 shows the solid model for trench film test plate which tests under test rig II. The hole is inclined at 30° along the flow direction and the hole spacing between adjacent holes is 3-hole diameter for all cases.

Table 1 lists the film hole geometry parameters and Fig 2.11 shows the trench film case.

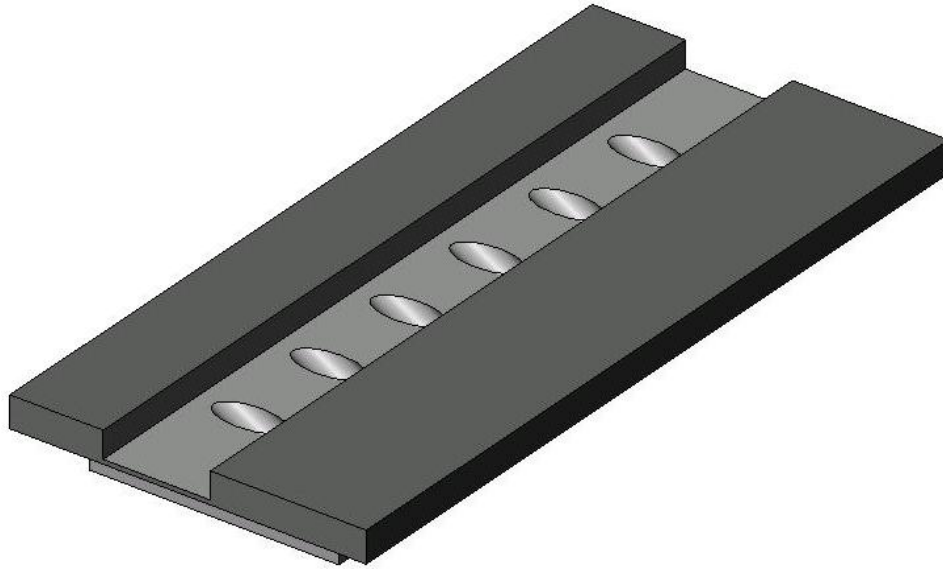


Fig 2.10 Trench film hole configuration

Table 1 Trench film hole and flow geometry

| | Width | Depth |
|--------|-------|-------|
| Case 1 | 2D | 0.5D |
| Case 2 | 3D | 0.5D |
| Case 3 | 2D | 0.75D |
| Case 4 | 3D | 0.75D |
| Case 5 | 2D | 1.0D |
| Case 6 | 3D | 1.0D |

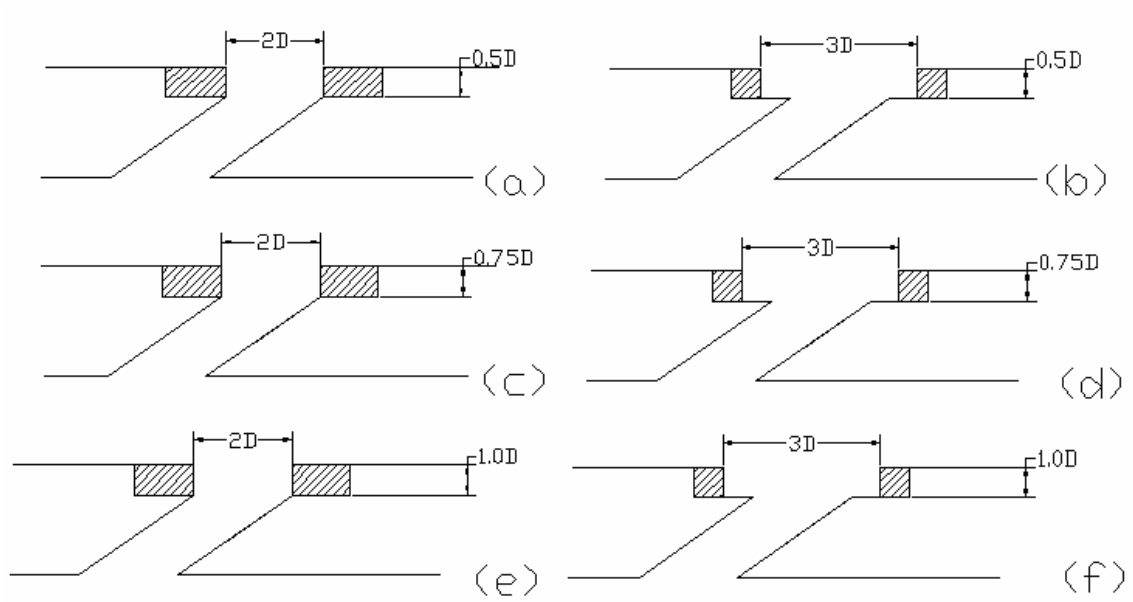


Fig 2.11 Trench cases with different hole configuration studied

2.6.4 Cratered Film Cooling

Fig 2.12 shows the cratered case we studied here. All the crater holes have the same crater depth of 0.5 hole diameter.

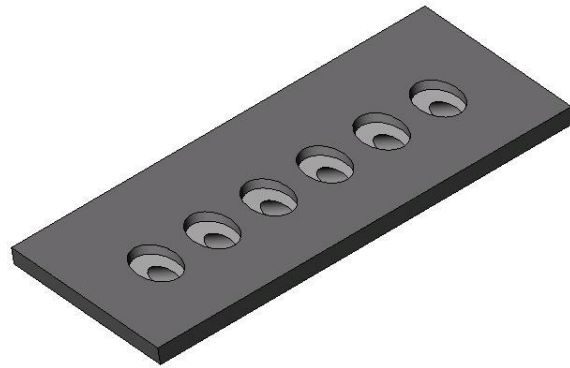


Fig 2.12 Cratered film hole configuration

The layout of this configuration with the labeled geometrical parameters is pictured in Fig 2.13(a-c). Case 7 is denoted as the cratered case where the hole is offset in the crater such that the crater and hole upstream edge match. There is a crater region downstream of the hole

which is one hole diameter long. The width of the crater is 2-hole diameters wide.

Case 8 is the concentric geometry where the hole and the crater center are matched. The crater is all around the hole exit.

Case 9 is when the crater is truly circular and both the upstream and downstream edges of the holes and craters match. There is crater area only around the sides of the hole.

The baseline and three crater geometries are clearly indicative of some of the masking strategies for the TBC coated surfaces.

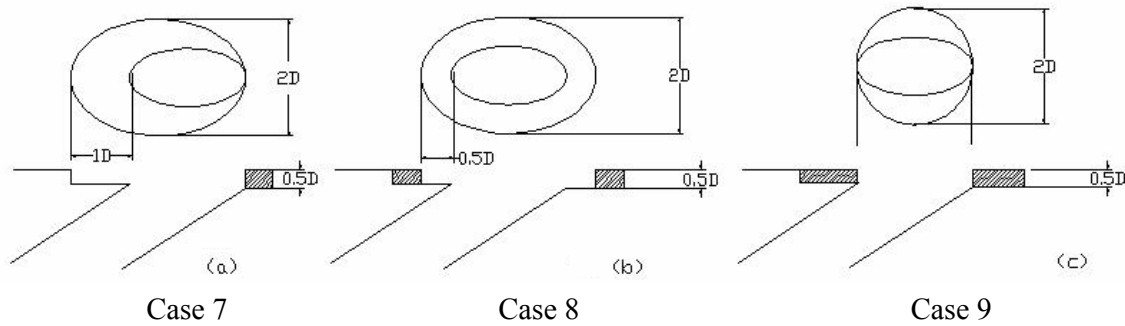


Fig 2.13 Cratered cases with different hole configuration studied

2.6.5 Shaped Diffuser Film Cooling

The final geometry tested was shaped diffuser film hole. This design offers high exit area for coolant jet therefore reducing the hole exit velocity. Fig 2.14 shows the shaped hole configuration.

For the shaped diffuser hole, the hole inclination angle is set as 30 degree and the length of the cylindrical inlet portion l is twice the diameter of the hole. The hole compound angle is set as 15 degree.

Fig 2.15 gives a side view section from blade surface of the configuration.

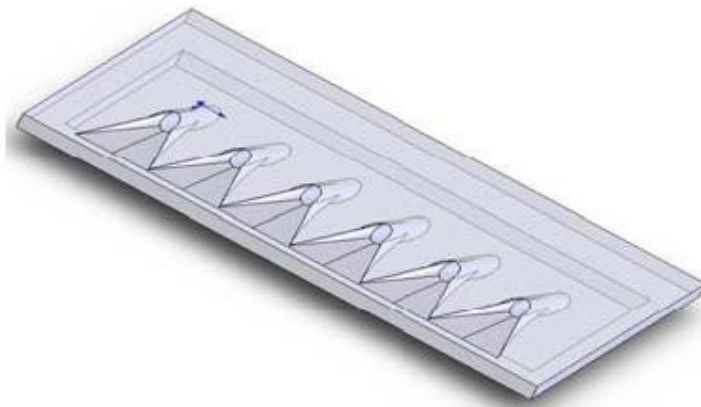


Fig 2.14 Shaped diffuser film hole configuration

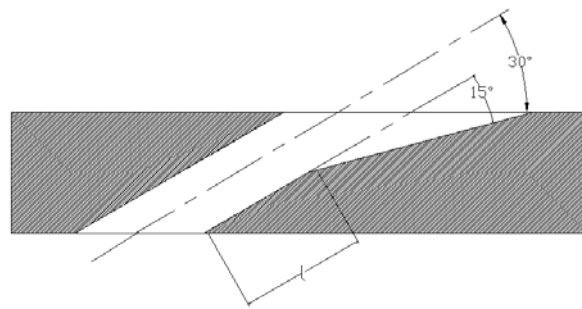


Fig 2.15 Side view section from blade surface for shaped diffuser hole

CHAPTER 3 EXPERIMENTAL METHODOLOGY

The main goals of this study are to determine the heat transfer coefficients and film effectiveness under different hole geometries. The chapter will present the heat transfer model, the boundary conditions and assumptions behind the model.

3.1 Transient Heat Transfer Theory

Consider the transient flow over a flat plate as shown in Fig 3.1. In this case, the test plate is initially at a uniform temperature, T_i , and the convective boundary condition is suddenly applied on the plate at time, $t > 0$. Now, if we assume that heat is conducted only in x-direction and perform an energy balance on the plate, we get

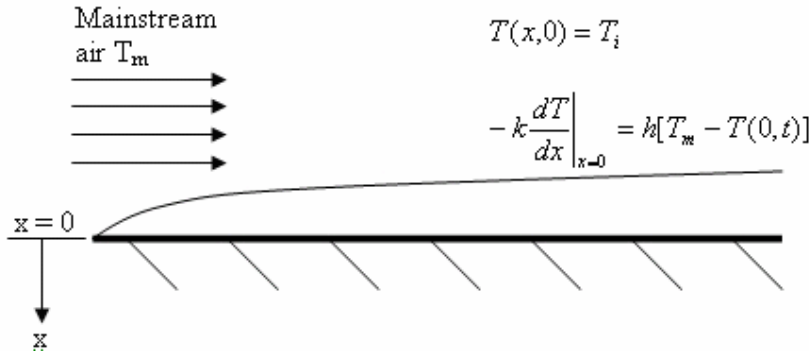


Fig 3.1 Flow over a flat plate

The 1-D transient conduction equation

$$\frac{\partial^2 T}{\partial x^2} = \frac{1}{\alpha} \frac{\partial T}{\partial t} \quad (1)$$

The boundary conditions (BC) is

$$\text{At } x = 0, \quad -k \frac{\partial T}{\partial x} \Big|_{x=0} = h[T_m - T(0,t)]$$

The initial condition (IC) is

$$\text{At } t = 0, \quad T = T_i$$

Equation (1) is a second order partial differential equation; therefore one more BC is required to solve the equation.

The variables used in the above equations are as follows:

T_w = The prescribed wall temperature

T_i = Initial temperature of the test surface

T_m = Mainstream temperature

k = Thermal conductivity of test surface

α = Thermal diffusivity of test surface

t = Time when the IR image was taken after the test was initiated.

h = Heat transfer coefficient

The main approximation often applied to analyze transient conduction shown in Fig 3.1 is the semi-infinite approximation. Semi-infinite solids can be visualized as very thick walls with one side exposed to some fluid. The other side, since the wall is very thick, remains unaffected by the fluid temperature. This is illustrated in Fig 3.2. The semi-infinite solid assumption can also be applied to any situation where the thermal wave applied to one end does not reach the other end during the time frame of interest or test duration.

The semi-infinite solid assumptions give an additional BC, which is expressed as: at $x = \infty$, $T = T_i$ for all t

The semi-infinite solid assumptions are valid for our case for two reasons. The test duration is small, usually less than 40 seconds. Secondly, the test surface is made of Plexiglas or ABS that has low thermal conductivity, low thermal diffusivity and low lateral conduction. Combinations of the above facts make sure that heat is conducted only in the x-direction and

it does not reach the bottom of the test surface.

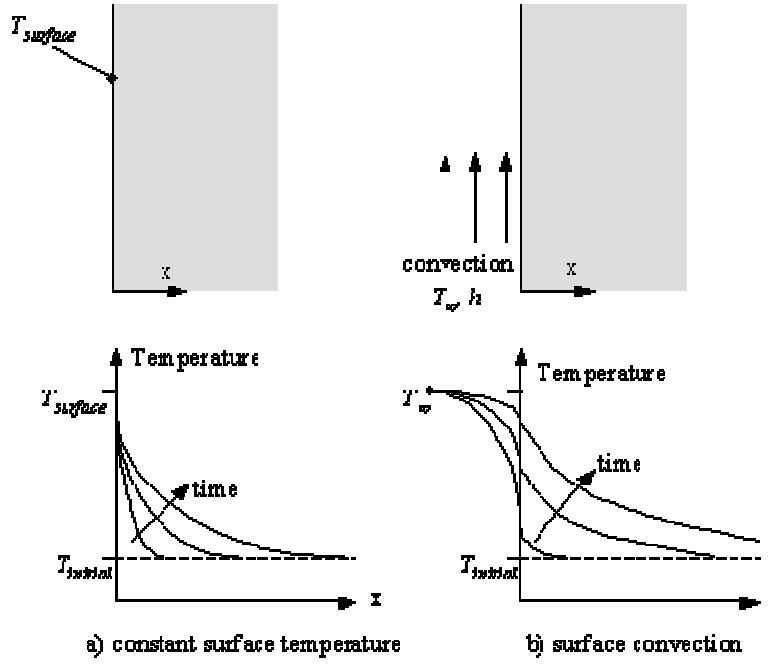


Fig 3.2 Semi-infinite solid assumption [57]

Solving Equation (1) with the prescribed initial and boundary conditions, we can obtain the non-dimensional temperature at the convective boundary surface [58]:

$$\frac{T_w - T_i}{T_m - T_i} = 1 - \left[\exp\left(\frac{h^2 \alpha t}{k^2}\right) \right] \left[\operatorname{erfc}\left(\frac{h\sqrt{\alpha t}}{k}\right) \right] \quad (2)$$

For infrared (IR) technique, T_w is the wall temperature that we measure with IR camera. The initial temperature (T_i) of the test surface and the mainstream temperature (T_m) can be measured before and during test respectively. The properties of test surface such as thermal conductivity (k) and thermal diffusivity (α) are also known. For infrared technique, t is the time when the IR image was taken after the test was initiated. So, basically, except heat transfer coefficient (h), all the variables in the above equation are either known or measured.

Unlike the heat transfer coefficient measurement for flow over a flat surface, film cooling

over a surface is a three-temperature problem (Fig 3.3). The three temperatures involved are the mainstream temperature (T_m), the coolant temperature (T_c) and the wall temperature (T_w). In film-cooling situations, the mainstream temperature in Equation (2) must be replaced by a film temperature (T_f), which is a mixed temperature between the mainstream and coolant temperatures. The film temperature depends on the local mixing between the two streams. In this case, the heat flux into the surface is

$$q''_f = h_f(T_f - T_w)$$

In the event, the surface is adiabatic, then the film temperature will be equal to the adiabatic wall temperature. There are two unknowns in the above equation, the heat transfer coefficient (h_f) and film temperature (T_f).

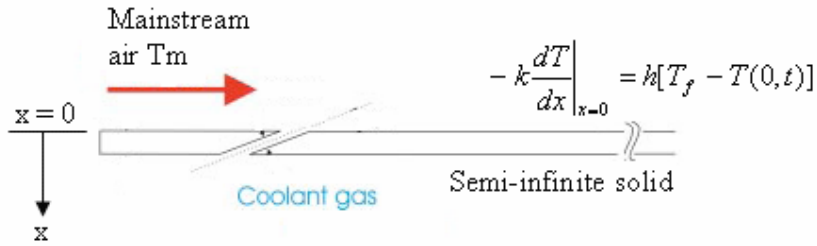


Fig 3.3 Film cooling over a flat plate

To find the unknown T_f in terms of known quantities T_m and T_c , a non-dimensional temperature is defined as the film-cooling effectiveness (η).

$$\eta = \frac{T_f - T_m}{T_c - T_m}$$

Or
$$T_f = \eta(T_c - T_m) + T_m = \eta T_c + (1 - \eta)T_m \quad (3)$$

Note that the highest and lowest value of the film-cooling effectiveness can be 1 and 0 respectively. When the film temperature (T_f) is same as the mainstream temperature (T_m), film-cooling effectiveness (η) equals the value of 0 and when the film temperature (T_f) is

same as the coolant temperature (T_c), film-cooling effectiveness (η) equals the value of 1.

Replacing T_m in Equation (2) by T_f from Equation (3), the following equation in terms of two unknowns, h and η is obtained.

$$T_w - T_i = \left[1 - \exp\left(\frac{h^2 \alpha t}{k^2}\right) \operatorname{erfc}\left(\frac{h\sqrt{\alpha t}}{k}\right) \right] \times [\eta T_c + (1 - \eta)T_m - T_i] \quad (4)$$

The above equation assumes a step change in mainstream temperature, which is not true in the transient experiment. There are two methods presented here to represent the response of the changing mainstream temperature. In the first part of the study a simplified method applying the Duhamel's superposition theorem was used. In an effort to increase accuracy, a more detailed approach involving the regression analysis of an overconstrained system of equations was developed for trench and crater case.

3.2 Simplified Method Using Duhamel's Superposition

A single temperature method was used in the study on the crescent and converging slot hole exit. In the actual experiment the heater response was not adequate fast to assume a step change in mainstream gas temperature. The heater's internal capacitance caused the temperature rise to follow somewhat of an exponential response. This response was captured by a thermocouple located at the entrance to the test section. Fig 3.4 shows a typical temperature response and the discretization of the data.

With this discretized data, the mainstream temperature rise is simulated as a superposed set of elemental steps using the Duhamel's superposition theorem. Metzger and Larson [59] showed that the wall temperature response can be represented as

$$T_w - T_i = \sum_{j=1}^N U(t - \tau_j) \Delta T_m \quad (5)$$

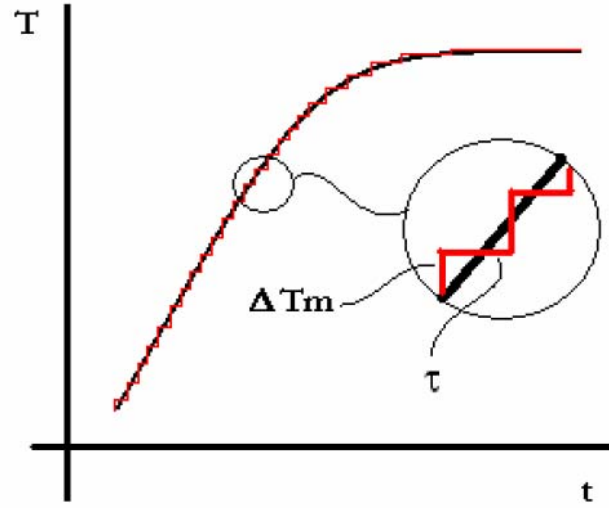


Fig 3.4 Discretized temperature response

where

$$U(t - \tau_j) = 1 - \exp\left[\frac{h^2}{k^2} \alpha(t - \tau_j)\right] \operatorname{erfc}\left[\frac{h}{k} \sqrt{\alpha(t - \tau_j)}\right] \quad (6)$$

The superposition is imposed by measuring the mainstream temperature (T_m) variation with time (τ) during the transient test. The step changes are then input into the Equation (4) to obtain the unknown heat transfer coefficient and film effectiveness.

To obtain both the heat transfer coefficient (h) and film-cooling effectiveness (η), it is necessary to obtain two equations with two unknowns (h and η) and solve for h and η . Vedula and Metzger [60] presented a method wherein two times can be obtained from a single transient test at every location. If during the transient, the test surface indicates one surface temperature (T_{w1}) at time, t_1 and another surface temperature (T_{w2}) at time, t_2 . Basically, two events are measured at every point leading to the solution of both h and T_f from the simultaneous solution of the two equations:

$$\begin{aligned}\frac{T_{w1} - T_i}{T_f - T_i} &= 1 - \exp\left(\frac{h^2 \alpha t_1}{k^2}\right) \operatorname{erfc}\left(\frac{h\sqrt{\alpha t_1}}{k}\right) \\ \frac{T_{w2} - T_i}{T_f - T_i} &= 1 - \exp\left(\frac{h^2 \alpha t_2}{k^2}\right) \operatorname{erfc}\left(\frac{h\sqrt{\alpha t_2}}{k}\right)\end{aligned}\quad (7)$$

Ekkad et al. [61] and Du et al. [62] used a transient cooling technique to eliminate the use of superposition integration for the mainstream and coolant temperatures but they still needed two different tests to obtain both heat transfer coefficient and film effectiveness at every point on the surface

In the present study, a transient infrared thermography technique described by Ekkad [63] will be used to obtain both heat transfer coefficient and film effectiveness from a single test. In this test, two images with surface temperature distributions are captured at two different times during the transient test. The two temperatures at two different instants are used in the two equations (Equation 7) shown above to calculate both heat transfer coefficient and film temperature. The Equation 4 accounts for the exponential rise in mainstream gas temperature and was used to compute film effectiveness and heat transfer coefficients for crescent and converging slot cases.

A new term called net heat flux ratio is used to measure the combined effect of film effectiveness and heat transfer coefficient. Net heat flux ratio is the ratio of heat flux to the surface with film injection to the heat flux without film injection. If the value is greater than 1.0, then the presence of film cooling is detrimental. If the value is less than 1.0 that means surface is being benefited by film cooling. Net heat flux ratio is expressed as

$$\frac{q''}{q''_0} = \frac{h}{h_0} \left(1 - \frac{\eta}{\phi}\right)$$

Where,

h = heat transfer coefficient with film injection

h_0 = heat transfer coefficient without holes

η = film cooling effectiveness

ϕ = overall cooling effectiveness, $(T_f - T_c)/(T_m - T_c)$

q'' = heat flux with film injection

q''_0 = heat flux without film holes

The term ϕ ranges between 0.5 and 0.7 for typical blade cooling systems. In this study, a typical value of 0.6 is chosen.

Another term called blowing ratio, M is used to measure amount of coolant being injected in comparison to mainstream flow. It is defined as the ratio of the mass flux of the coolant to the mass flux of the mainstream or $M = \frac{\rho_c U_c}{\rho_m U_m}$

where,

ρ = density

and U = Velocity

The subscript c stands for coolant and m for mainstream. The higher the blowing ratio, the more is the coolant mass flux and blowing ratio, $M=0$ represents no injection case.

3.3 Regression Analysis Method

The trench and cratered hole cases used a slightly different technique to further reduce experimental error. The methodology used previously relies on the summation of small temperature and time steps associated with the transient nature of the mainstream temperature

rise. Although this method is commonly accepted, the uncertainty of the thermocouple reading of the mainstream temperature can lead to overall uncertainty in the experiment of around 8%. In an effort to reduce this uncertainty, the mesh heater was designed to provide a true step change in mainstream temperature at the start of a test. Due to the extremely fast response of the heater, the Duhamel's superposition method previously used to account for slow heater responses was not needed for this part. The true step change in mainstream temperature allows the use of the original solution to the transient heating of the wall, Equation 4. This decreases uncertainty by eliminating the reliance on recorded thermal response of the heaters.

For the transient experiment considered in this part, the parameters to be determined are h and η . The determination of h and η is done using a one-dimensional non-linear least-square regression. It is possible to obtain for any position on the test surface the time t_{IR} at which a specific temperature T_{IR} appears during a transient experiment as:

$$T_w(h, \eta)|_{t=t_{IR}} = T_{IR} \quad (8)$$

The values of T_{IR} for one specific transient experiment vary locally on the surface as they depend on the heat transfer coefficient h and film cooling effectiveness η . For each experiment i , Equation (8) can be written as :

$$T_w(h, \eta)|_{t=t_{IRi}} - T_{IRi} = 0 \quad \forall i = 1, \dots, N \quad (9)$$

For $N \geq 2$, the optimal solution for the two unknowns parameters which fits best these N equations is then given by the minimum of the following error function:

$$\sum_{i=1}^N [T_w(h, \eta)|_{t=t_{IRi}} - T_{IRi}]^2 = e(h, \eta) \geq 0 \quad (10)$$

Plug Equation (4) into the above equation and the conduction equation was solved for all

points of data for each pixel. This resulted in a residual error for each time-temperature data pair. The residual error was minimized in a least squares sense solving for the heat transfer coefficient and film effectiveness that best fit all data.

The regression method reduces the random IR camera read errors and also relaxes the dependence on the initial temperature of the test surface on the results. Fig 3.5 shows a typical time-temperature response of a single pixel and the best curve fit solution of the data.

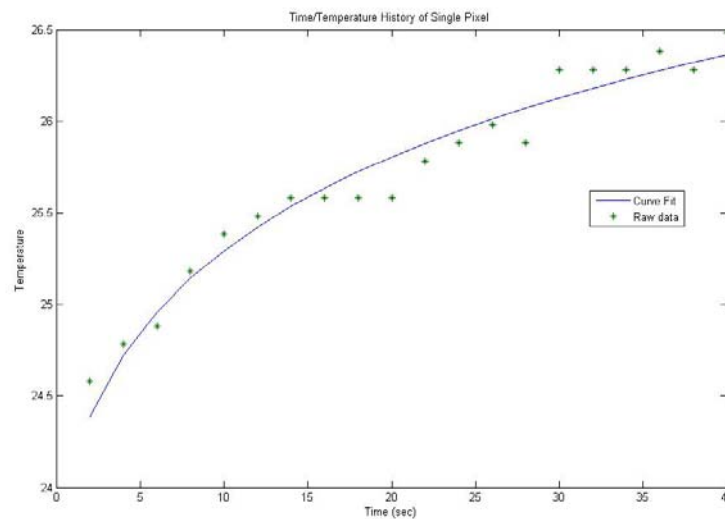


Fig 3.5 Curve Fit of Raw Data from a Single Pixel

3.4 Infrared Thermography Technology

We know that the objects at a temperature above zero can emit thermal radiation in all wavelengths into space. Thermal radiation is defined as electromagnetic radiation that the energy is emitted by an object due to the object's temperature.

Thermography is the use of an infrared imaging and measurement camera to "see" and "measure" thermal energy emitted from an object. Thermal, or infrared radiation, is electromagnetic radiation that is not visible because its wavelength is longer than that of

visible light. Unlike visible light, in the infrared world, everything with a temperature above zero emits heat. It is observed that the higher the object's temperature, the greater the IR radiation emitted. Infrared allows us to see what our eyes cannot. Infrared thermography cameras produce images of invisible infrared or "heat" radiation and provide precise non-contact temperature measurement capabilities

When viewing an object, the camera receives radiation not only from the object itself, but also collects radiation from the surroundings reflected via the object surface. Both these radiation contributions become attenuated to some extent by the atmosphere in the measurement path. Also, radiation contribution comes from the atmosphere itself. The Fig 3.6 represents the description of the measurement situation in real conditions. What has been neglected could for instance be sun light scattering in the atmosphere or stray radiation from intense radiation sources outside the field of view. Fortunately, in most cases they are small enough to be neglected.

Assume that the received radiation power W from a blackbody at source temperature T_s generates a camera output signal U_s which is proportional to the power input (power linear camera). We can write the following equation:

$$U_s = C \times W(T_s) \text{ or } U_s = CW_s$$

where C is constant. Should the source be a graybody with emittance ε , the received radiation would be εW_s .

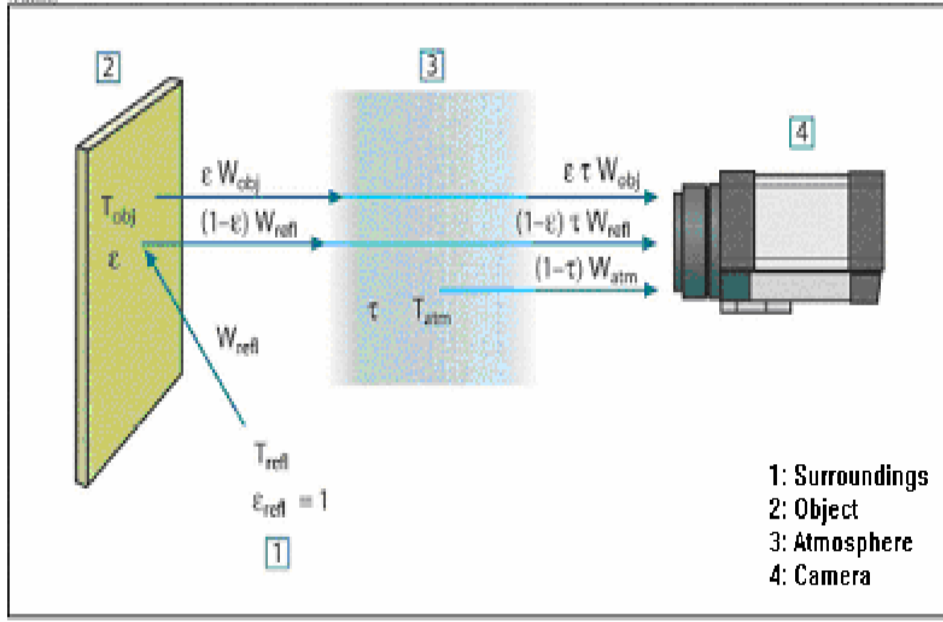


Fig 3.6 A schematic representation of the general thermographic measurement situation [64]

From Fig 3.6, we are now ready to write the three collected radiation power terms:

Emission from the object = $\varepsilon \tau W_{obj}$, where ε is the emittance of the object and τ is the transmittance of the atmosphere. The object temperature is T_{obj} .

Reflected emission from the ambient source = $(1 - \varepsilon) \tau W_{ref}$, where $(1 - \varepsilon)$ is the reflectance of the object. The ambient sources have the temperature T_{ref} . It is assumed that the temperature T_{ref} is the same for all emitting surfaces within the half sphere seen from a point on the object surface. This is a necessary simplification in order to derive a workable formula. Also, we have assumed that the emittance for the surroundings is equal to 1. This is correct in accordance with Kirchhoff's law: All radiation impinging on the surrounding surfaces will be absorbed by the same surfaces.

Emission from the atmosphere = $(1 - \tau) \tau W_{atm}$, where $(1 - \tau)$ is the emittance of the atmosphere. The temperature of the atmosphere is T_{atm} .

The total received radiation power can be written as [64]

$$W_{\text{tot}} = \varepsilon \tau W_{\text{obj}} + (1 - \varepsilon) \tau W_{\text{ref}} + (1 - \tau) \tau W_{\text{atm}}$$

We multiply each term by the constant C of equation 1 and replace the CW products by the corresponding U according to the same equation and get the following equation

$$U_{\text{tot}} = \varepsilon \tau U_{\text{obj}} + (1 - \varepsilon) \tau U_{\text{refl}} + (1 - \tau) \tau U_{\text{atm}}$$

Solving the above equation for U_{obj}

$$U_{\text{obj}} = \frac{1}{\varepsilon \tau} U_{\text{tot}} - \frac{1 - \varepsilon}{\varepsilon} U_{\text{refl}} - \frac{1 - \tau}{\varepsilon \tau} U_{\text{atm}}$$

This is the general measurement formula used in the Infrared (IR) camera used for the measurement.

To measure temperature accurately, it is necessary to compensate for the effects of a number of different radiation sources. This is done on-line automatically by the camera. The following object parameters must, however, be supplied for the camera:

The object emissivity, ε

The relative humidity

Transmittance of the atmosphere, τ_{atm}

Object distance

The effective temperature of the object surrounding, or the reflected ambient temperature T_{ref}

The temperature of the atmosphere T_{atm}

Among all the parameters: the relative humidity and object distance are easy to measure. The two temperatures are less of a problem provided the surroundings does not contain large and intense radiation sources. If the atmosphere is air (like in our case), then we can safely

assume the transmittance of atmosphere as 1.

The test surface was painted with flat black paint first to increase the emissivity of the test surface. When the paint dried, the test plate was heated up for one and a half hours so that the Plexiglas or ABS reaches the steady state temperature. During the heating, the surface temperature was checked every fifteen minutes. Then a reference point was selected and its temperature was measured using a thermocouple. Until the temperature measured by the camera agrees with the thermocouple reading, this is the emissivity value of the reference object. However, the temperature of the reference object must not be too close to the ambient temperature for this to work. During the emissivity calculation, polyethylene sheet window was not used. So, the transmissivity value used was 1.

3.5 Uncertainty Analysis

In order to determine the accuracy of this study, an error analysis is preformed using the methodology of Kline and McClintock [65]. First a conservative error estimate of the measured quantities was done. Then the relative uncertainties in measured quantities were calculated. Finally, the average uncertainties of the results were calculated by taking the square root of the summation of the square of all the relative uncertainties.

Heat transfer coefficient for flow over flat surface was calculated using the following equation

$$\frac{T_w - T_i}{T_m - T_i} = 1 - \left[\exp\left(\frac{h^2 \alpha t}{k^2}\right) \right] \left[\operatorname{erfc}\left(\frac{h \sqrt{\alpha t}}{k}\right) \right]$$

Or $h = f(T_w, T_i, T_m, \alpha, k, t)$

Error estimates of each variable are as follows

$$\Delta T_w = 0.5 \text{ }^\circ\text{C}$$

$$\Delta T_i = 0.5^\circ\text{C}$$

$$\Delta T_m = 0.5 \text{ }^\circ\text{C}$$

$$\Delta t = 0.125 \text{ seconds}$$

Here, α and k are tabulated values. As a custom, three percent relative uncertainty is assumed for both variables. The relative uncertainties of the rest of the four variables are

$$UT_w = \Delta T_w / T_w$$

$$UT_i = \Delta T_i / T_i$$

$$UT_m = \Delta T_w / T_w$$

$$Ut = \Delta t / t$$

$$U\alpha = Uk = 0.03$$

The root mean square uncertainty in calculating heat transfer coefficient over flat plate, h is

$$U_h = \sqrt{(UT_w)^2 + (UT_i)^2 + (UT_m)^2 + (Ut)^2 + (U\alpha)^2 + (Uk)^2}$$

In calculating heat transfer coefficient for film cooling case, relative uncertainty related to coolant temperature will also be added.

$$\Delta T_c = 0.5 \text{ }^\circ\text{C}$$

$$UT_c = \Delta T_c / T_c$$

So, the root mean square uncertainty in calculating heat transfer coefficient for film cooling case is

$$U_{hfilm} = \sqrt{(UT_w)^2 + (UT_i)^2 + (UT_m)^2 + (UT_c)^2 + (Ut)^2 + (U\alpha)^2 + (Uk)^2}$$

Film effectiveness was calculated using the following equation

$$\eta = \frac{T_w - T_{i,2}}{T_{c,2} - T_{m,2}} \frac{1}{F(h)} + \frac{T_{i,2} - T_{m,2}}{T_{c,2} - T_{m,2}}$$

The root mean square uncertainty in calculating film effectiveness, η is

$$U_{\eta} = \sqrt{(U_h)^2 + (UT_w)^2 + (UT_i)^2 + (UT_m)^2 + (UT_c)^2 + (U_t)^2 + (U_{\alpha})^2 + (U_k)^2}$$

The averaged film effectiveness and heat transfer coefficient were calculated for the experiments. The test rig I, using Duhamel's superposition, showed that the uncertainty in h was about 5.6% and for the effectiveness was about 8%. When the regression analysis technique was applied to test rig II, the overall uncertainty dropped to for h about 3.9% and effectiveness 4.5%

CHAPTER 4 NUMERICAL STUDIES

Supporting three-dimensional steady CFD studies are performed to gain a deeper insight into the flow field that is responsible for the observed coolant jet interaction with the mainstream. FLUENT is used to simulate film cooling for the trench and crater geometries and compared to baseline cylindrical holes.

4.1 Geometry and Grid Details

Fig 4.1 shows a schematic of the computational domain. All dimensions are measured in a Cartesian coordinate system with its origin placed at the upstream edge of the film hole on the top surface of the test plate and its x , y and z axes aligned with the streamwise, lateral and vertical direction as seen in Fig 4.1. Overall extent of the computation domain in the lateral, vertical and streamwise directions was $24.25D$, $15.875D$ and $80D$, respectively.

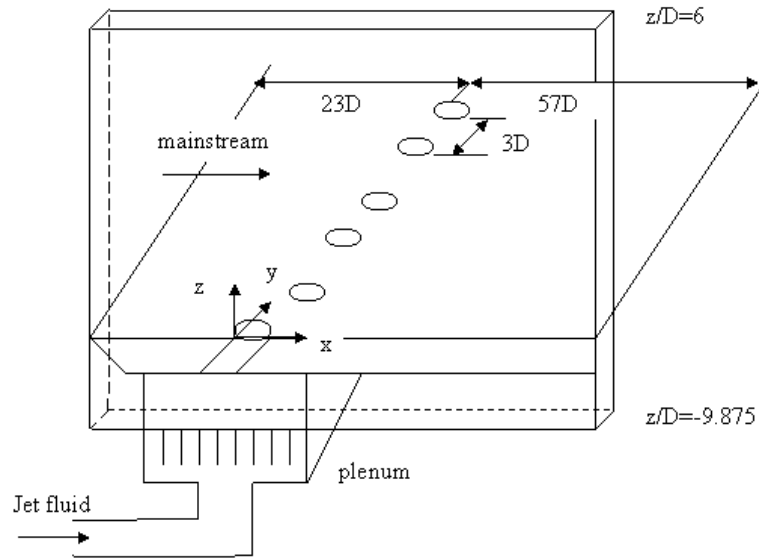


Fig 4.1 Schematic of overall extent of computation domain and coordinates system

Multi-block structured computational grids were produced using Gambit software for three geometries: the baseline case with a single row of round holes at an angle of 30 degrees to the flat plate surface and a pitch-to-hole diameter ratio of 3.0, the trench case with width of 2-hole diameters and depth of 0.5-hole diameters, and the cratered case where the hole is offset in the crater such that the crater and hole upstream edge match. The computational domain and grid are shown in Fig 4.2 and Fig 4.3. Fig 4.3 highlights the grid quality near the hole intersection region for the trench case. All grids extended from the centerline plane of the main hole to the plane midway between two adjacent main holes. Symmetry boundary conditions were applied on both of these planes. This was done since the present study performed with a steady CFD analysis in which no flow can cross these planes because of symmetry.

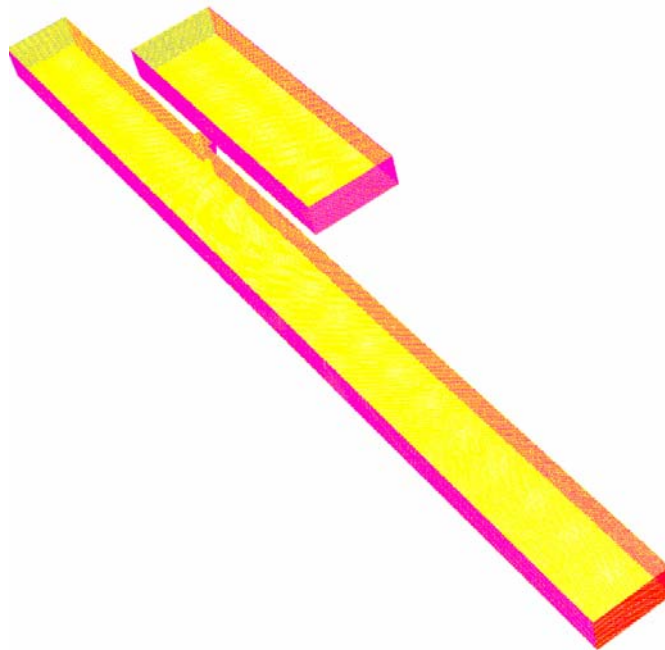


Fig 4.2 Computational Grid for Baseline Round Hole Case

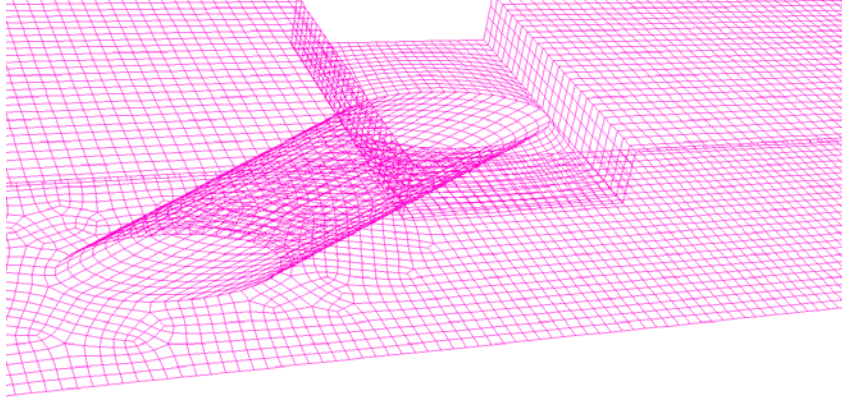


Fig 4.3 Hole Intersection Grid Close-Up

4.2 Turbulence Model

The governing equations to be solved are the incompressible continuity, momentum, and energy equations and the transport equations for the turbulent kinetic energy, and dissipation added through the turbulence models. The fluid properties are assumed constant, which is a reasonable assumption compared to the corresponding experiments.

$$\frac{\partial U_i}{\partial x_i} = 0 \quad (11)$$

$$\frac{\partial U_i}{\partial t} + \frac{\partial (U_j U_i)}{\partial x_j} = -\frac{1}{\rho} \frac{\partial P}{\partial x_i} + \frac{\partial}{\partial x_j} (2\nu S_{ij} - \overline{u'_i u'_j}) \quad (12)$$

$$\frac{\partial T}{\partial t} + \frac{\partial (U_j T)}{\partial x_j} = \frac{\partial}{\partial x_j} \left(\frac{\nu}{\text{Pr}} \frac{\partial T}{\partial x_j} - c_p \overline{T' u'_j} \right) \quad (13)$$

where $\tau_{ij} = -\overline{u'_i u'_j}$ is known as the specific Reynolds stress tensor and $c_p \overline{T' u'_j}$ represents the specific turbulent heat flux. Both of these two terms need to be modeled.

It is an unfortunate fact that no single turbulence model is universally accepted as being superior for all industrial problems. The choice of turbulence model will depend on considerations such as the physics encompassed in the flow, the established practice for a specific class of problem, the level of accuracy required, the available computational

resources, and the amount of time available for the simulation. To make the most suitable choice of model for the application, it is necessary to understand the capabilities and limitations of the various turbulence models.

4.2.1 Boussinesq Approach vs. Reynolds Stress Transport Models

There are two approaches to represent the Reynolds stress tensor in the Equation 12. The Reynolds-averaged approach requires that the Reynolds stresses in Equation 12 be appropriately modeled. Boussinesq approach employs the Boussinesq hypothesis to reduce the Reynolds stresses to the mean velocity gradients:

$$-\overline{\rho u'_i u'_j} = \mu_t \left(\frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i} \right) - \frac{2}{3} (\rho k + \mu_t \frac{\partial u_i}{\partial x_i}) \delta_{ij}$$

The Boussinesq hypothesis is used in the $k - \varepsilon$ model and the advantage of this approach is the relative low computational cost. In the $k - \varepsilon$ model, two additional transport equations for the turbulence kinetic energy, k , and the turbulence dissipation rate, ε , are solved, and μ_t is computed as a function of k and ε . The disadvantage of the Boussinesq hypothesis is that it assumes μ_t is an isotropic scalar quantity, which is not strictly true.

Another approach RSM is to solve transport equations for each of the terms in the Reynolds stress tensor. In many cases, models based in the Boussinesq hypothesis perform well. However, the RSM is clearly superior for situations in which the anisotropy of turbulence has a dominant effect on the mean flow.

The present work employs the standard $k - \varepsilon$ model and the Reynolds stress model (RSM) for simulation of turbulent flows in film cooling and the velocity vector plots using

two different models were compared. All the simulations were run using FLUENT computer code.

The standard $k - \varepsilon$ model is economy, and reasonable accuracy for a wide range of turbulent flows and it is widely used in industrial flow and heat transfer simulation. It is a semi-empirical model, and the derivation of the model equations relies on phenomenological considerations and empiricism.

The RSM model can handle three-dimensional separated flows where most of the eddy viscosity models would be insufficient. There have been a few studies that have used RSM model for predicting internal channel flows, both rotating and stationary [66-67]. Few studies have used RSM for film cooling.

Abandoning the isotropic eddy-viscosity assumptions, the RSM closes the Reynolds-averaged Navier-Stokes equations by solving transport equations for Reynolds stresses, together with an equation for the dissipation rate. This means that five additional transport equations are required in 2D flows and seven additional transport equations must be solved in 3D.

Since the RSM accounts for the effects of streamline curvature, swirl, rotation and rapid changes in strain rate in a more rigorous manner than one-equation and two-equation models, it has greater potential to give accurate predictions for complex flows. However, the fidelity of RSM predictions is still limited by the closure assumptions employed to model various terms in the exact transport equations for the Reynolds stresses. The modeling of the pressure-strain and dissipation-rate terms is particularly challenging, and often considered to be responsible for compromising the accuracy of RSM predictions.

Compared with the $k - \varepsilon$ model, the RSM requires additional memory and CPU time due to the increased number of the transport equations for Reynolds stresses. Similarly, the RSM may take more iterations to converge than the $k - \varepsilon$ model due to the strong coupling between the Reynolds stresses and the mean flow.

The different Reynolds stress model involves calculation of the individual Reynolds stresses, $\overline{u'_i u'_j}$, using differential transport equations. The individual Reynolds stresses are then used to obtain closure of the Reynolds-averaged momentum equation (Equation 12).

The exact form of the Reynolds stress transport equations may be derived by taking moments of the exact momentum equation. This is a process wherein the exact momentum equations are multiplied by a fluctuating property, the product then being Reynolds-averaged. Unfortunately, several of the terms in the exact equation are unknown and modeling assumptions are required in order to close the equations.

In the following sections, the standard $k - \varepsilon$ model and the Reynolds stress transport equations are presented together with the modeling assumptions required to obtain closure.

4.2.2 The Standard $k - \varepsilon$ Equations

The standard $k - \varepsilon$ model [68] is a semi-empirical model based on model transport equations for the turbulent kinetic energy (k) and its dissipation rate (ε). Assumed that the flow is fully turbulent and the effects of molecular viscosity are negligible, the turbulence kinetic energy k and its rate of dissipation ε are obtained from the following equations [69]:

$$\frac{\partial}{\partial t}(\rho k) + \frac{\partial}{\partial x_i}(\rho k u_i) = \frac{\partial}{\partial x_j} \left[\left(\mu + \frac{\mu_t}{\sigma_k} \right) \frac{\partial k}{\partial x_j} \right] + G_k + G_b - \rho \varepsilon - Y_M + S_k$$

and

$$\frac{\partial}{\partial t}(\rho\varepsilon) + \frac{\partial}{\partial x_i}(\rho\varepsilon u_i) = \frac{\partial}{\partial x_j} \left[\left(\mu + \frac{\mu_t}{\sigma_\varepsilon} \right) \frac{\partial \varepsilon}{\partial x_j} \right] + C_{1\varepsilon} \frac{\varepsilon}{k} (G_k + C_{3\varepsilon} G_b) - C_{2\varepsilon} \rho \frac{\varepsilon^2}{k} + S_\varepsilon$$

In the above equations, G_k represents the generation of turbulence kinetic energy due to the mean velocity gradients, G_b is the generation of turbulence kinetic energy due to buoyancy, Y_M represents the contribution of the fluctuating dilatation in compressible turbulence to the overall dissipation rate, $C_{1\varepsilon}$, $C_{2\varepsilon}$, and $C_{3\varepsilon}$ are constants. σ_k and σ_ε are the turbulent Prandtl numbers for k and ε , respectively. S_k and S_ε are user-defined source terms.

4.2.3 The Reynolds Stress Transport Equations

The Reynolds stress model is also called a Second Order Closure. The model involves calculation of the individual Reynolds stresses, $\overline{u_i' u_j'}$, using differential transport equations. The individual Reynolds stresses are then used to obtain closure of the Reynolds-averaged momentum equation (Equation 12). The exact form of the Reynolds stress transport equations may be derived by taking moments of the exact momentum equation. This is a process wherein the exact momentum equations are multiplied by a fluctuating property, the product then being Reynolds-averaged.

The exact transport equations for the transport of the Reynolds stresses, $\overline{\rho u_i' u_j'}$, may be written as follows [69]:

$$\begin{aligned}
& \underbrace{\frac{\partial}{\partial t}(\rho \overline{u'_i u'_j})}_{\text{Local Time Derivative}} + \underbrace{\frac{\partial}{\partial x_k}(\rho u'_k \overline{u'_i u'_j})}_{C_{ij}} = - \underbrace{\frac{\partial}{\partial x_k}[\rho \overline{u'_i u'_j u'_k} + p(\delta_{kj} \overline{u'_i} + \delta_{ik} \overline{u'_j})]}_{D_{T,ij}} + \underbrace{\frac{\partial}{\partial x_k} \left[\mu \frac{\partial}{\partial x_k} \overline{u'_i u'_j} \right]}_{D_{L,ij}} - \\
& \underbrace{\rho \left(\overline{u'_i u'_k} \frac{\partial u_j}{\partial x_k} + \overline{u'_j u'_k} \frac{\partial u_i}{\partial x_k} \right)}_{P_{ij}} - \underbrace{\rho \beta (g_i \overline{u'_j \theta} + g_j \overline{u'_i \theta})}_{G_{ij}} + \underbrace{p \left(\frac{\partial u'_i}{\partial x_j} + \frac{\partial u'_j}{\partial x_i} \right)}_{\phi_{ij}} - \underbrace{2\mu \frac{\partial u'_i}{\partial x_k} \frac{\partial u'_j}{\partial x_k}}_{\varepsilon_{ij}} - \\
& \underbrace{2\rho \Omega_k (\overline{u'_j u'_m} \varepsilon_{ikm} + \overline{u'_i u'_m} \varepsilon_{jkm})}_{F_{ij}} + S_{user}
\end{aligned} \tag{14}$$

Of the various terms in these exact equations, C_{ij} , $D_{L,ij}$, P_{ij} , and F_{ij} do not require any modeling. However, $D_{T,ij}$, G_{ij} , ϕ_{ij} , and ε_{ij} need to be modeled to close the equations. To get the solution of Equation (14), some assumptions are made to close the equation.

4.3 Boundary Conditions

The boundaries are slightly different from the experiment and are prescribed at all three boundary surfaces of the computation domain. Mainstream conditions were maintained the same in all cases and the coolant flow rate was altered to change the blowing ratios.

4.3.1 Solid Wall Boundaries

At solid walls, adiabatic boundary conditions are used, and no-slip boundary condition is set as:

$$U_w = 0, \quad V_w = 0, \quad W_w = 0, \quad \overline{u'_i u'_j} = 0$$

where indices w and 1 denote the wall and the first point off the wall, respectively.

4.3.2 Inlet and Outlet Boundaries

For the mainstream and the coolant jet velocity inlet, uniform profile is set. In our study, all the computations are performed with uniform flow inlet for the mainstream and the coolant jet. Inflow boundary conditions were prescribed at the mainstream and plenum inlet

planes. Standard total temperature value and inlet velocity were used at the mainstream inlet with flow normal to the inlet plane. The mainstream inlet is 23 hole diameters upstream of the main hole leading edge. The plenum inlet mass flow rate was adjusted to produce the blowing ratio desired. The plenum inlet total temperature was set to 0.95 times the mainstream inlet total temperature. The 0.95 value was used to provide a temperature difference between the coolant and mainstream for film effectiveness calculation while staying relatively close to a density ratio of 1.0.

The inlet boundary conditions for the turbulent quantities are difficult to prescribe. In this study, a turbulence intensity of 2 percent and a turbulence length scale of 1 hole diameter were specified at the mainstream inlet, and a turbulence intensity of 1 percent and a turbulence length scale of 1 hole diameter were specified at the plenum inlet.

The exit static pressure was set to 0.97 times the mainstream inlet total pressure at the exit plane 57 hole diameters downstream of the main hole leading edge. This produced a Mach number of less than 0.3 in most of the flow domain.

4.4 Numerical Solution Procedure

For the numerical investigation the commercial CFD software FLUENT is applied. FLUENT is based on an unstructured solver using a finite volume approach for the solution of the Reynolds averaged Navier-Stokes (RANS) equations. A structured computational grid was developed using the Gambit grid generator with approximately 1.3 million computational cells for each case. The y^+ values at the wall-adjacent cells were on the order of 1.0. Each solution on the fine grid required approximately 2500 CPU hours to attain a converged solution. All the cases presented here converged to residual levels of the order of 10^{-5} and to

better than 0.03 percent error in the mass flow rate between the inlet and exit of the computational domain.

An investigation of grid independence was carried out to find the proper mesh. The test was performed on the trench case with 0.5D depth and 2D width. As a check on the grid sensitivity of the study, all calculations were carried out for both the fine grid (~2.4 million cells) and one level of multigrid coarsening (~1,644,002 cells). There are relatively small (typically less than 6 percent) differences between the respective coarse and fine grid results for the most stringent quantities of surface film effectiveness. This indicates that the fine grid is approaching grid independence. Due to the long calculation times for the fine grid cases and the extensive test matrix, the grid was not refined further in this study. All results in the following discussions are for the fine grid cases. The differences in the solutions on two grids are found to be minimal as shown in Fig 4.4.

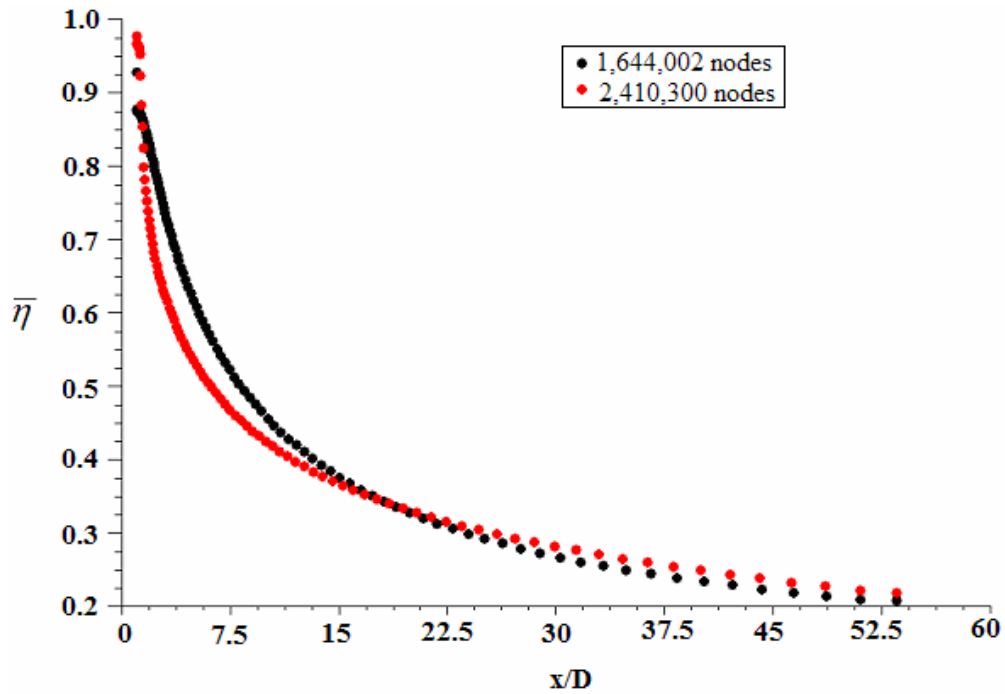


Fig 4.4 Grid independence check

CHAPTER 5 RESULTS

The results obtained from the baseline geometry were used as a reference for all other configurations.

5.1 Results for Crescent and Converging Slot

The measured mainstream velocity and free-stream turbulence using a calibrated single hot wire probe are 9.0 m/s and 6%, respectively. The mainstream Reynolds number (Re_d) based on film hole diameter is 7150. The boundary layer profile measured downstream of the trip is close to the fully turbulent flow profile ($1/7^{th}$ law). The momentum thickness Reynolds number (Re_θ) just upstream of the hole is 511 and the corresponding boundary layer thickness is 9.87 mm. Three blowing ratios, $M=0.5$, 1.0 and 1.5, are tested for the 35° baseline, crescent and converging slot cases. The coolant to mainstream density ratio for the present test is close to 1.1. However, the engine density ratios are closer to 2.0. Previous studies have shown that the momentum flux ratio (I) includes the effect of density ratio (DR) and the film cooling results can be correlated to momentum flux ratios ($I = M^2 / DR$). Results are for only the two/three middle holes.

Fig 5.1 presents the effect of blowing ratio on detailed film effectiveness for the baseline, crescent and converging slot. For the baseline, the jet streaks are clearly visible with the highest effectiveness occurring at $M=0.5$ near the hole exits. At higher blowing ratios, there is a jet lift-off resulting in lower coverage. However, the higher blowing ratios show more spreading downstream resulting in higher effectiveness downstream.

From effectiveness distributions for the crescent exit, it is clear that the coolant is even at the exit plane with effectiveness higher than 0.8. Downstream of injection, the film appears to

spread laterally and stay closer to the surface due to reduced coolant exit velocity with increased exit area. This causes a more even, laterally spreading film that produces significantly higher effectiveness than for Baseline. Effectiveness increases with increase in blowing ratio unlike that for Baseline.

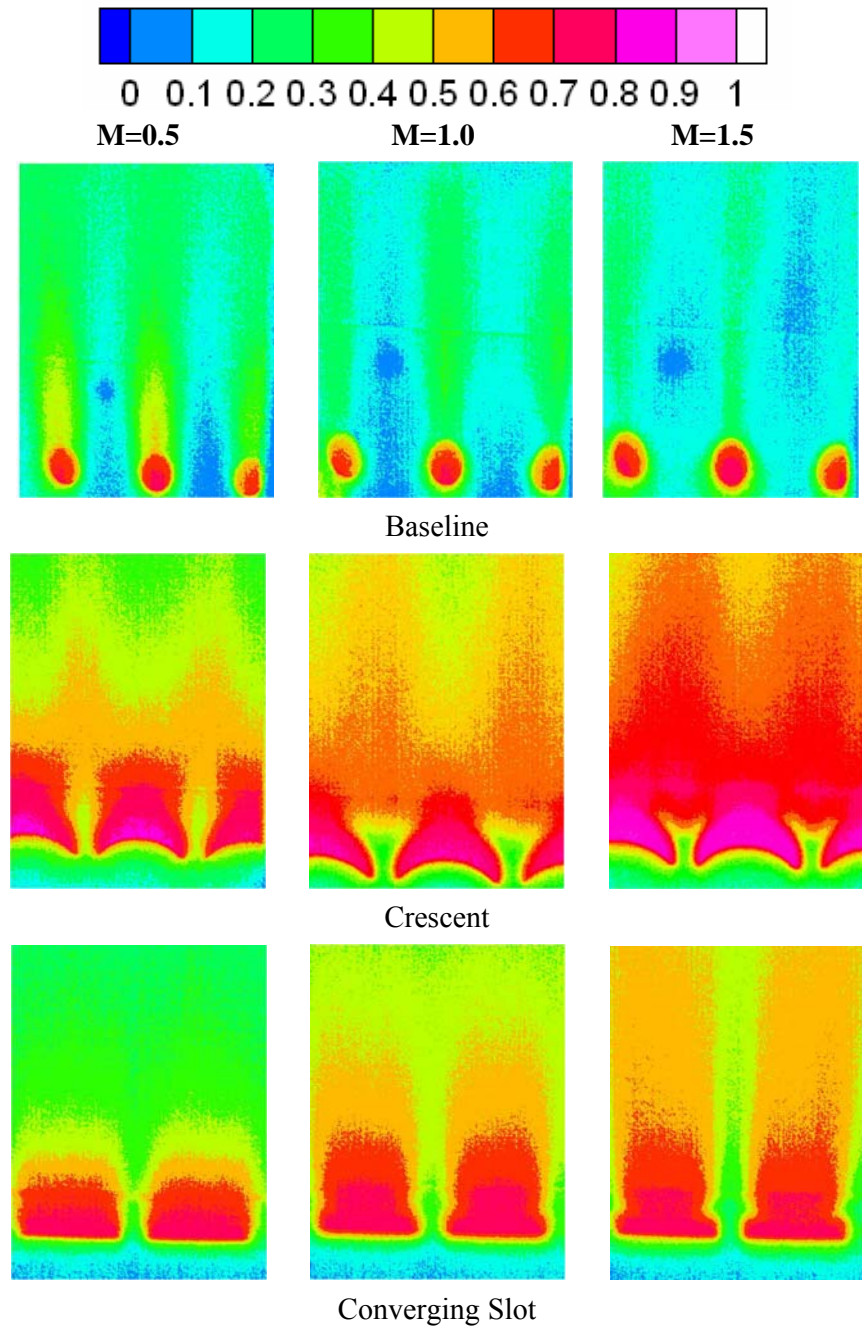


Fig 5.1 Detailed film effectiveness distributions for baseline, crescent and converging slot at different blowing ratios

For converging slot, film effectiveness distribution is uniform in the spanwise direction and clearly well spread across the length of the slot. The effectiveness at low blowing ratio appears to dissipate immediately downstream of the slot. At higher blowing ratios, the effect of slot cooling is significant and comparable to the crescent exit. It appears that the slot exit momentum at low blowing ratios maybe relatively low compared to the mainstream resulting in reducing coverage.

Fig 5.2 presents the effect of blowing ratio on heat transfer coefficient (W / m^2) for baseline, crescent and converging slot. Results show that heat transfer coefficient increases with increased blowing ratios for these three cases. Increased blowing ratio indicates higher velocity jets mixing with the mainstream resulting in increased local turbulence generation leading to higher heat transfer coefficient. For the cylindrical hole, the higher heat transfer coefficient downstream is characterized by the streaks along the holes indicating the counter rotating vortex pair [70]. The heat transfer coefficients increase significantly at each blowing ratio for the other two cases. With larger coolant exit area, there is more regional mixing resulting in higher turbulence generation downstream of injection for both crescent and converging slot cases. The levels of heat transfer coefficient for crescent and converging slot are a factor of 3 larger than for the baseline.

This is primarily intuitive to point out that the film coverage enhances mixing resulting in higher heat transfer coefficient. Clearly, the crescent shape exit produces more mixing region downstream compared to the slot exit.

Fig 5.3 compares the spanwise average film effectiveness distributions for the three cases at each blowing ratio. The average results are plotted against normalized streamwise distance downstream of the film hole. At a low blowing ratio of $M=0.5$, the crescent case provides the

highest effectiveness clearly. The cylindrical hole exit (Baseline) clearly provides the lowest effectiveness.

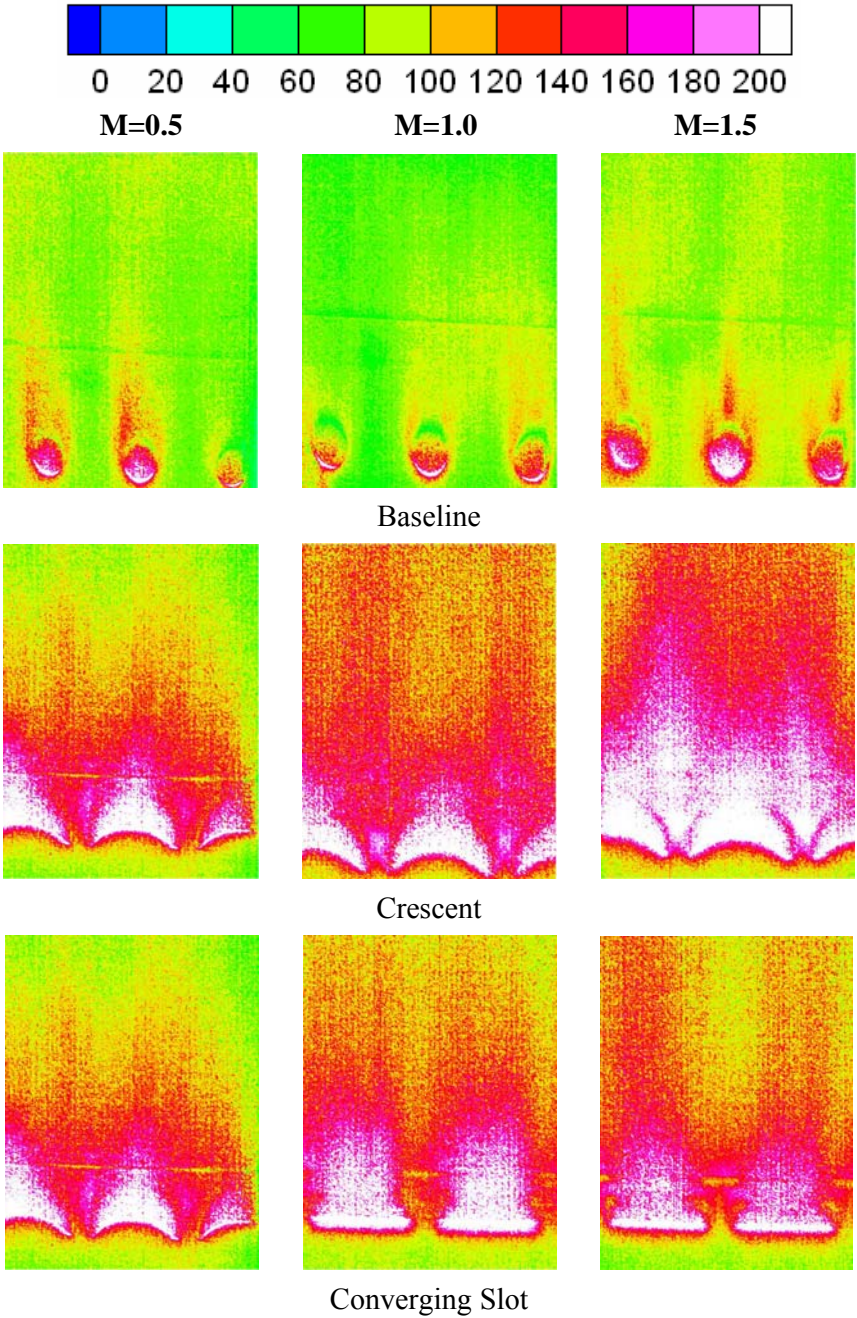


Fig 5.2 Detailed heat transfer coefficient ratio distributions for baseline, crescent and converging slot cases at different blowing ratios

Both the crescent and converging slot cases show rapid decaying with increasing distance from the hole. As blowing ratio increases to $M=1.0$, the crescent and converging slot provide

comparable film effectiveness values but the downstream decay is not as rapid as for $M=0.5$. Also, the cylindrical hole shows increased effectiveness just downstream but the levels of cooling effectiveness are not as significant as the other two cases. For a high blowing ratio of $M=1.5$, again, the crescent outperforms the other two cases.

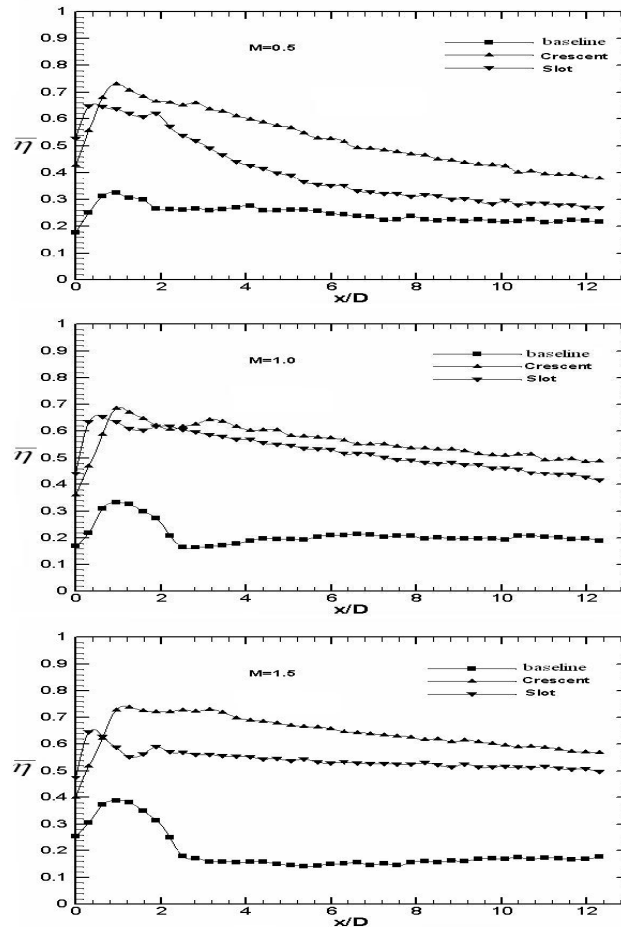


Fig 5.3 Effect of hole geometry on spanwise averaged film effectiveness distributions for baseline, crescent and converging slot at each blowing ratio

It appears that both crescent and converging slot may have an optimum high for $M=1.0$ and then decreased effectiveness is seen for higher blowing ratios. It appears that the coolant exits the crescent and slot and spreads into the larger area with reduced momentum and produces a low momentum two-dimensional film providing better effectiveness at higher blowing ratios.

Fig 5.4 compares the spanwise averaged heat transfer coefficient ratio (\bar{h}/h_0) for the three cases at each blowing ratio. The local heat transfer coefficient with film cooling (h) is normalized by the heat transfer coefficient without holes on a flat surface (h_0).

At a low blowing ratio of $M=0.5$, the heat transfer coefficients are highest for the crescent with high heat transfer coefficient ratios around 5 near the hole exit and decaying rapidly downstream. It appears that the jet-mainstream interaction induced turbulence is similar for all geometries resulting in heat transfer enhancement but the levels of jet-mainstream interaction are different.

At $M=1.0$, the converging slot shows a peak just downstream of the slot exit but decays rapidly. The crescent and converging slot show similar levels after $x/D > 2$.

For $M=1.5$, the crescent produce the highest heat transfer enhancement immediately downstream of the hole with baseline and converging slot also showing enhancement of 2.5+ at $x/D=1$. It appears that the flow coming out of the crescent exit produce more interaction mostly in the spanwise direction due to a more two-dimensional nature of the jets resulting in an overall higher average enhancement in heat transfer coefficient. Also, it is important to note that the cases where the heat transfer enhancement is highest produces the highest effectiveness due to increased jet spreading and overall coverage.

Fig 5.5 presents the effect of blowing ratio on the overall area-averaged film effectiveness and heat transfer coefficient for the three cases. The crescent and converging slot show much higher overall effectiveness than baseline. Baseline shows highest effectiveness at $M=0.5$. This may be inconsistent with other studies but in the near hole region ($x/D < 10$), this may be true due to better effectiveness for $M=0.5$. The crescent and converging slot also show

significant heat transfer enhancement compared to baseline as expected.

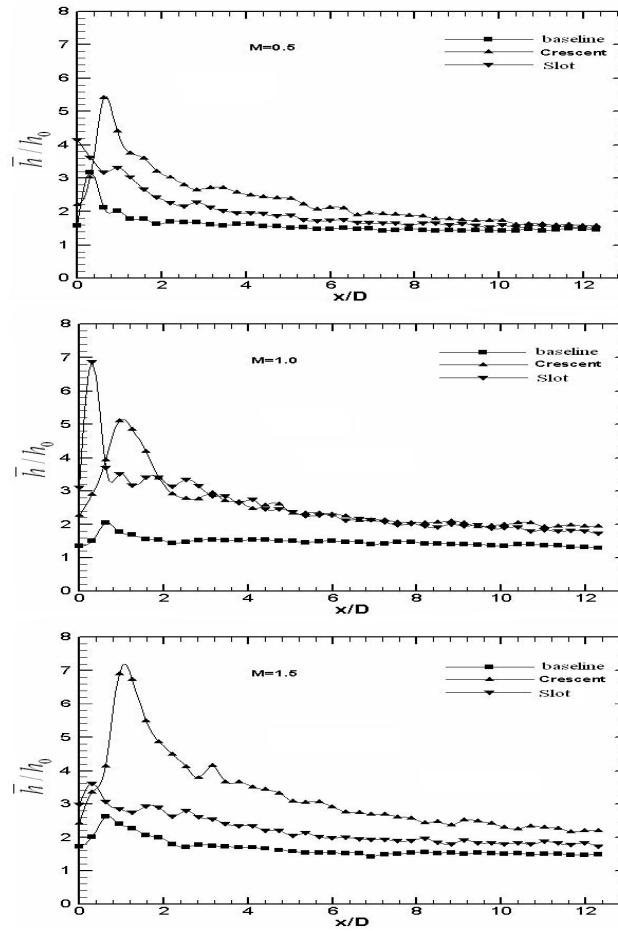


Fig 5.4 Effect of hole geometry on spanwise averaged heat transfer coefficient distributions for baseline, crescent and converging slot at each blowing ratio

Fig 5.6 presents the effect of blowing ratio on overall area-averaged heat flux ratio (q''/q_0'') for all these three cases. Clearly, the crescent and converging slot provide significantly reduced heat flux to the surface at all the tested blowing ratios. The baseline shows almost no overall effect of jet in the near hole region. The interesting effect is the better cooling is achieved at higher blowing ratios with the two new configurations. It appears that both the geometries can perform better at higher blowing ratios than the $M=1.5$ tested in this study.

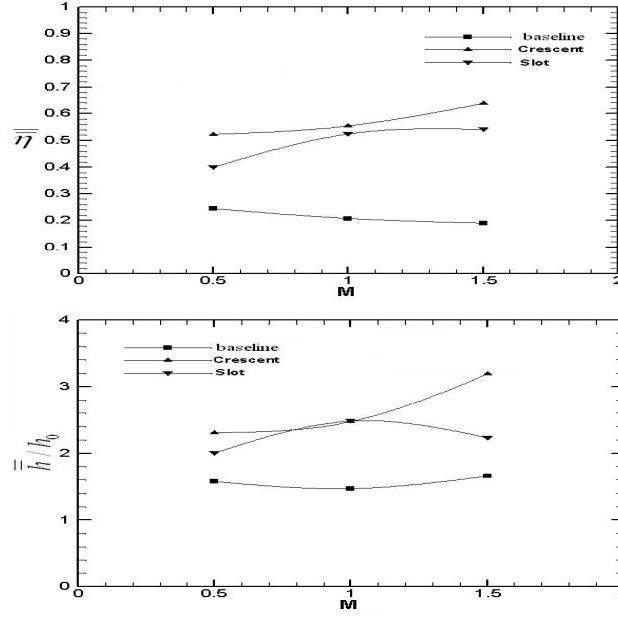


Fig 5.5 Effect of blowing ratio on overall area-averaged film effectiveness and heat transfer coefficient for baseline, crescent and converging slot

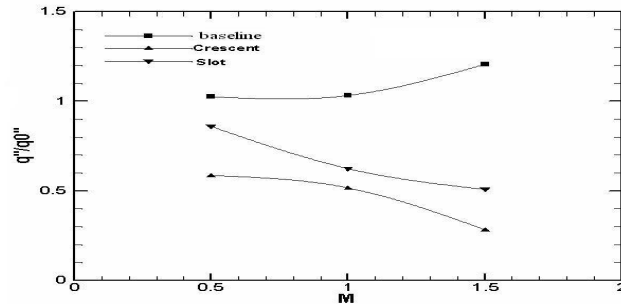


Fig 5.6 Effect of blowing ratio on overall area-averaged heat flux ratio for baseline, crescent and converging slot

5.2 Results for Trench and Shaped Diffuser Hole

In this part, the measured mainstream velocity and free-stream turbulence intensity using a calibrated single hot wire probe are 13.8 m/s and 2%, respectively. The mainstream Reynolds number (Re_d) based on film hole diameter is 11000. The boundary layer profile measured downstream of the trip is close to the fully turbulent flow profile ($1/7^{th}$ law). Four different blowing ratios between 0.5 and 2.0 are tested for all the cases tested. The coolant-to-mainstream ratio for the entire study was 1.07.

Fig 5.7 presents the effect of blowing ratio on detailed film effectiveness distributions for all the trench and shaped hole cases. For baseline case, the jet streaks are clearly visible with the highest effectiveness occurring at $M=0.5$ near the hole exits. At higher blowing ratios, there is a jet lift-off resulting in lower coverage.

For Case 1, the coolant enters a shallow ($0.5D$) and narrow trench ($2D$) before mixing with the mainstream. It appears that the coolant exiting the holes develop sideways and fill the trench before exiting as a more two dimensional film. The spanwise mixing in the trench is clearly evident with higher effectiveness between the jets inside the trench. As blowing ratio increase, the effectiveness increases inside the slot and outside, and the coverage distance is also enhanced. For Case 2, the coolant enters a shallow ($0.5D$) and wide trench ($3D$). The lateral spreading into the slot is clearly missing for this wider trench. The jet streaks along the hole are evident similar to the cylindrical hole except at the trench edge where the flow hits the edge and shows a sudden increase in effectiveness outside the trench. Also, the effectiveness increases with increasing blowing ratio unlike the standard baseline case where jet lift-off caused lower effectiveness at higher blowing ratios.

For Case 3, the coolant enters a medium ($0.75D$) and a narrow ($2D$) trench. The coolant again appears to spread into the trench after exiting the hole similar to Case 1. A two dimensional film appears to exit the trench. The lateral spreading is higher for Case 3 compared to Case 1. The deeper trench enables in reducing the three dimensional structure exiting the holes more efficiently. With increasing blowing ratio, the film effectiveness increases specially in the downstream coverage and not much in the peak effectiveness. For Case 4, the coolant enters a medium ($0.75D$) and a wider ($3D$) trench. The deeper trench

improves the lateral mixing for the wider trench compared to Case 2 with a shallow depth. The jets appear to mix laterally inside the trench and exit more two-dimensional in this case. The local peak effectiveness is higher for this case than case 3 with the narrow trench.

For Case 5, the coolant enters a deep (1D) and a narrow (2D) trench. The coolant exits the holes and mixes freely inside the 2-D trench and forms a sheet before exiting the trench and interacting with the mainstream. The deeper slot is increasing the effectiveness inside the trench but seems to perform very poorly downstream of the trench. The coolant may pick up heat inside the trench due to some interaction with the mainstream inside the trench as the mainstream can enter the trench along the outer sides of the trench. The trapped coolant eventually exits but with very little effectiveness downstream. Also, the cooling effectiveness decreases with higher blowing ratio unlike Case 1-4.

For Case 6, the coolant enters a deep (1D) and a wider (3D) trench. The trends are similar to that for Case 5. The coolant however mixes less inside the trench compared to Case 5 due to increased trench area. The coolant exiting the holes also does not hit the trench sidewall as in Case 5. The blowing ratio effect is increase effectiveness inside the trench but decrease downstream with increasing blowing ratio.

For the shaped diffuser hole exit, the wide exit reduces the upward momentum of the jets and keeps the coolant closer to the surface. The lateral flaring enhances the lateral coverage of the coolant producing higher effectiveness overall. The shaped hole exit is typically created by employing a counter drill that stamps the footprint at the exit by removing material from the cylindrical hole exit

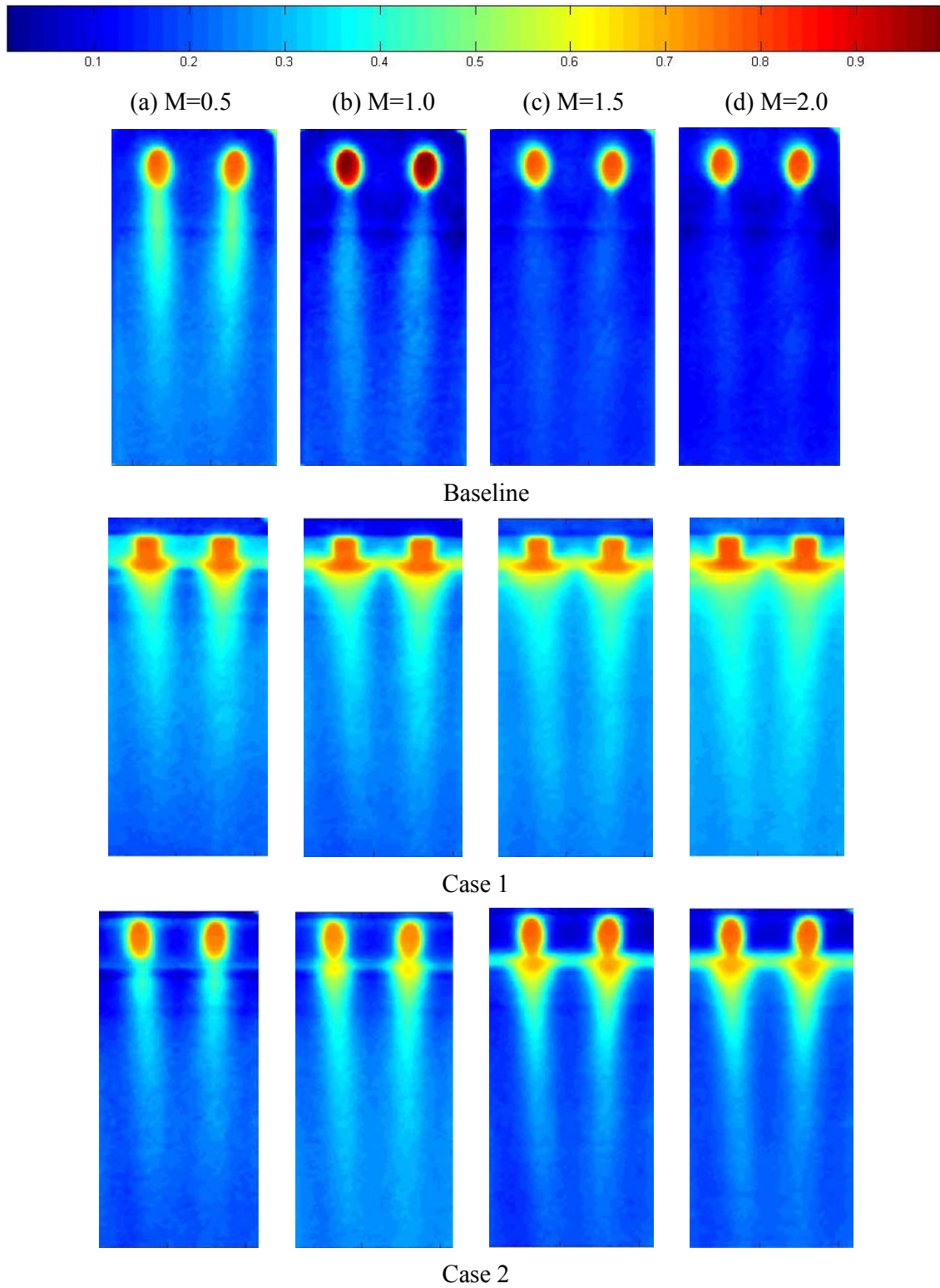


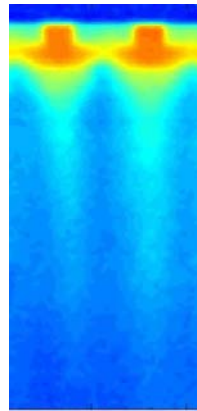
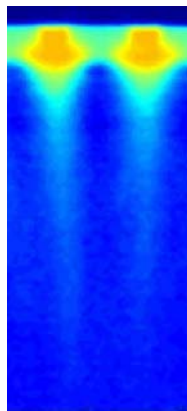
Fig 5.7 Detailed film effectiveness distributions for baseline, trench and shaped hole cases at different blowing ratios (Fig cont.)

(a) $M=0.5$

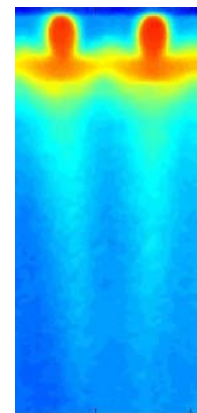
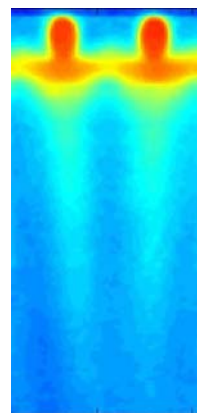
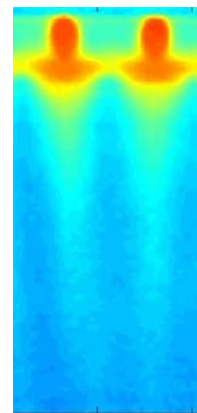
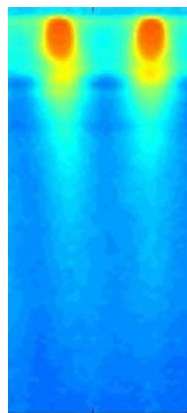
(b) $M=1.0$

(c) $M=1.5$

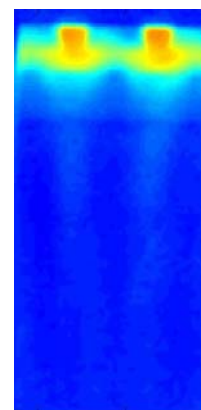
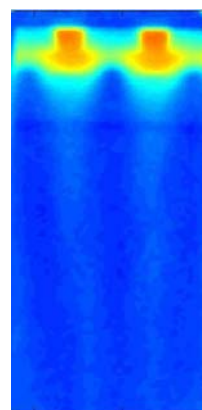
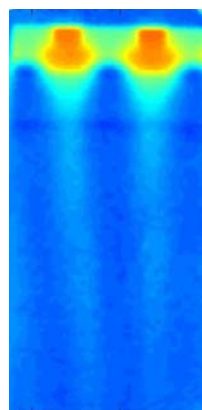
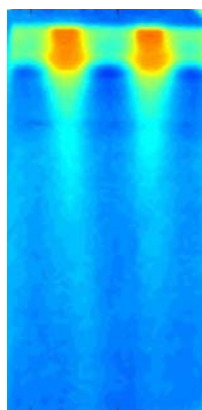
(d) $M=2.0$



Case 3



Case 4



Case 5

(Fig 5.7 cont.)

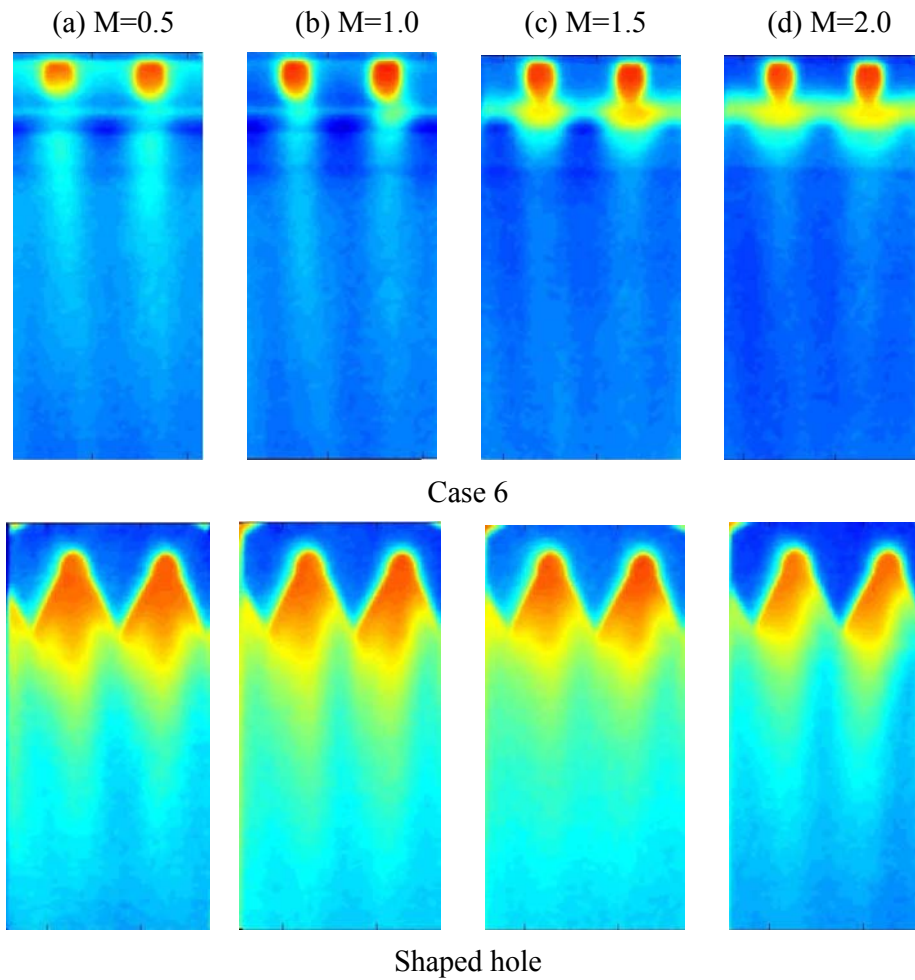


Fig 5.8 presents the effect of blowing ratio on detailed heat transfer coefficient (h) distributions for the baseline, trench and shaped hole cases. Nearly all the trenched holes appear to enhance the heat transfer coefficient compared to the baseline case. It appears that there is significantly more interaction between the mainstream and jet primarily in the slot exit region resulting in higher turbulence production and subsequently higher heat transfer coefficient. This may be because of the creation of a new mixed boundary layer at the slot edge.

The effect appears to extend in the downstream region of the slot for all the Cases 1-6. However, Case 3 provides the higher enhancement than all the other cases. With larger

coolant exit area, there is more regional mixing resulting in higher heat transfer coefficient for shaped hole case. The narrow trench for any depth creates a stronger trip to the boundary layer than the wider trench because the coolant is pushed back by the upstream by the upstream edge back into the slot for the narrow trench. That does not occur for wider trench where the coolant blows directly into the trench and mixes with the mainstream.

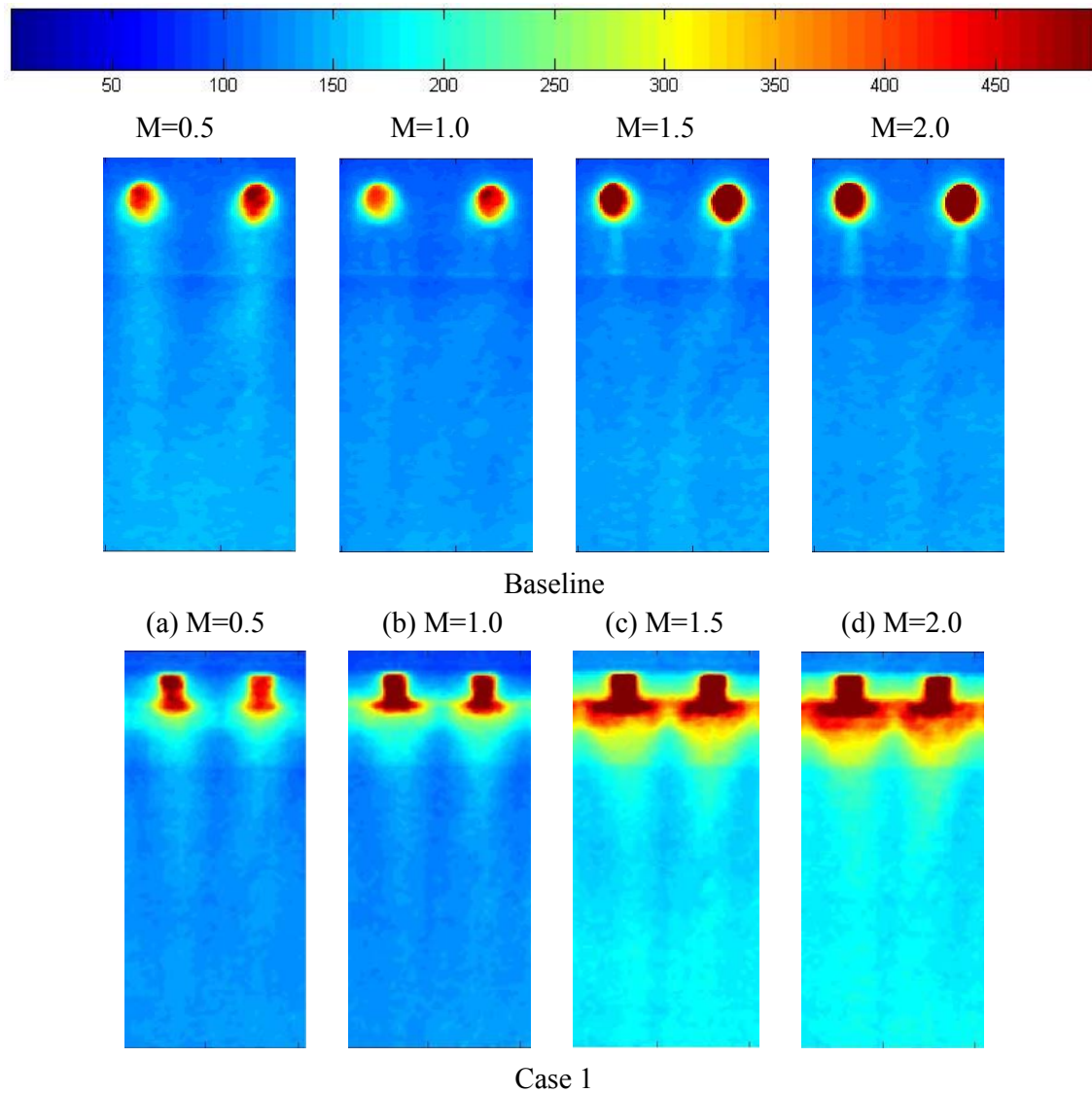


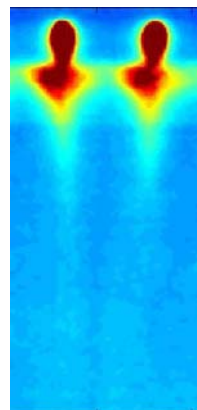
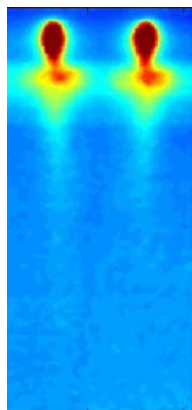
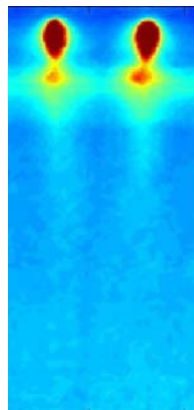
Fig 5.8 Detailed heat transfer coefficient ratio distributions for baseline, trench and shaped hole cases at different blowing ratios (Fig cont.)

(a) $M=0.5$

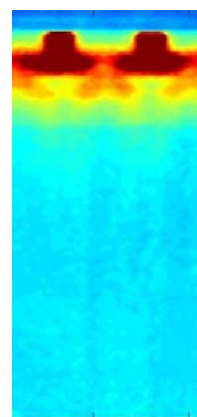
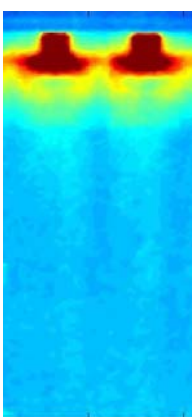
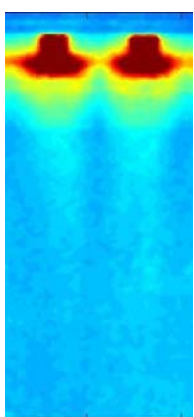
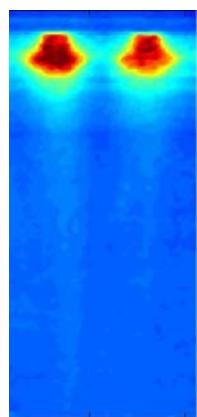
(b) $M=1.0$

(c) $M=1.5$

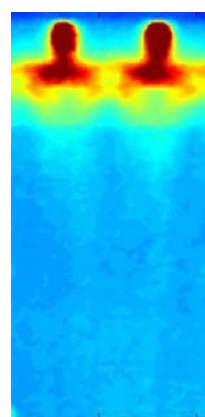
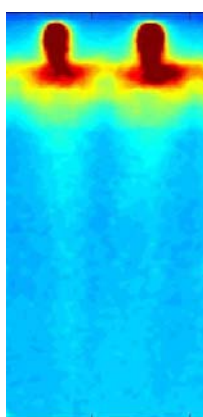
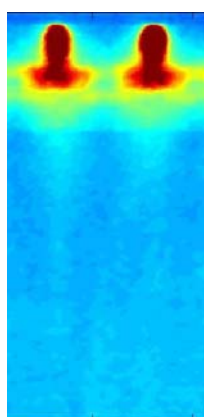
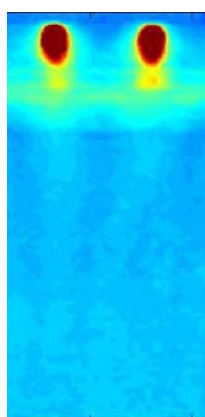
(d) $M=2.0$



Case 2



Case 3



Case 4

(Fig 5.8 cont.)

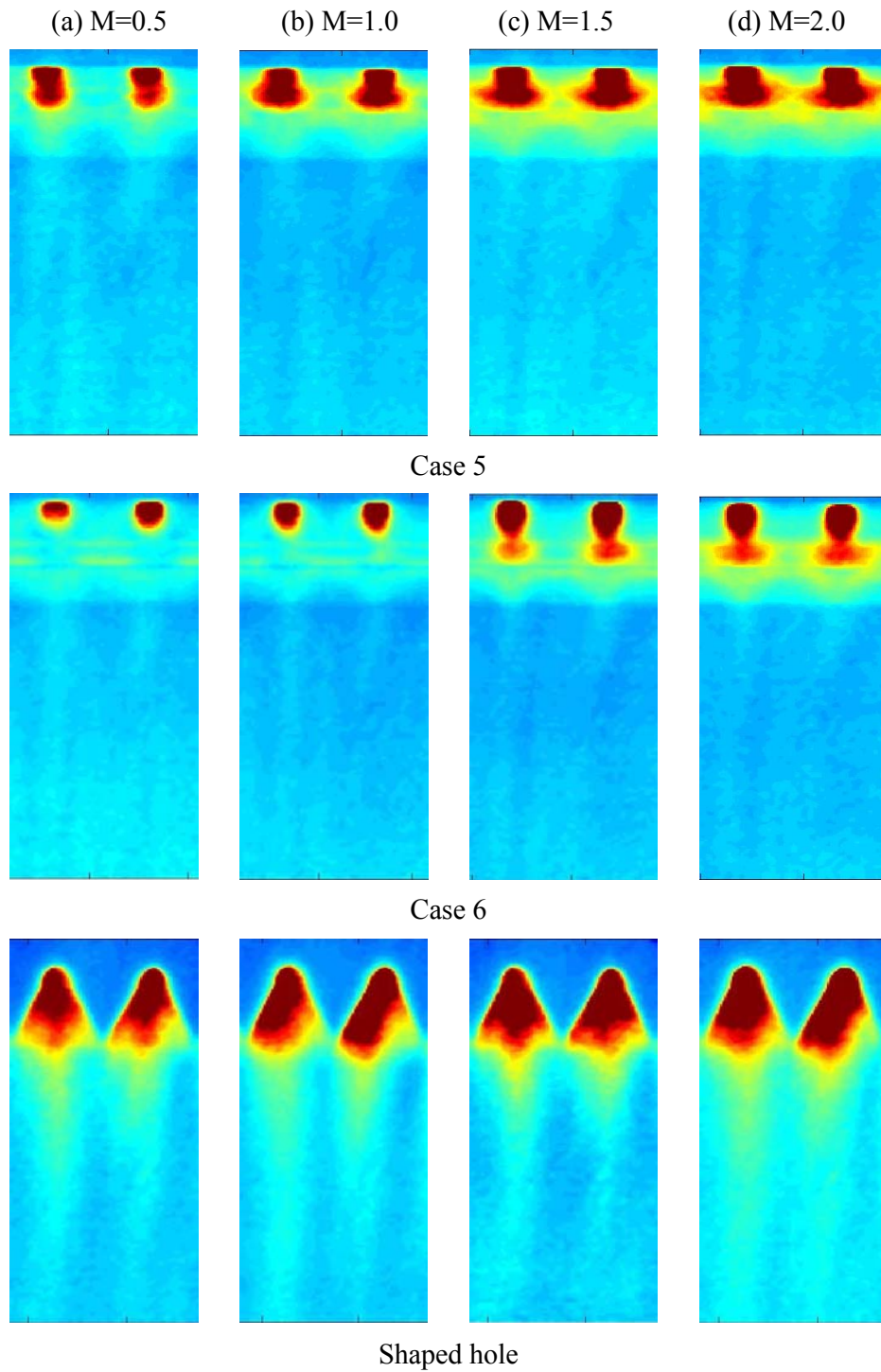


Fig 5.9 presents the effect of hole geometry on spanwise averaged film effectiveness for each blowing ratio. The averaged results are plotted against the normalized streamwise distance indicated from downstream edge of the film hole. Results are presented from the downstream edge of the cylindrical holes for the baseline and trench cases and beyond the

actual exit of the shaped hole. This is done to avoid the issues associated with the data collected during the experiment inside the film holes and trenches. At a low blowing ratio of $M=0.5$, shaped diffuser hole provides the highest effectiveness clearly but the downstream decay is also rapid. All the trench cases except Case 3 show higher film effectiveness than baseline. For $M=1.0$, shaped hole still provided higher effectiveness than all the cases. However, Case 4 shows higher performance than other trench cases. The baseline is the lowest among all the cases. Case 4 has a medium depth ($0.75D$) and wider trench ($3D$). For $M=1.5$, shaped hole is the highest among all cases. Case 3-4 are higher than other trench case indicating an optimum depth of $0.75D$. All other cases are lower than these two cases. For $M=2.0$, there is a larger spread among the cases. Shaped hole is not as significantly higher than the trench cases, with Case 1, 3 and 4 showing comparable film effectiveness.

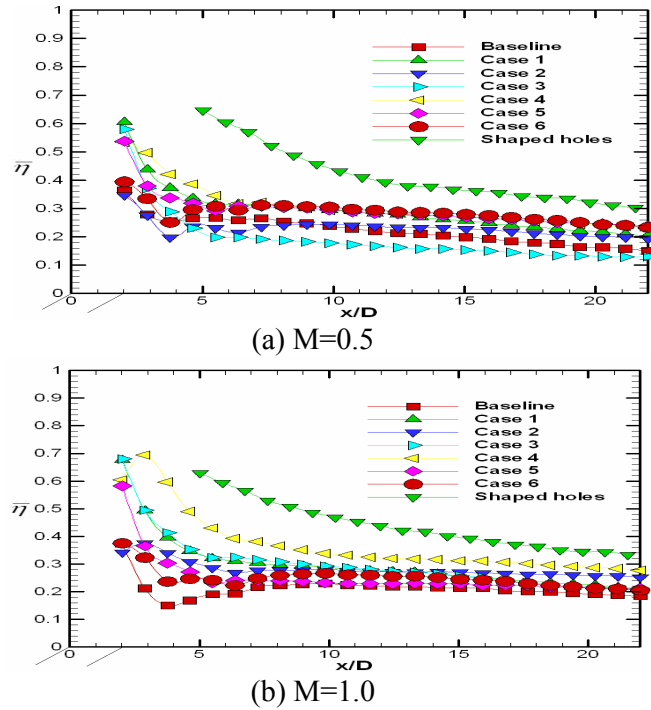
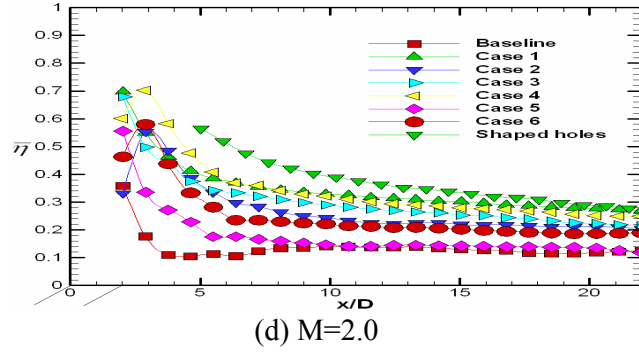
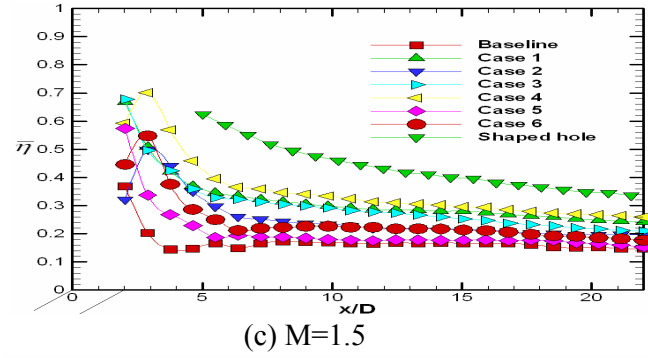


Fig 5.9 Effect of hole configuration on spanwise averaged film effectiveness distributions for baseline, trench and shaped hole cases at each blowing ratio (Fig cont.)



(Fig 5.9 cont.)

Cases 5 and 6 are lowest trench cases indicating that a deeper trench may not be a solution. The thickness of the TBC layer should not be too thin ($0.5D$) and not too thick ($1.0D$) to obtain the best cooling effectiveness. Klinger and Hennecke [71] provided a correlation for adiabatic film effectiveness for normal slot injection with blowing ratio below 2. However, their equation is valid only for $x/s > 20$, where s is the trench width. In the present study, most of the measured region is inside $x/s < 20$.

Fig 5.10 presents the effect of the hole geometry on spanwise averaged heat transfer coefficient ratio (h/h_0) for each blowing ratio. At $M=0.5$, heat transfer coefficient ratios are similar for all trench cases and baseline except for shaped hole which shows a bump immediately downstream of injection.

As blowing ratio increases to $M=1.0$, the differences between the cases are enhanced. At $M=1.5$, all the trench cases show higher heat transfer coefficient ratio than the baseline. The

shaped hole is at a similar level to the trench cases.

At $M=2.0$, the trends are similar to that for $M=1.5$. It appears that the film exiting the trenches creates a new boundary and enhances heat transfer coefficients immediately downstream of the trench. Further downstream, the effect of trench width and depth is negligible unlike that for the film effectiveness results where medium depth trenches provided the best results.

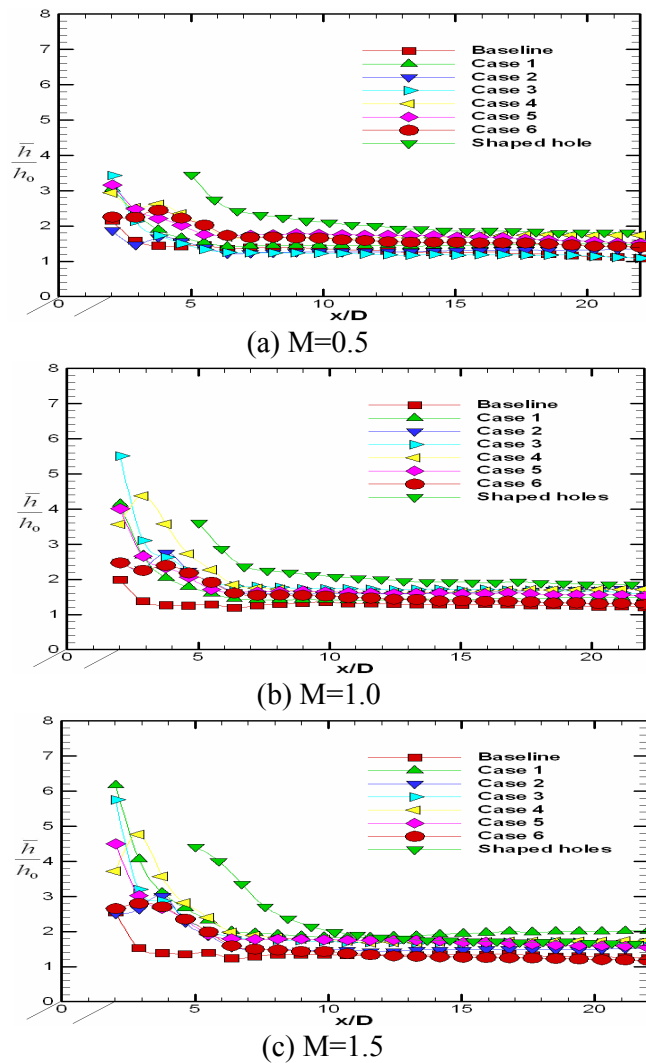
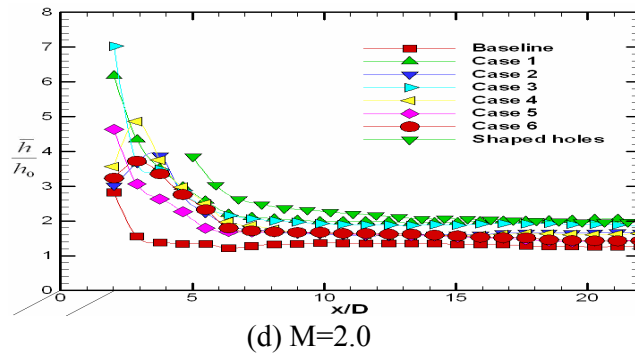


Fig 5.10 Effect of hole configuration on spanwise averaged heat transfer coefficient ratio distributions for baseline, trench and shaped hole at each blowing ratio (Fig cont.)



(Fig 5.10 cont.)

Fig 5.11 presents the effect of blowing ratio on the overall area-averaged film effectiveness and heat transfer coefficient for baseline, trench and shaped hole cases. As seen clearly from the plot, shaped diffuser hole shows much higher overall area-averaged film effectiveness than the other cases.

For Case 3 and 4, it shows higher overall effectiveness within the trench cases. The shaped hole shows the highest heat transfer coefficient and the baseline is the lowest. Importantly, the effect of blowing ratio on most of the trench cases is minimal. This was reported by Bunker [17] and Lu et al. [19]. The baseline shows a decrease with increase in blowing ratio and the shaped hole peaks at $M=1.5$. Overall averaged heat transfer coefficient ratios show an increase with blowing ratio for all geometries. This is expected as the higher coolant flow interacts with the mainstream more and produces local turbulence and thus enhances heat transfer coefficient.

Shaped hole and Case 1 show the highest heat transfer coefficient ratios. Baseline shows the lowest enhancement ratios because least interactions of jets with mainstream in the lateral direction.

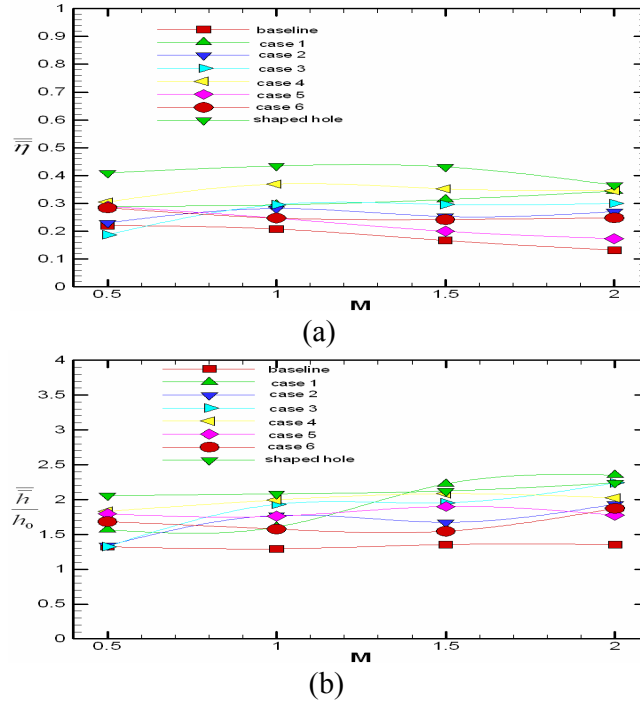


Fig 5.11 Effect of blowing ratio on overall area-averaged (a) film effectiveness, and (b) heat transfer coefficient ratios for baseline, trench and shaped hole

Fig 5.12 presents the effect of blowing ratio on overall area-averaged heat flux ratio (q''/q''_0) for all these cases. It is clear from the plot that most cases at $M=1.0$ provide low heat flux ratios except for Case 5. It appears that Case 4 provides better protection at all blowing ratios and as does shaped diffuser hole except at higher blowing ratio of 2.0. Case 5 seems to show the worst performance.

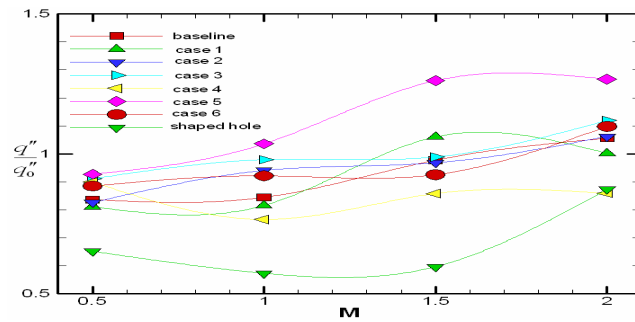


Fig 5.12 Effect of blowing ratio on overall area-averaged heat flux ratio for baseline, trench and shaped hole cases

5.3 Results for Cratered Cylindrical Inclined Hole

Three different crater geometries are studied and compared to a baseline flush cylindrical hole, a trench hole and a typical diffuser shaped hole. The experimental work is carried out under the same flow condition described in Section 5.2.

Fig 5.13 presents the effect of blowing ratio on detailed film effectiveness distributions for baseline, three cratered hole cases, one trench case and shaped hole.

For Case 7, the effectiveness is higher than baseline for all blowing ratios. This may be due to the reduced exit momentum of the jets when they interact with the mainstream. The jets exit the cylindrical holes and expand into the crater resulting in the lower momentum jets. As blowing ratio increases, the jet streak expands more laterally and reduced effectiveness is seen downstream. The lateral spreading is due to the accumulation of the coolant.

For Case 8, the effectiveness is higher than for baseline. However, there is limited spreading in the lateral direction as seen for Case 7. There is a lot more cooling effectiveness downstream compared to Case 7. Effectiveness decreases with increasing blowing ratio.

For Case 9, the jets show improved effectiveness over baseline and Cases 7-8. There is more lateral spreading than for Case 8 and the jets appear to provide coverage farther downstream than the Cases 7-8. This may be due to the circular shape of the crater, where the jet streak is maintained because of the streamwise length of the hole and the additional area in the lateral direction.

The trench case (Case 4) is shown for comparison. The trench shows a two-dimensional behavior unlike the cratered holes. The trenched hole also shows an increase in film effectiveness for higher blowing ratios.

The diffuser shaped hole is far superior in performance than all the other cases due to the significantly reduce momentum of the jets and the coolant hugging the surface even at high blowing ratios. However, the shaped hole is not a good comparison for the crater holes as the shaped hole may be cratered in real applications and that should be considered for comparisons.

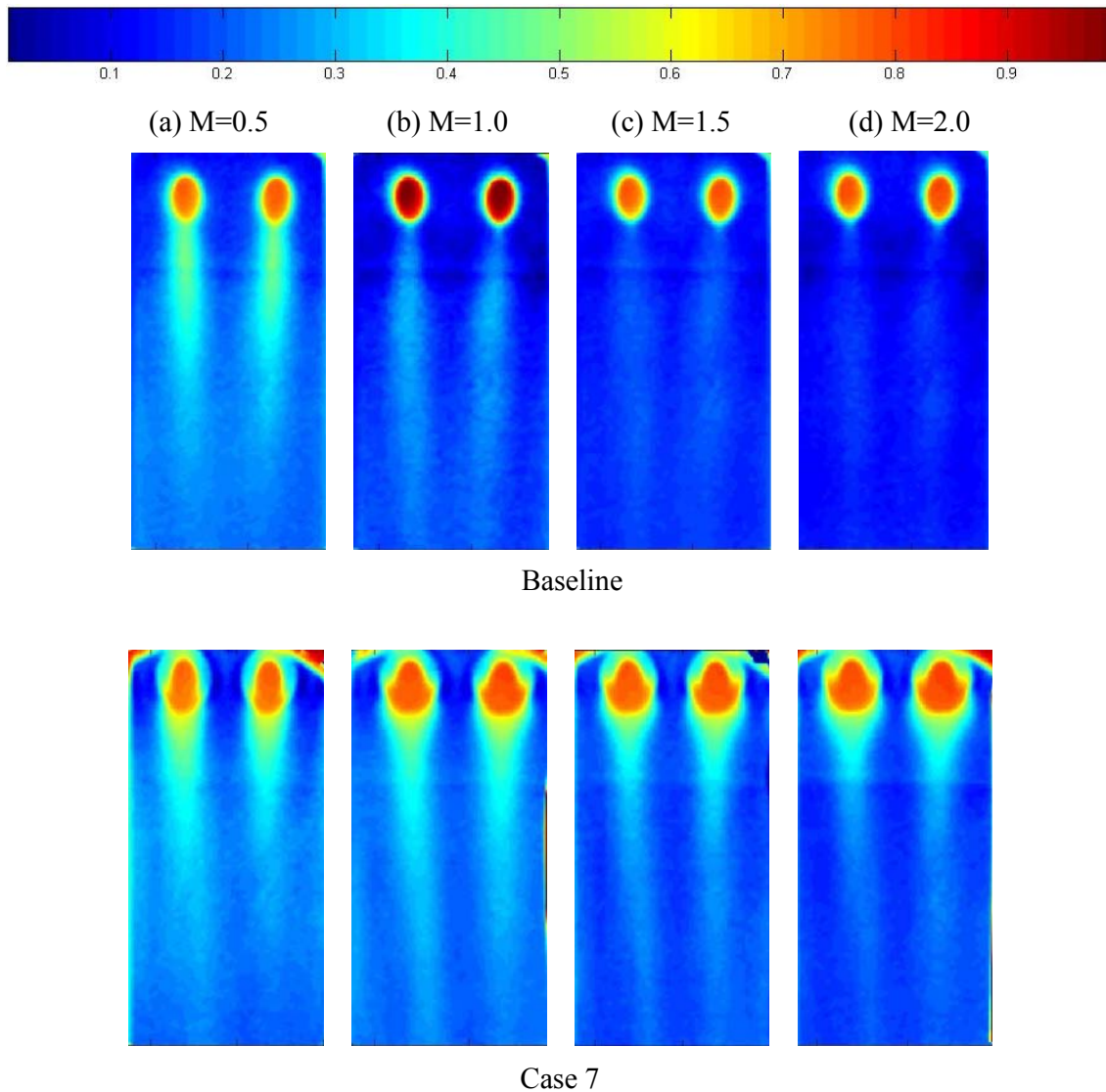
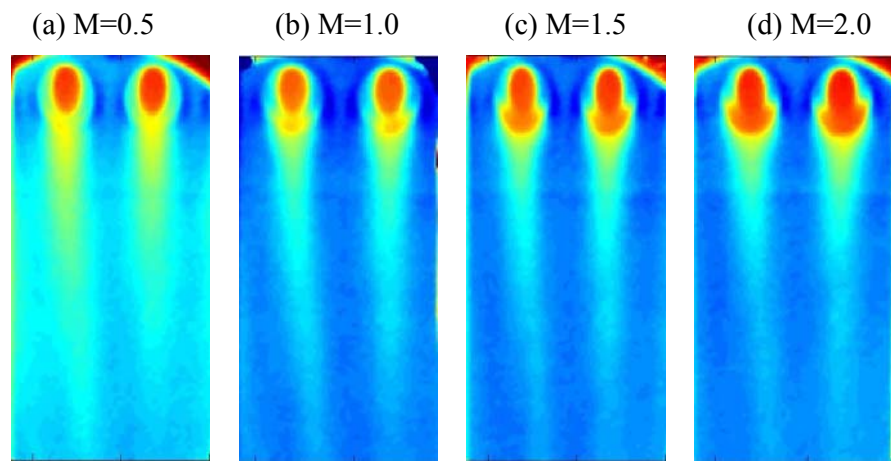
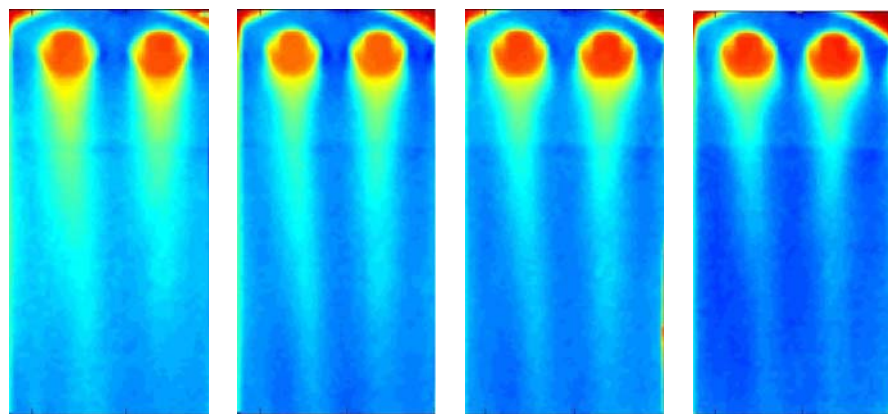


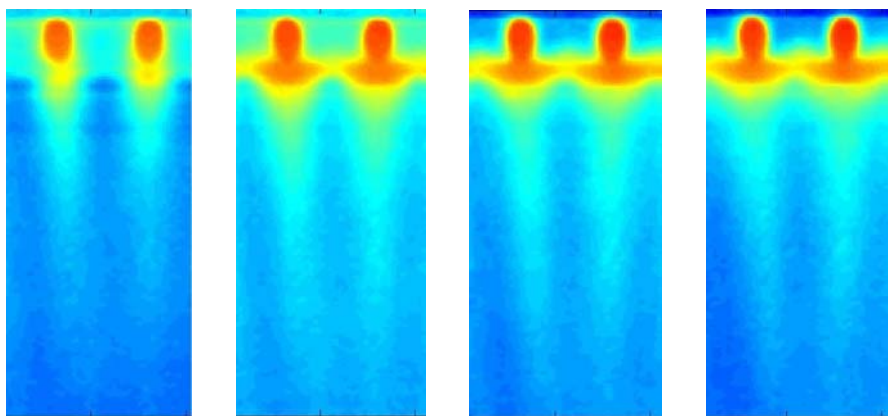
Fig 5.13 Detailed film effectiveness distributions for baseline, three cratered hole cases, one trench case and shaped hole at different blowing ratios (Fig cont.)



Case 8



Case 9



Trench Case 4

(Fig 5.13 cont.)

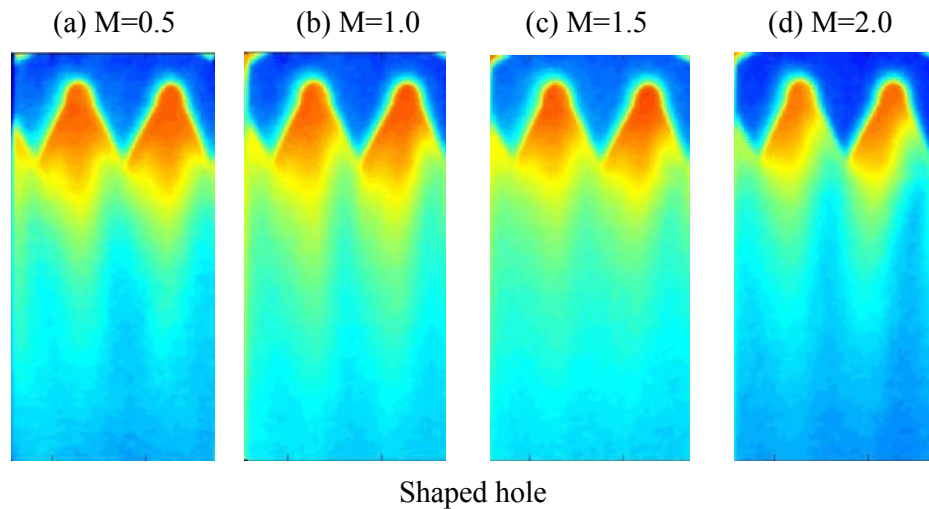


Fig 5.14 presents the effect of blowing ratio on detailed heat transfer coefficient (h) distributions for the baseline, crater and shaped hole cases. Nearly all the cratered holes appear to enhance the heat transfer coefficient compared to the baseline case. It appears that there is significantly more interaction between the mainstream and jet primarily in the slot exit region resulting in higher turbulence production and subsequently higher heat transfer coefficient. The effect of blowing ratio on heat transfer coefficient enhancement appears diminished for the cratered hole cases 7-9.

Fig 5.15 presents the effect of the hole geometry on spanwise averaged film effectiveness for each blowing ratio. At a low blowing ratio of $M=0.5$, shaped diffuser hole provides the highest effectiveness clearly but the downstream decay is also rapid.

The Case 8 also provides high effectiveness. Except for the baseline case, Case 7 clearly provides the lowest effectiveness. As blowing ratio increases to $M=1.0$, the shaped diffuser hole still remains the highest level. All crater cases show similar effectiveness levels with the trench case performing better.

At $M=1.5$, the shaped hole is clearly better than all the cases with the trench case slightly

above Cases 8 and 9. Case 1 is lowest among all the crater cases. All the crater cases are still significantly higher than the baseline case.

For a high blowing ratio of $M=2$, Case 8 outperforms all the other cratered hole cases. It appears that shaped hole and trench case are providing better coverage.

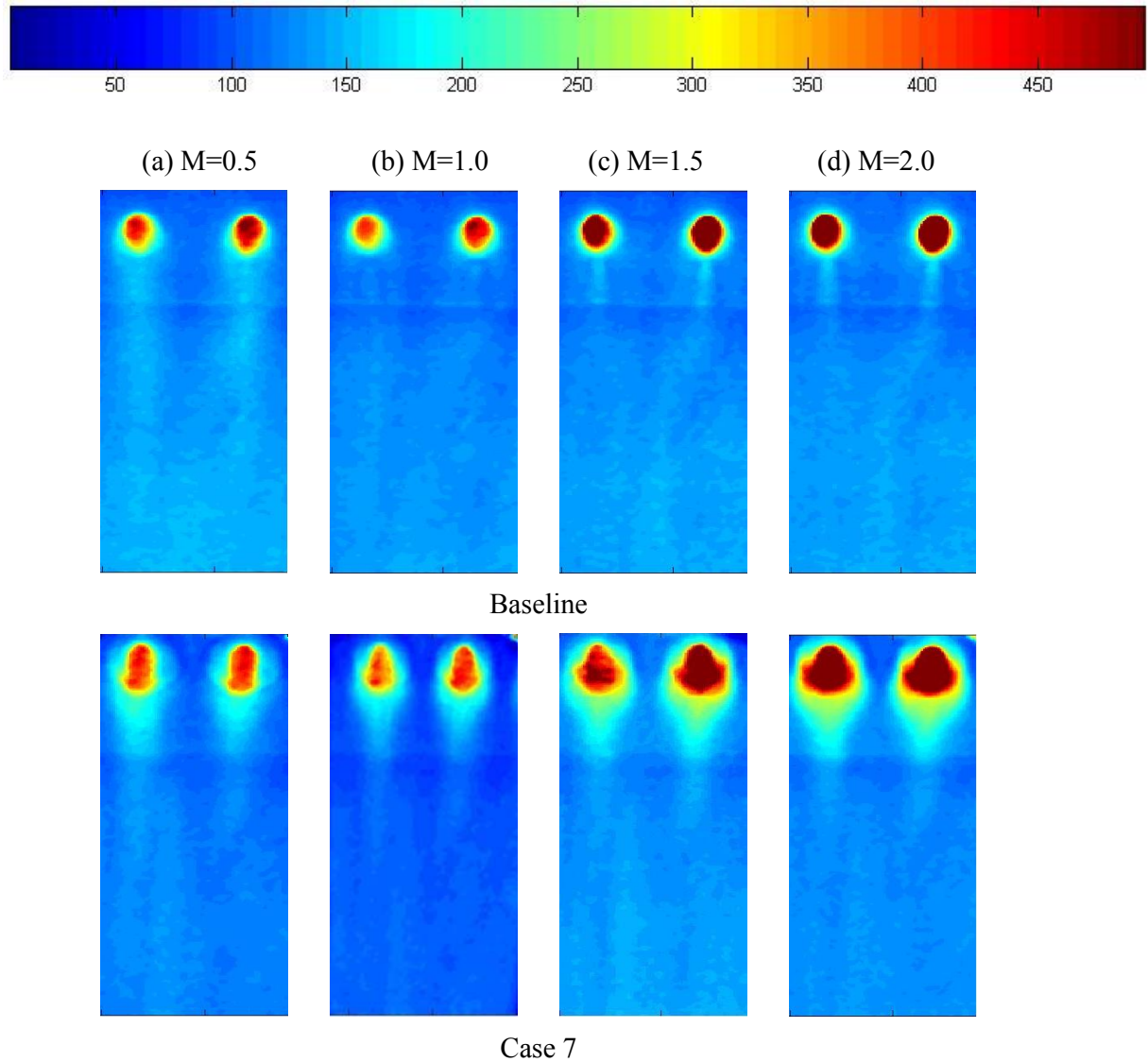


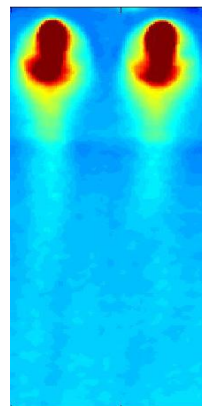
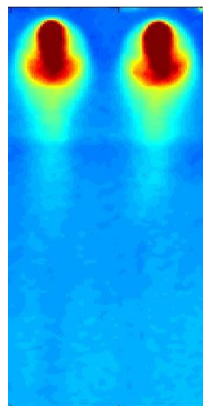
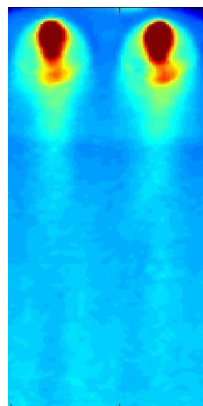
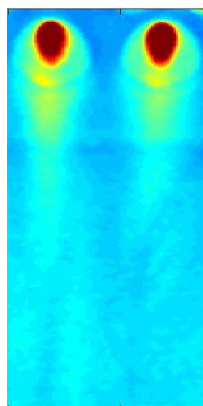
Fig 5.14 Detailed heat transfer coefficient ratio distributions for baseline, three cratered hole cases, one trench case and shaped hole at different blowing ratios (Fig cont.)

(a) $M=0.5$

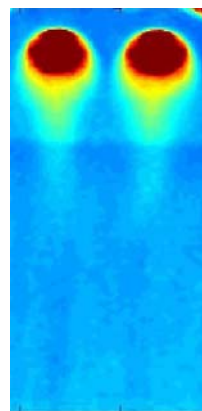
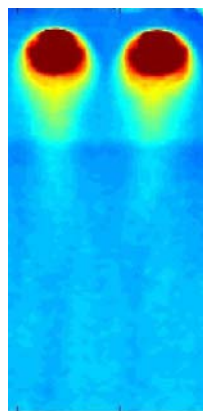
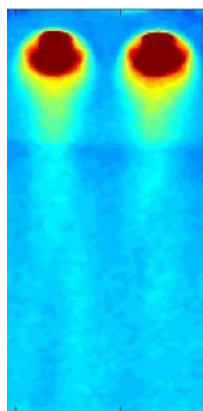
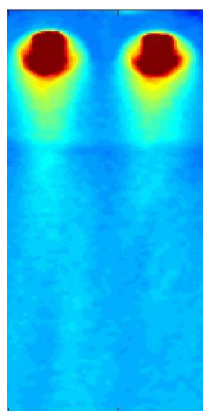
(b) $M=1.0$

(c) $M=1.5$

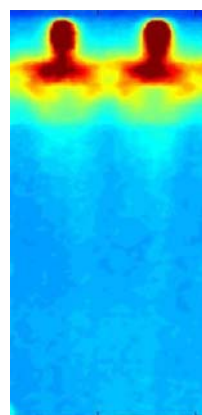
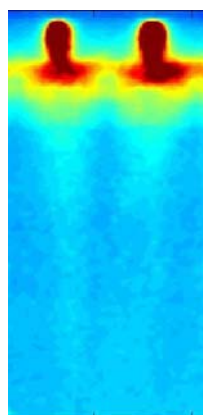
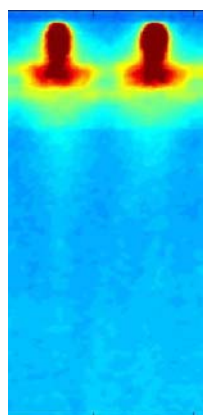
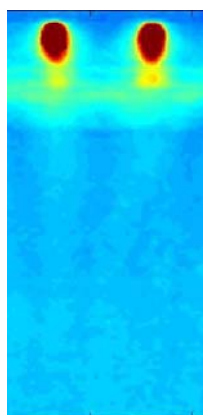
(d) $M=2.0$



Case 8



Case 9



Trench Case 4

(Fig 5.14 cont.)

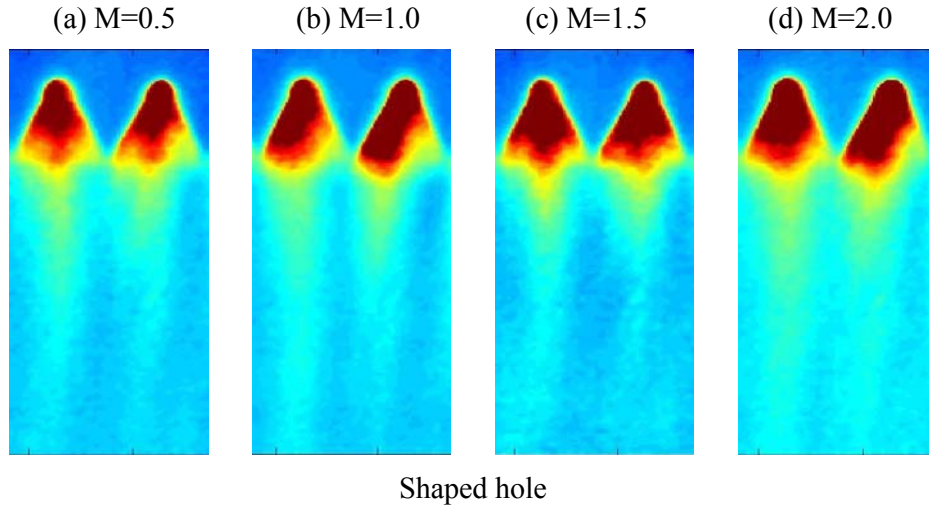


Fig 5.16 presents the effect of hole geometry on spanwise averaged heat transfer coefficient ratio (h/h_0) for each blowing ratio. The local heat transfer coefficient with film cooling (h) is normalized by the heat transfer coefficient without holes on a flat surface (h_0). Results are only presented downstream of the hole edge.

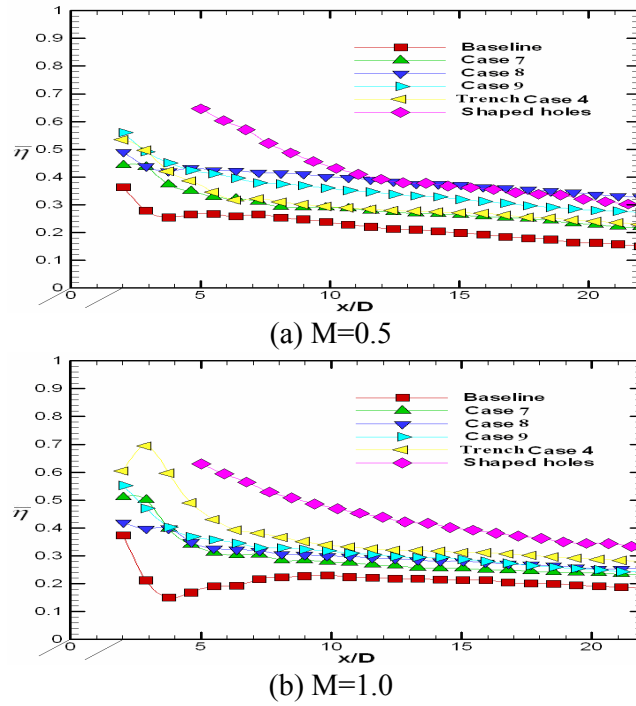
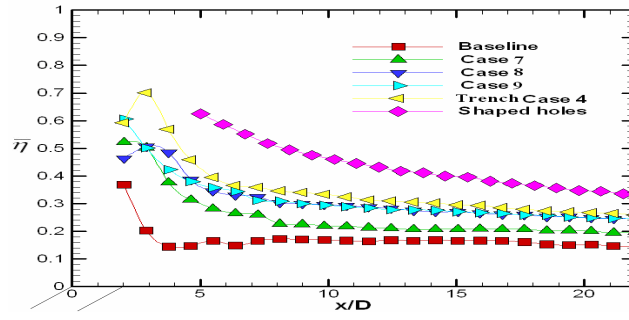
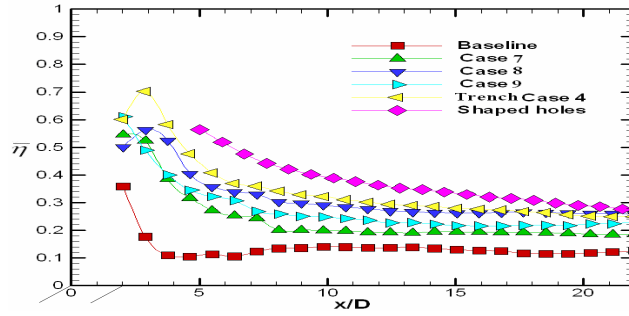


Fig 5.15 Effect of hole configuration on spanwise averaged film effectiveness distributions for baseline, crater, trench and shaped hole at each blowing ratio (Fig cont.)



(c) $M=1.5$



(d) $M=2.0$

(Fig 5.15 cont.)

At a low blowing ratio of $M=0.5$, the heat transfer coefficients are similar for all cases with Case 7 and baseline slightly lower. The shaped hole shows higher heat transfer coefficient ratios immediately downstream of exit but decreases rapidly downstream.

At $M=1.0$, all three cratered hole cases produce similar higher heat transfer coefficient enhancement due to increases local interactions between mainstream and jets, but still lower than the trench Case 4 and shaped hole case.

For $M=1.5$, shaped hole produces the highest heat transfer coefficient enhancement with baseline case producing the lowest enhancement. The crater holes and the trenched hole produce similar levels of enhancement. At $M=2.0$, the trends are similar to $M=1.5$. The crater geometry seems to have very little effect on heat transfer coefficient enhancement which may indicate that all geometries generate similar levels of turbulence due to jet-mainstream mixing.

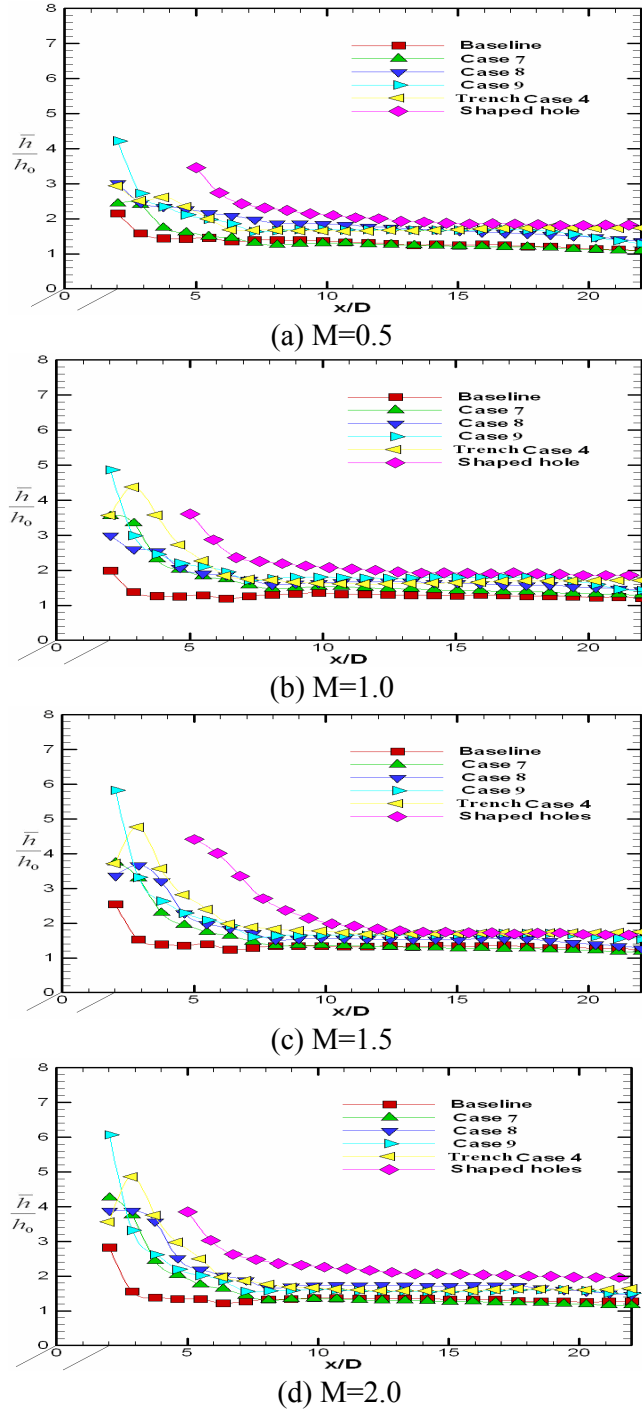


Fig 5.16 Effect of hole configuration on spanwise averaged heat transfer coefficient ratio for baseline, crater, trench and shaped hole at each blowing ratio

Fig 5.17 shows the effect of blowing ratio on overall area-averaged (a) film effectiveness, and (b) heat transfer coefficient ratios for all cases. As seen clearly from the plot, shaped

diffuser hole shows much higher overall area-averaged effectiveness than the other cases. The trench case (Case 4) also shows slightly higher effectiveness compared to the crater cases at higher blowing ratios. There is a slight decrease in film effectiveness with increasing blowing ratio for all cratered hole cases. The heat transfer coefficient ratios show minimal effect of blowing ratio for all the cases. The shaped hole shows the highest heat transfer coefficient and the baseline is the lowest.

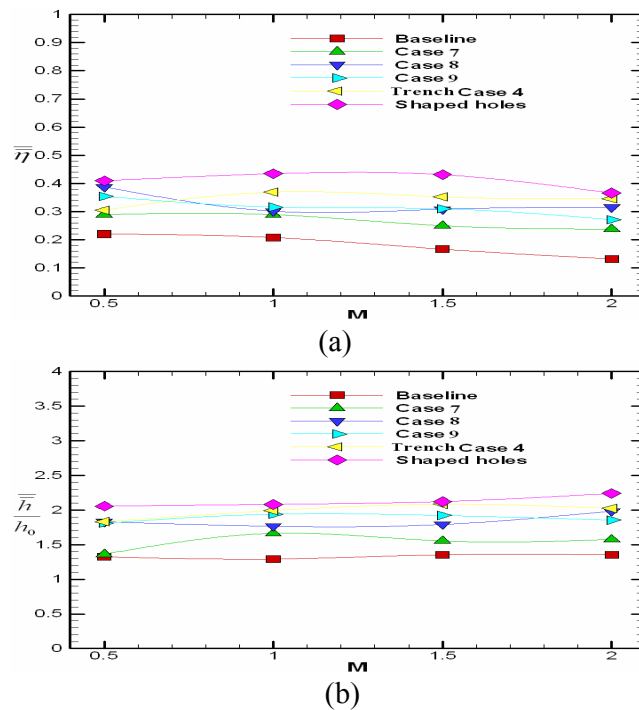


Fig 5.17 Effect of blowing ratio on overall area-averaged (a) film effectiveness, and (b) heat transfer coefficient ratios for baseline, three crater cases, one trench case and shaped hole

Fig 5.18 presents the effect of blowing ratio on overall area-averaged heat flux ratio (q''/q''_0) for all these cases. Baseline and Case 9 seem to show the worst performance. All cratered holes show heat flux ratio close to 1.0 for M=1.5 and higher blowing ratios. It appears cratered holes may perform better at lower blowing ratios but are clearly not effective at higher blowing ratios.

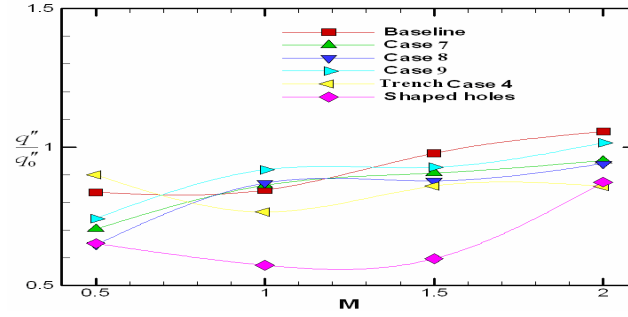


Fig 5.18 Effect of blowing ratio on Overall heat flux ratio for baseline, three crater cases, one trench case and shaped hole

5.4 Numerical Results

Computed velocity vector on the centerline plane of the film hole is presented in Fig 5.19 for flat plate case at a blowing ratio of $M=1.0$ for RSM and $k-\varepsilon$ model. The vectors are presented at $x/D=3$ showing the clearly defined counter rotating vortex pair as shown by Leylek and Zerkle [35].

For RSM, the mainstream is clearly entrained under the vortex pair and pushing the jet away from the surface. The vectors colors indicate the flow temperature with the jet core at lower temperature. At this short distance from injection, the jet-mainstream mixing is relatively low.

Compared to the RSM result, the $k-\varepsilon$ model cannot capture the counter rotating vortex pair very well. And the velocity in the core shows much higher than the RSM.

Fig 5.20 shows the velocity vector for the trenched hole case by using different models. The vortex pair obtained from RSM is still very evident but the jet strength in terms of local velocity is lower. Overall, the vortex pair appears to be squished together with little entrainment of the mainstream under the jet vortex pair. This means that the vortex pair has not lifted off the surface as seen for baseline resulting in the mainstream filling the region between the coolant jet and wall. Also interesting is to see the additional vortices generated

along the edges of the hole-to-hole centerline. The vortices are opposite to the main vortex pair and appear to be a weaker pair. This may be because the jets spread to the trench and create secondary vortices as they come out and interact with the mainstream. The $k - \varepsilon$ model cannot capture the vortex pair very well and also the additional vortex pair is not shown.

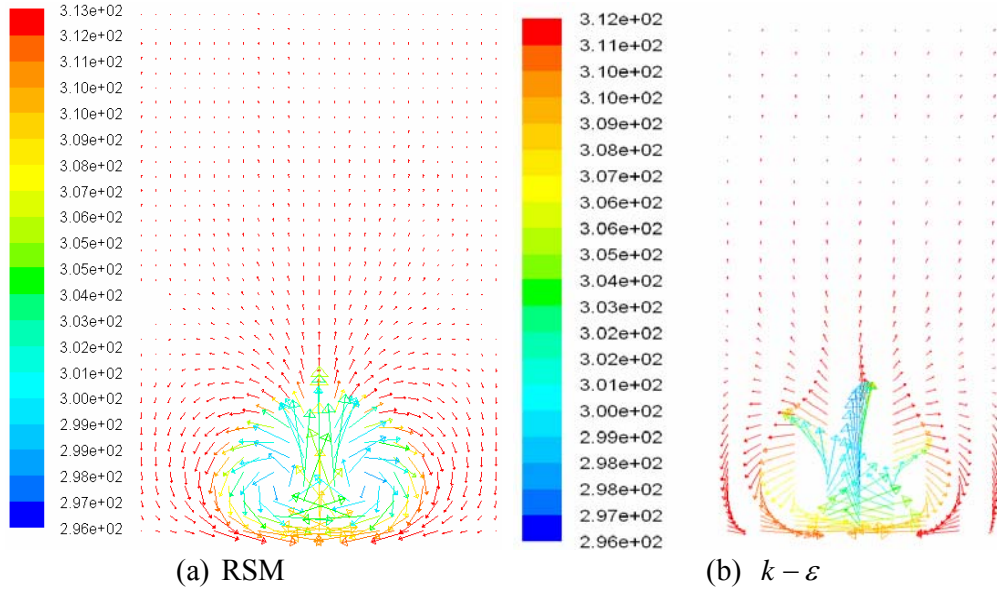


Fig 5.19 Secondary flow vectors colored by temperature, $x/D=3$, baseline

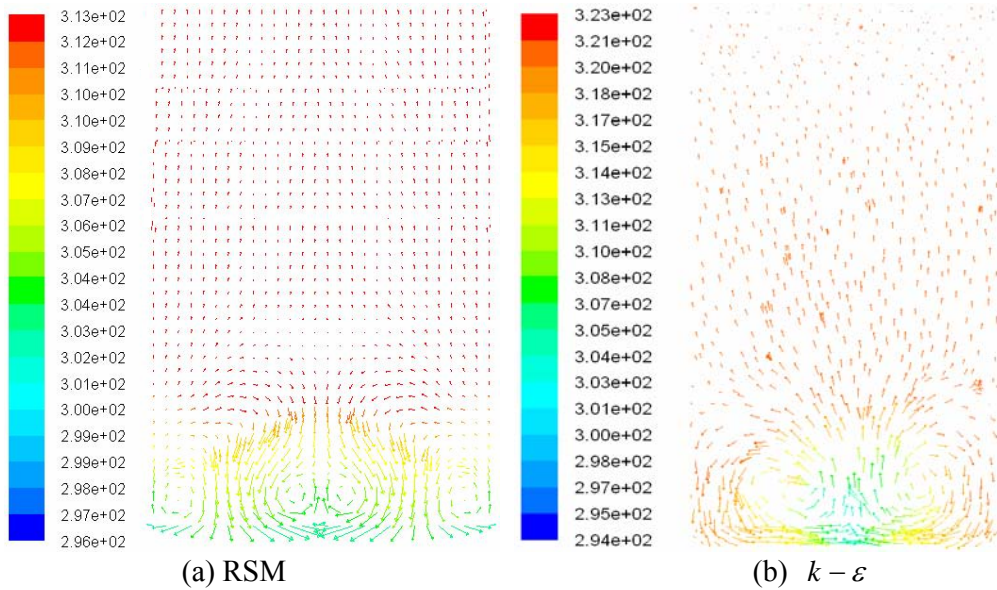


Fig 5.20 Secondary flow vectors colored by temperature, $x/D=3$, trench case 1

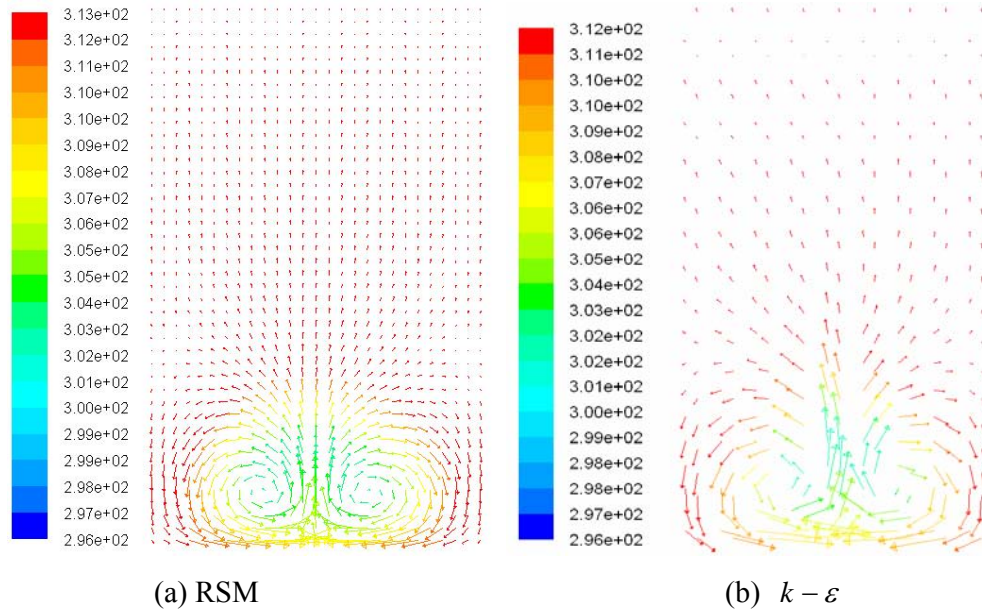


Fig 5.21 Secondary flow vectors colored by temperature, $x/D=3$, crater case 7

Fig 5.21 shows the velocity vectors for the crater hole case by two models. It is interesting to note the jet is entrained with the mainstream and the coolant jet has been lifted off from the surface. This may indicate rapid dissipation of the film downstream and this was confirmed by Fig 5.22.

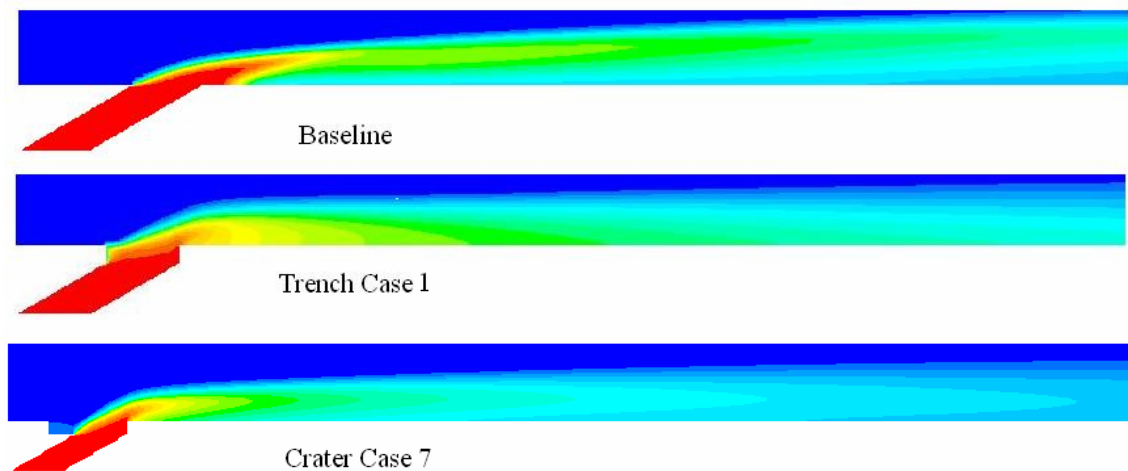
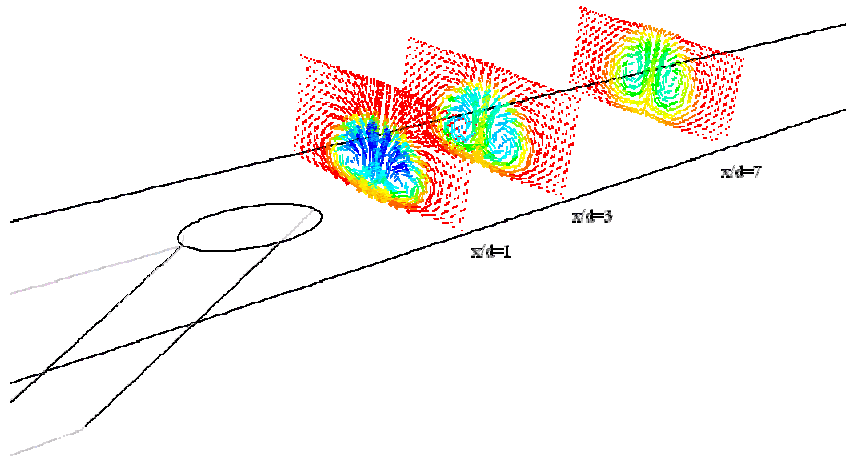


Fig 5.22 Computed non-dimensional temperature contours of the film temperature and mixing downstream of the holes

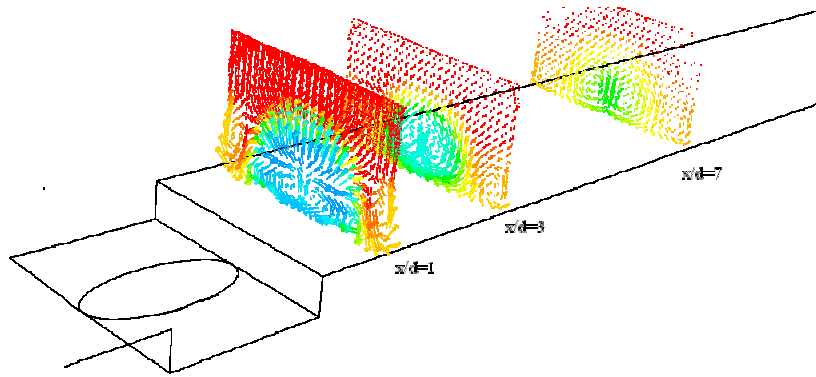
Due to the $k - \varepsilon$ model cannot capture the complex flow characteristics very well, the CFD results presented in the following sections were obtained from the RSM.

Fig 5.22 shows centerline non-dimensional temperature (θ) contours for the three typical cases at $M=1$, respectively, to demonstrate the effect of hole depth and crater shape on jet trajectory.

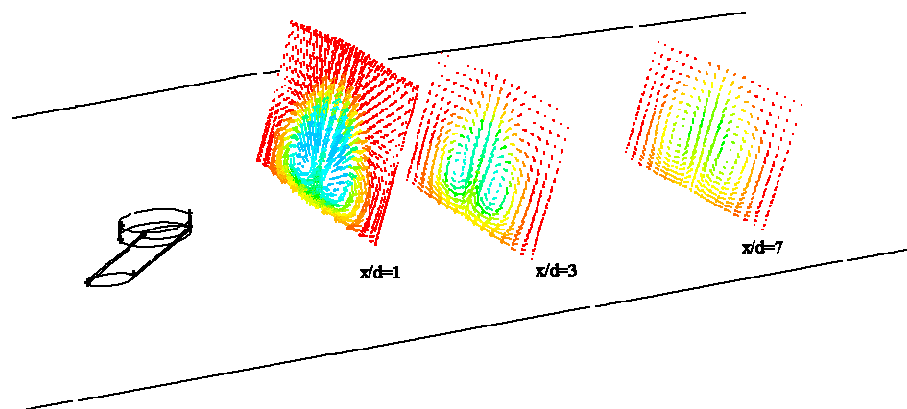
It is seen that the baseline case shows the jet lift-off from the surface resulting with little coolant attached to the surface a bit downstream of the hole exit. The cooling air is away from the surface with mainstream entrainment under. This causes lower film effectiveness on the wall. The trenched holes seems to perform better than the baseline for $M=1.0$. The coolant from the cylindrical holes enter a 2-D slot before they exit and make contact with the mainstream. Due to the presence of this 2-D slot, the coolant tends to fill the slot and provides a more two-dimensional film that spreads laterally compared to the baseline case. As the depth of the slot is increased, the coolant appears to provide a more two-dimensional jet with less and less lift-off. This hugging of the coolant with the surface results in higher cooling effectiveness of the trenched holes. The trenching of the holes due to TBC coating may not necessarily be a negative due to the significantly improved coolant trajectories. One other aspect of the trenching has to be enhancement of heat transfer coefficient because of injection. Lu et al. [72] also presented heat transfer coefficients clearly showing that the trenched holes do produce higher heat transfer coefficients than the baseline. However, the enhancement in coolant film effectiveness was far higher than the heat transfer coefficient enhancements. Compared to the baseline case, the crater hole actually show higher lift-off and also show very little far reaching effects of the jet downstream.



(a) Baseline



(b) Trench Case 1



(c) Crater Case 7

Fig 5.23 Secondary flow vectors at $x/D=1$, $x/D=3$ and $x/D=7$ for three geometries

Fig 5.23 shows the secondary flow vectors colored by the static temperature at three different streamwise locations for baseline, trench case 1 and crater case 7. It is clear that with increasing the downstream distance, the vortices is such that it lifts the jets off from the surface and less coolant come under the jet core which results in higher temperature along the surface and leads to lower film effectiveness with increasing the distance downstream of the hole injection. This explains the film cooling non-dimensional temperature distributions shown in Fig 5.22.

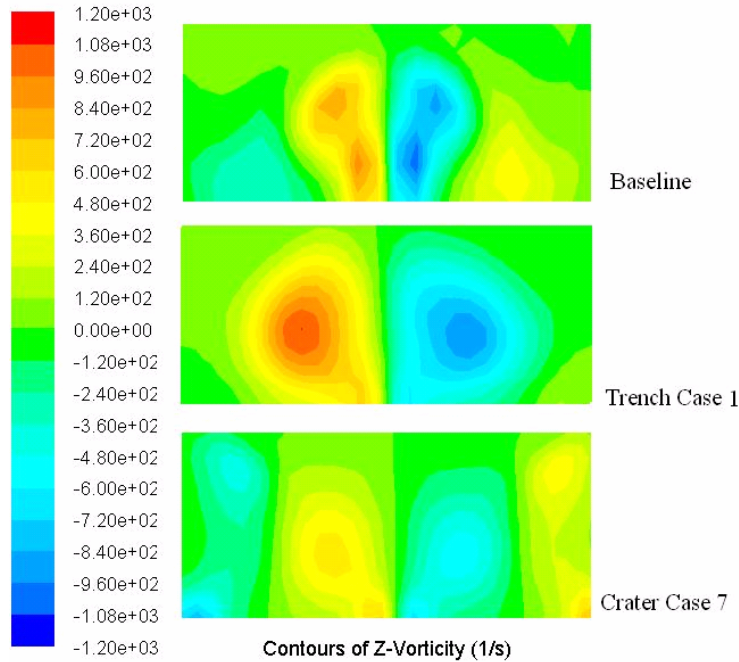
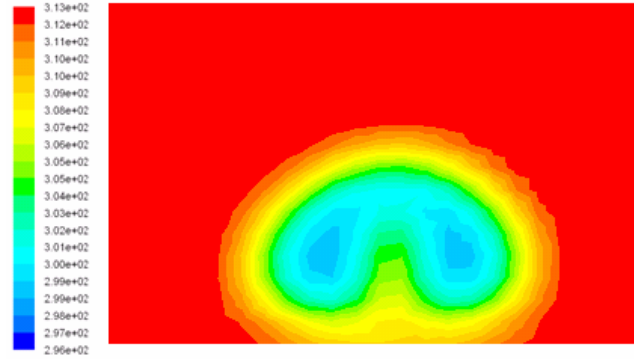
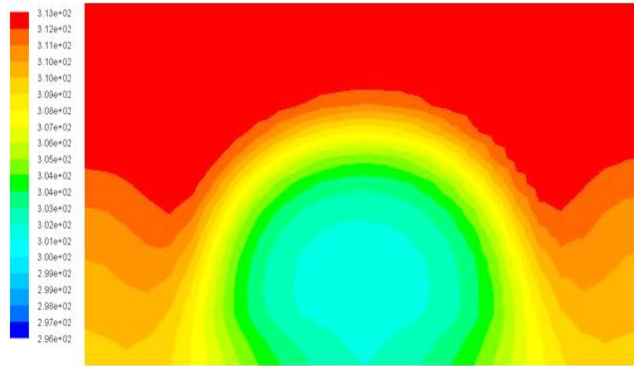


Fig 5.24 Flow contours colored by z-vorticity, $x/D=3$

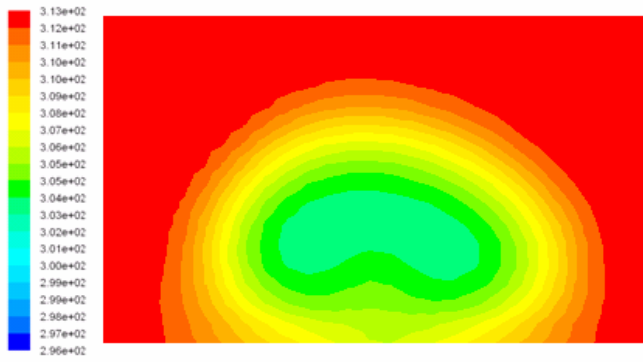
Fig 5.24 presents the vorticity strength due to the vortex formation after coolant ejection for both cases. It is clear that the vortices are moving away from the surface for the baseline case. Also the vortex stretching is away from the wall resulting in reduced coolant protection near the wall. Two weaker vortices are seen on either side of the main vortex pair due to the entrained mainstream flow.



(a) Baseline



(b) Trench Case 1



(c) Crater Case 7

Fig 5.25: Stagnation temperature at $x/D=3$, (a) baseline; (b) trench and (c) crater

For the trench case, the vortex strength is stretched along the spanwise direction showing more active protection of the coolant along the wall with little mainstream entrainment under the jet vortices. The side vortices are also stronger indicating the presence of more coolant ejected out of the trench in between the hole locations. It is evident for the crater hole case

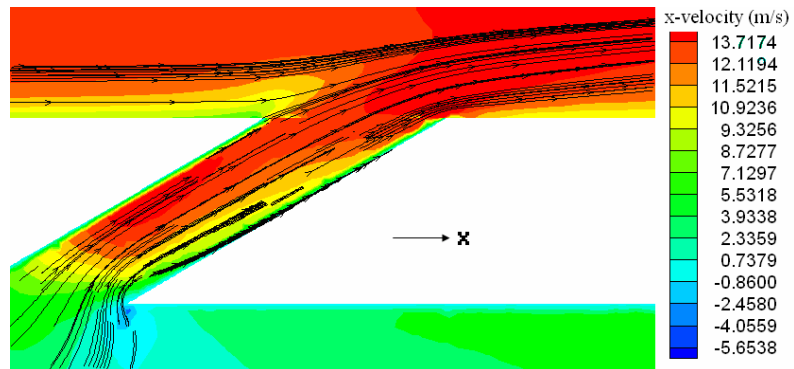
that vortices stretching is moving away from the wall and the coolant protection on the surface decreases. Fig 5.24 confirms the findings from the velocity vector plots shown in Fig 5.19 to Fig 5.21.

Fig 5.25 presents the cross-plane temperature distributions at $x/D=3$ just downstream of injection for three geometries. The bean shaped structure of the vortices for the baseline is clearly seen with the coolant inside the bean shaped structure. Little cross-mixing is seen outside the bounds of the vortices. This is consistent with previous published studies. With the trench, the temperature does not see a strong two vortex structure but a more clear jet core close to the wall. There is also spanwise mixing along the wall indicative of the cooler temperatures along the span. This is clearly a major improvement than the baseline where even at the jet location, we see entrainment of mainstream below the vortices resulting in higher temperatures. For the crater, it seems that the temperature does not show strong vortex structure and the jet core is lifted from the wall. This is reflected in the surface film effectiveness distributions.

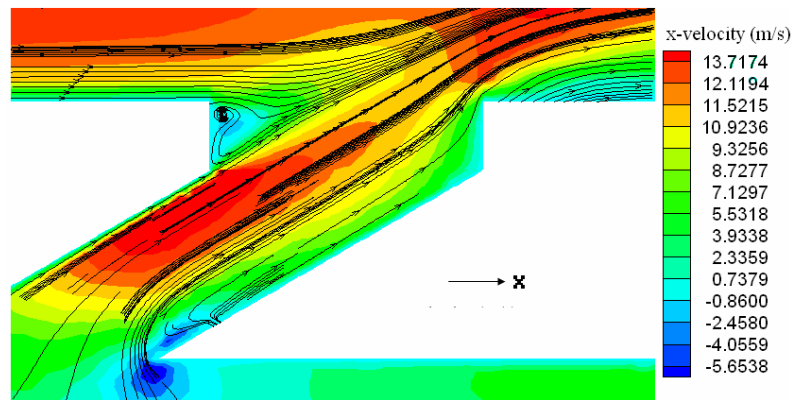
Fig 5.26 presents the pathlines of the coolant and mainstream imposed on velocity contours for baseline, Case 1 and Case 7. Baseline shows the jet exits uniformly out of the hole and interacts with the mainstream. The jet displaces the mainstream and this displacement depends on the momentum of the jet with respect to the mainstream.

For the trench case (Case 1), the jet exits the cylindrical hole and slows down as it enters the trench due to area increase and exits out of the trench at a much lower velocity than for the baseline case. The exit velocity for Case 1 is about 30% lower than for the baseline case indicating that the jet will have a lower momentum and thus will tend to stay closer to the

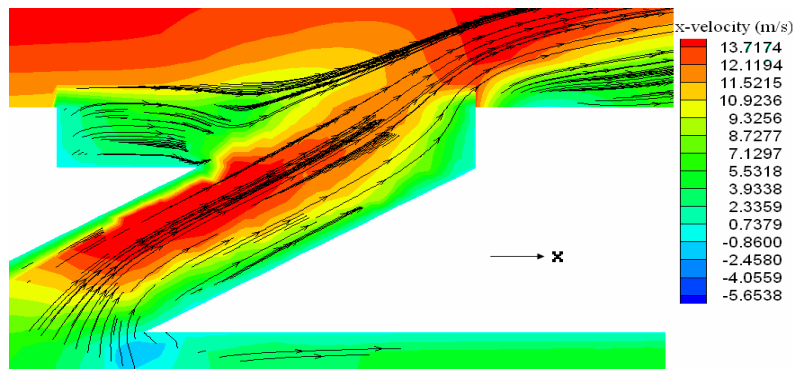
surface or “hug” the surface better. Also, the downstream edge of the jet interacts with the trench edge and pushes coolant towards the upstream side resulting in a larger displacement of the mainstream from the surface. There is however a small recirculation zone on the upstream edge of the trench.



(a) Baseline



(b) Trench Case 1



(c) Crater Case 7

Fig 5.26 Mainstream-jet interactions for (a) baseline, (b) Trench Case 1 and (c) Crater Case 7

For the offset cratered hole (Case 7), the jets appear to be slightly slower exiting the crater but largely unaffected except at the downstream edge. A large recirculation zone is seen upstream of the hole exit inside the crater. This region may also entrain some hot mainstream gases and may be detrimental to the blade metal surface. Overall, the computed flow characteristics help in describing the detailed surface behavior obtained from the experiments.

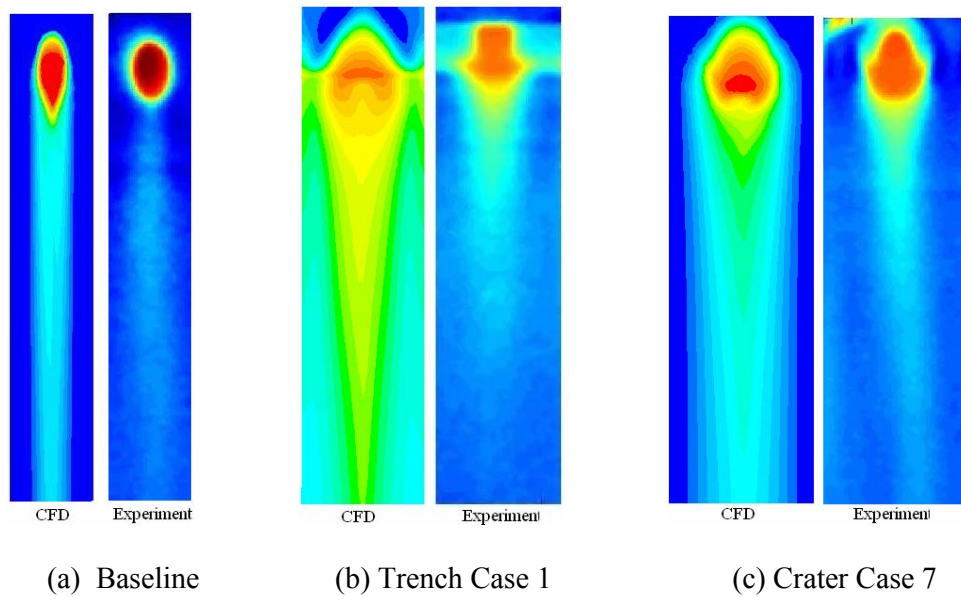


Fig 5.27 Film effectiveness distributions for simulation and experiment of (a) baseline, (b) Trench Case 1 and (c) Crater Case 7

Fig 5.27 presents the local film effectiveness contours comparing the computations with the experimental data of Lu et al. [72-73]. The results show similar levels but significantly different local trends. For the baseline, the experimental data shows a pinch region at $x/d=2$ and spreading of coolant further downstream whereas the computational results do not show that. The computations show very little spreading of the film effectiveness away from the middle region. This has been pointed out as the bane of the turbulence models as they tend to

smear out the local variations. However, the levels beyond $x/D=2$ seems to be similar for both experiments and computations. For the trench case, the experimental results show more lateral spreading inside the trench before the coolant is ejected. The computations do not show the spreading and also show longer effect of the jets. The computations do show lot more lateral coverage for trenches than the baseline. Again, the levels are similar for both experiments and computations. For the crater case, the experimental results also show more lateral coolant spreading downstream of the holes than the baseline case. And the CFD results show a lot more lateral coverage than the baseline.

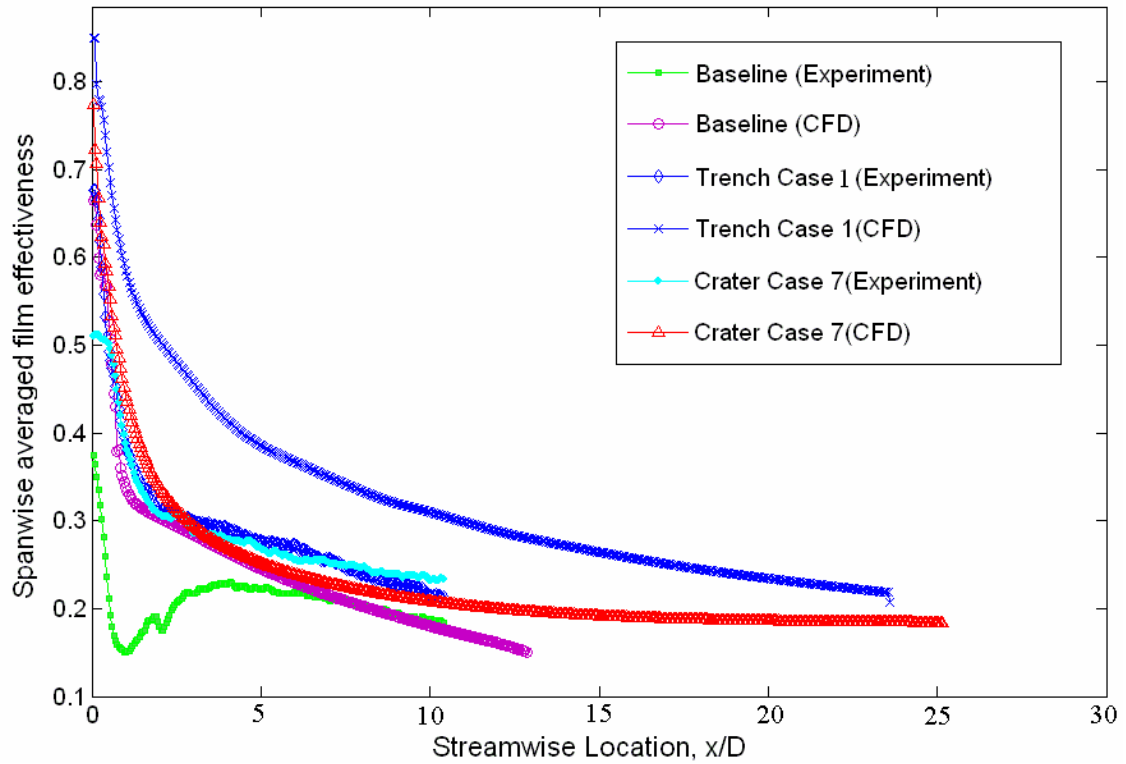


Fig 5.28 Comparison of spanwise averaged film effectiveness

Fig 5.28 presents the comparison of spanwise averaged film effectiveness (η) for baseline, trench and crater geometries comparing experiments with computations. It can be seen that computational predictions for these cases are much higher than for the experimental

data, although the benefit of the trench and crater design is shown. The levels of increase shown from baseline to trench, crater case is similar for both experiments and CFD. It has always been indicated by previous film cooling prediction studies that the CFD results cannot predict the spreading of jets accurately and overpredict centerline effectiveness. The spanwise averaged results show similarities as the cross-stream direction is averaged and washes out the local discrepancies between the predictions and experiments. It is interesting that the baseline experimental and CFD results almost match beyond $x/D=6$. The trench case does not show the excellent matching at any location. The CFD result is consistently 10% higher than the experimental result beyond $x/D=2$. However, the crater case experiment and CFD results match almost on top of each other. It is observed that the difficulty in predicting film effectiveness values is not unexpected and the steady RANS codes have difficulty predicting film effectiveness due to the inability to capture the additional mixing due to the strong mainstream/jet interaction.

CHAPTER 6 SUMMARY

1. A detailed study on two new film hole configurations has been presented. Different hole exit strategies were studied with crescent and converging slot exit geometry. Both heat transfer and film effectiveness were measured using a transient infrared thermography technique. It appears both the crescent and slot exits reduce the jet momentum at the exit and also spreads the jets and provides two-dimensional jet coverage compared to the three-dimensional nature of individual jets from typical cylindrical holes.
2. Film cooling for cratered holes also has been explored. The cratered holes increase film effectiveness over the baseline case by about 50%. However, they do not provide significant lateral spreading as seen for trench holes. Overall, the cratered holes do not perform as well as the trenched holes but clearly show significant improvement at low blowing ratios over baseline. This is the first study that focused on cratered holes and provided a better understanding of the film behavior for these types of holes. The effect of crater depth may have an impact as the present study only investigated a shallow crater of $0.5D$ depth.
3. Attempts to understand coolant behavior from trench and crater holes was undertaken in this study. The commercial CFD code Fluent with RSM turbulence model was employed to run the computations. The results are compared with experimental results obtained by Lu et al. [72-73]. The results show the vertical structure of the jets after ejection from the holes is significantly different for the trenched and crater holes compared to the baseline. The coolant, in effect, stays closer to the surface and does

not allow main entrainment and also spreads laterally. The film effectiveness distributions show stronger coverage for the trenched and crater holes. However, this study provides more detail into the trenched and crater holes behavior and also shows that the RSM model provides better comparisons with experimental results for averaged data. Local distributions still show significant variations between the experimental and CFD results.

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